

150 E. GAY STREET, 24TH FLOOR COLUMBUS, OH 43215-3192 TELEPHONE: (614) 744-2570 FACSIMILE: (844) 670-6009 http://www.dickinsonwright.com

WILLIAM V. VORYS WVorys@dickinsonwright.com (614) 744-2936

September 18, 2017

Ms. Barcy F. McNeal, Secretary Ohio Power Siting Board **Docketing Division** 180 East Broad Street, 11th Floor Columbus, OH 43215

> Case No. 13-197-EL-BGN, 16-1687-EL-BGA, and 17-1099-EL-BGA Re:

> > Trishe Wind Ohio, LLC

Supplement to September 1, 2017 Filing Regarding Compliance with

Condition 6 – Drawings for Final Design Plan

Dear Ms. McNeal:

Trishe Wind Ohio, LLC ("Applicant") is certified to construct a wind-powered electric generation facility in Paulding County, Ohio ("Project"), in accordance with the December 16, 2013 Opinion, Order, and Certificate ("Certificate") issued by the Ohio Power Siting Board.

Condition 6 of the Certificate requires the Applicant, at least 30 days prior to the preconstruction conference, to submit to staff for review and acceptance, one set of detailed engineering drawings of the final project design, including the facility, temporary and permanent access roads, and any crane routes, construction staging areas, and any other associated facilities and access points.

On September 1, 2017, Applicant filed a Notification of Compliance with Condition 6 of the Certificate. At this time, we are updating the September 1, 2017 filing to include the spread footing foundation plan and the foundation design computations, which are attached hereto.

We are available, at your convenience, to answer any questions you may have.

Respectfully submitted,

/s/ William V. Vorys

William V. Vorys (0093479)

Christine M.T. Pirik (0029759)

Terrence O'Donnell (0074213)

Dickinson Wright PLLC

150 East Gay Street, Suite 2400

Columbus, Ohio 43215 Phone: (614) 591-5461

Email: wvorys@dickinsonwright.com

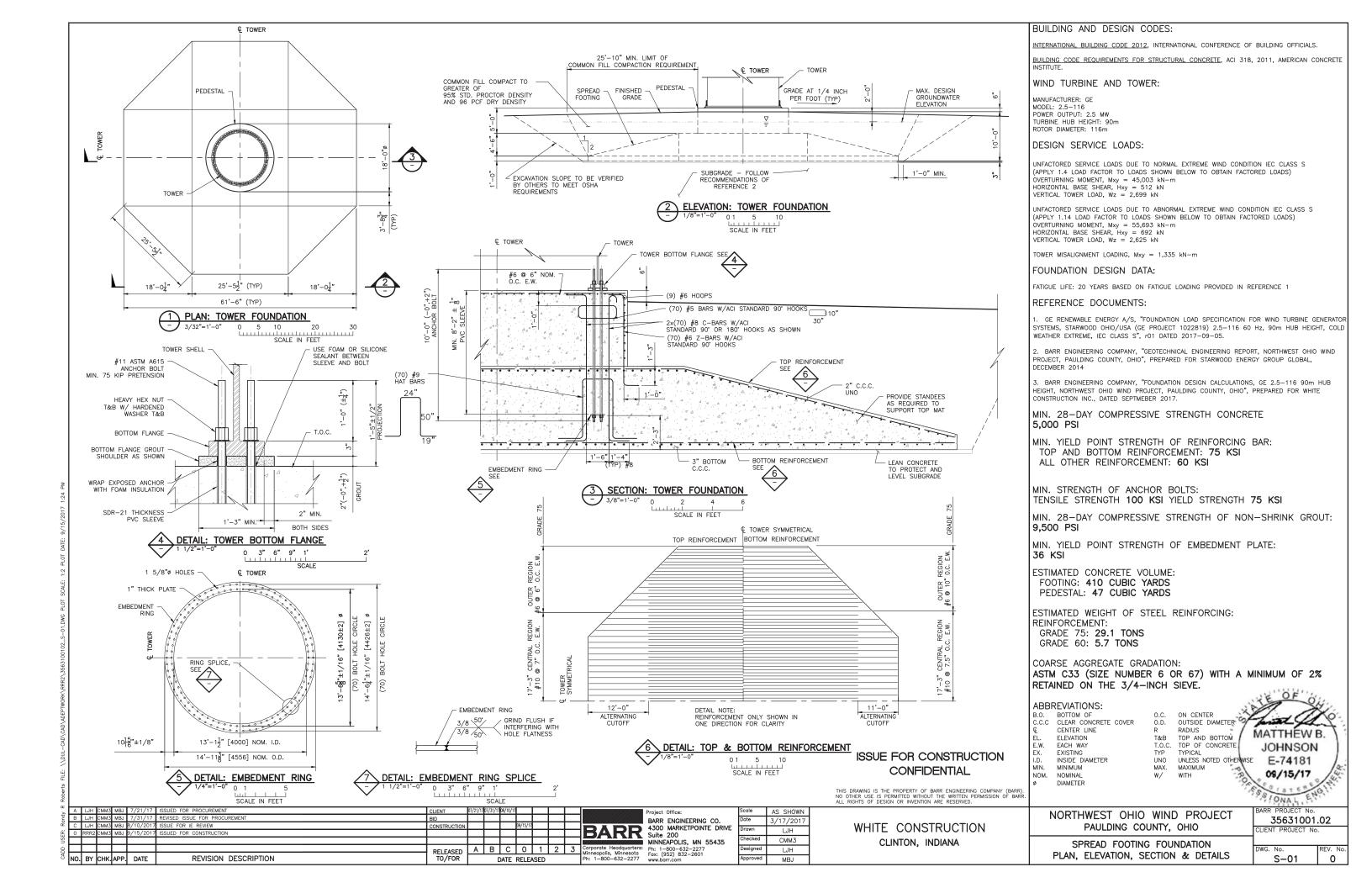
cpirik@dickinsonwright.com todonnell@dickinsonwright.com

Enclosure Attorneys for Trishe Wind Ohio, LLC

ARIZONA FLORIDA KENTUCKY MICHIGAN NEVADA

TENNESSEE TEXAS OHIO

TORONTO



1.0 GENERAL REQUIREMENTS AND SUBMITTALS

GENERAL

- THE REQUIREMENTS SPECIFIED HEREIN APPLY TO THE FOLLOWING DRAWINGS:
- NORTHWEST OHIO WIND PROJECT, DRAWING S-01, SPREAD FOOTING FOUNDATION

SUBMITTALS

- SUBMITTALS SHALL BE MADE A MINIMUM OF ONE WEEK PRIOR TO INCORPORATION INTO THE WORK. THE FOUNDATION ENGINEER (BARR) WILL REVIEW SUBMITTALS, INCLUDING THE TESTING AND INSPECTION RECORDS TO CHECK CONFORMANCE WITH THE DRAWINGS AND SPECIFICATIONS. THE REVIEW DOES NOT RELIEVE THE CONTRACTOR FROM RESPONSIBILITY FOR ERRORS IN CONSTRUCTION OF THE WORK DUE TO ERRORS CONTAINED IN THOSE
- SUBMIT ONE ELECTRONIC COPY OF THE SUBMITTALS SPECIFIED TO THE FOUNDATION ENGINEER AT THE FOLLOWING: BARR ENGINEERING COMPANY

ATTN: MR. CHUCK BEAUZAY [CBEAUZAY@BARR.COM]

- SUBMIT A LIST OF THE TESTING COMPANIES THAT WILL BE UTILIZED ON THE PROJECT FOR PERFORMANCE OF TESTS SPECIFIED.
- SUBMIT NAME AND QUALIFICATIONS OF THE GEOTECHNICAL ENGINEER.
- SUBMIT INFORMATION (TESTING RESULTS, PRODUCT DATA, CONSTRUCTION DETAILS, ETC.) AS LISTED IN THE FOLLOWING SECTIONS: 2.B, 3.B, 4.B, 5.B, AND 6.B.

2.0 EXCAVATION, SUBGRADE PREPARATION, BACKFILL, & COMPACTION

GENERAL

COORDINATE THE EXCAVATION, SUBGRADE PREPARATION, BACKFILL, COMPACTION, AND GRADING ACTIVITIES WITH THE REFERENCED GEOTECHNICAL DOCUMENTS ON DRAWING S-01

SUBMITTALS

- SUBMIT GROUNDWATER AND SURFACE WATER CONTROL PLAN.
- SUBMIT SUBGRADE STRENGTH AND UNIFORMITY VERIFICATION METHOD.
- SUBMIT SUBGRADE INSPECTION REPORT FOR EACH FOUNDATION COMPLETED BY A GEOTECHNICAL ENGINEER
- SUBMIT GRAIN SIZE ANALYSIS PER ASTM D422, NATURAL MOISTURE CONTENT PER ASTM D2216, AND STANDARD PROCTOR MAXIMUM DRY DENSITY PER ASTM D698 FOR COMMON FILL SOIL MATERIALS.
- SUBMIT COMPACTION TEST RESULTS FOR FILL PLACED OVER THE FOUNDATION INDICATING LOCATION OF TEST, DRY DENSITY, AND MOISTURE CONTENT OF PLACED FILL.

- LEAN CONCRETE: CONTAINING ASTM C150. TYPE | OR ASTM C1157. TYPE GU CEMEN COMPRESSIVE STRENGTH AND THICKNESS SHALL BE SUFFICIENT TO SUPPORT REINFORCING STEEL AND ANCHOR BOLT CAGE DURING CONSTRUCTION.
- COMMON FILL: SHALL CONSIST OF SUITABLE UNFROZEN MATERIALS EXCAVATED FROM THE FOUNDATION SITE OR IMPORTED AS NECESSARY. ADDITIONAL CRUSHING AND SCREENING MAY BE REQUIRED TO PROCESS THE MATERIAL TO THE SPECIFIED REQUIREMENTS BELOW. MATERIALS BACKFILLED WITHIN 1 FOOT OF ANY CONCRETE SHALL BE FINE WELL
- GRADED MATERIAL WITH PARTICLE SIZE NO GREATER THAN 3 INCHES. MATERIALS BACKFILLED BEYOND 1 FOOT OF ANY CONCRETE MAY CONSIST OF ALL OTHER EXCAVATED MATERIALS PROVIDED THEY MEET THE DENSITY REQUIREMENTS AND
- CAN BE PLACED USING METHODS THAT WILL PREVENT VOIDS FROM OCCURRING. ENGINEERED FILL: CONTACT FOUNDATION ENGINEER IF NEEDED BASED ON SUBGRADE

CONFIRM LOCATION OF TURBINE COORDINATES IN THE REFERENCED GEOTECHNICAL DOCUMENT ON DRAWING S-01. IF TURBINE COORDINATES ARE OFFSET BY MORE THAN 50 FFFT OBTAIN WRITTEN INSTRUCTIONS FROM THE FOUNDATION ENGINEER AS TO THE MEANS OF ADDITIONAL INVESTIGATION TO BE UNDERTAKEN. OBTAIN WRITTEN CONFIRMATION FROM THE GEOTECHNICAL ENGINEER THAT THE SPECIFIED INVESTIGATION WAS COMPLETED. REMOVE TOPSOIL FROM THE PLAN AREA AND STORE IN AN OWNER DESIGNATED AREA. THE

TOPSOIL SHALL BE USED FOR SITE RESTORATION.

EXCAVATE SOILS OR ROCK TO THE LIMITS INDICATED ON DRAWING S-01 USING TECHNIQUES THAT WILL MINIMIZE DISTURBANCE TO THE SUBGRADE. CONTRACTOR SHALL BE RESPONSIBLE FOR CONTROL OF SURFACE WATER AND/OR GROUNDWATER FLOWS INTO THE EXCAVATION. COMPACTION OF IN-SITU SOILS IS NOT REQUIRED WHERE CLAYEY SOILS ARE PRESENT AT THE EXCAVATION BASE. AT TURBINE SITES WHERE SANDS ARE ENCOUTERED AT THE FOUNDATION BASE ELEVATION, PERFORM SURFACE COMPACTION WITH A MINIMUM OF ONE PASS THROUGHOUT THE EXCAVATION BASE.

IF IN THE COURSE OF EXCAVATING THE FOLINDATION THE BASE OF THE EXCAVATION BECOMES RUTTED, DAMAGED OR IS OTHERWISE DETERMINED TO BE OF INADEQUATE CHARACTER, PERFORM THE FOLLOWING ACTIONS:

a. SILTS OR CLAYS: SUBCUT THE EXCAVATION A MINIMUM OF 6 INCHES BEYOND THE

DEPTH OF THE INADEQUATE SOILS AND REPLACE WITH LEAN CONCRETE OR ENGINEERED FILL. CONTACT FOUNDATION ENGINEER FOR ENGINEERED FILL

GRANULAR SOILS: LEVEL AND SURFACE COMPACT THE EXCAVATION BASE SURFACE COMPACTION OF THIS MATERIAL TO ACHIEVE AT LEAST 98 PERCENT OF THE LABORATORY MAXIMUM DRY DENSITY MEASURED ACCORDING TO THE STANDARD PROCTOR TEST METHOD.

PRIOR TO PLACING PROTECTIVE LEAN CONCRETE SURFACE, HAVE A PROFESSIONAL GEOTECHNICAL ENGINEER (OR A PERSON LINDER THE GEOTECHNICAL ENGINEER'S DIRECT SUPERVISION) INSPECT THE SUBGRADE CONDITIONS AND RECORD THE SOIL TYPE ENCOUNTERED, GROUNDWATER CONDITIONS, OR OTHER SUBSURFACE CONDITIONS. SUBGRADE INSPECTION REPORT SHALL BE PREPARED AND SUBMITTED FOR EACH FOUNDATION THAT INCLUDES THE FOLLOWING:

VERIFICATION THAT OBSERVATIONS TAKEN ARE CONSISTENT WITH THE OBSERVATIONS CONTAINED IN THE REFERENCED GEOTECHNICAL DOCUMENT ON DRAWING S-01.

VERIFICATION THAT SUBGRADE STRENGTH AND UNIFORMITY ARE ADEQUATE (SUBMIT FOR REVIEW THE METHODS TO BE USED TO VERIFY THE SUBGRADE STRENGTH AND UNIFORMITY).

PHOTOS OF PREPARED SUBGRADE.

IF SOIL CONDITIONS ARE ENCOUNTERED THAT ARE NOT CONSISTENT WITH THE REFERENCED GEOTECHNICAL DOCUMENTS (E.G. HALF SOILS AND HALF ROCK) OR IF SUBGRADE UNIFORMITY OR STRENGTH IS INSUFFICIENT, OBTAIN WRITTEN INSTRUCTIONS FROM THE FOUNDATION ENGINEER AS TO THE MEANS OF CORRECTION TO BE UNDERTAKEN. OBTAIN WRITTEN CONFIRMATION FROM THE GEOTECHNICAL ENGINEER THAT THE SPECIFIED CORRECTIVE ACTIONS WERE COMPLETED.

FOR PROTECTION OF THE SUBGRADE AND ESTABLISHMENT OF A WORKING SURFACE, PLACE LEAN CONCRETE FILL AS INDICATED ON DRAWING S-01. IT IS RECOMMENDED THAT THE

LEAN CONCRETE FILL BE PLACED AS LEVEL AS PRACTICAL TO FACILITATE PLACEMENT OF THE REINFORCING STEEL AND EMBEDMENT RING.

BACKFILL AND COMPACTION: PLACE AND COMPACT COMMON FILL MATERIALS TO THE LIMITS. DEPTH AND DRY DENSITY INDICATED ON DRAWING S-01. IN ADDITION TO THE DRY DENSITY REQUIREMENT. BACKFILL MUST BE COMPACTED TO A MINIMUM OF 95% STANDARD PROCTOR PLACE FILL IN MAXIMUM LOOSE LIFTS OF 12 INCHES OR LESS TO ACHIEVE THE SPECIFIED DENSITY ADDITIONAL DRYING OF BACKFILL MATERIAL MAY BE NECESSARY TO ACHIEVE THESE SPECIFICATIONS. BACKFILL MAY BE PLACED WHEN THE FOOTING AND PEDESTAL HAVE REACHED 2 000 PSI

GRADE THE SITE IN ACCORDANCE WITH DRAWING S-01 TO PREVENT WATER FROM PONDING OVER THE FOUNDATION WHILE MAINTAINING AT LEAST THE MINIMUM DEPTH OF FILL SPECIFIED ON THE DRAWINGS. RESTORE THE SITE IN ACCORDANCE WITH OWNER REQUIREMENTS.

TESTING AND INSPECTION

FOR EVERY 2500 CUBIC YARDS OF PLACED COMMON FILL OBTAIN SAMPLES OF COMMON FILL MATERIALS AND PERFORM AND SUBMIT GRAIN SIZE ANALYSIS PER ASTM D422, MOISTURE CONTENT PER ASTM D2216, AND STANDARD PROCTOR MAXIMUM DRY DENSITY PER ASTM D698.

FOR ALL PLACED AND COMPACTED COMMON FILLS AROUND THE FOUNDATION, PERFORM AND SUBMIT ONE DENSITY TEST PER LIFT INDICATING TEST LOCATION, DRY DENSITY AND MOISTURE CONTENT PER ASTM D6938.

PROVIDE A SUBGRADE INSPECTION REPORT TO BE COMPLETED BY A GEOTECHNICAL ENGINEER FOR EACH FOUNDATION.

3.0 CAST-IN-PLACE CONCRETE AND STEEL REINFORCING

CONCRETE WORK SHALL BE IN COMPLIANCE WITH THE FOLLOWING CODES AND SPECIFICATIONS:

ACI 301. STANDARD SPECIFICATIONS FOR STRUCTURAL CONCRETE. ACI 308, STANDARD SPECIFICATION FOR CURING CONCRETE.

ACI 318 (CURRENT EDITION), BUILDING CODE REQUIREMENTS FOR STRUCTURAL CONCRETE

ASTM C94, STANDARD SPECIFICATION FOR READY-MIX CONCRETE.

e. ASTM C172, STANDARD PRACTICE FOR SAMPLING FRESHLY MIXED CONCRETE. CONCRETE SHALL MEET THE REQUIREMENTS OF ACI 318, TABLES 19.3.1.1 AND 19.3.2.1 FOR EXPOSURE CLASSES 'F2', 'S0', 'W0', AND 'C1'.

B. SUBMITTALS

FOR EACH CONCRETE TYPE USED, SUBMIT FOR APPROVAL A MIX DESIGN CERTIFIED BY A PROFESSIONAL ENGINEER (LICENSED IN OHIO) AND MEETING THE MINIMUM SPECIFIED REQUIREMENTS, CONCRETE MIX SHALL BE PROPORTIONED ACCORDING TO THE REQUIREMENTS OF ACI 318, CHAPTER 5 ON THE BASIS OF FIELD DATA OR TRIAL MIXTURES.

SUBMIT PRODUCT DATA FOR ADMIXTURES, POZZOLAN, AND CEMENT USED ON THE PROJECT SUBMIT GRADATION, SOURCE, AND TYPE OF COARSE AND FINE AGGREGATE MEETING THE REQUIREMENTS OF ASTM C33

SUBMIT REINFORCING FABRICATION AND PLACEMENT SHOP DRAWINGS.

SUBMIT MILL REPORTS OF REINFORCING STEEL, CONFIRMING THE GRADE AND STRENGTH OF REINFORCING STEEL PROVIDED ON THE PROJECT.

SUBMIT QUALITY CONTROL FIELD TESTS OF AIR CONTENT, SLUMP, AIR TEMPERATURE, AND CONCRETE TEMPERATURE.

SUBMIT CONCRETE CYLINDER STRENGTH TEST RESULTS.

SUBMIT A PLAN FOR HOT AND COLD WEATHER PROTECTION OF CONCRETE IN ACCORDANCE

SUBMIT A PLAN FOR CONCRETE CURING IN ACCORDANCE WITH ACI 308

ASR REQUIREMENTS: IF AGGREGATES CONTAIN POTENTIALLY REACTIVE MATERIALS (AS DETERMINED BY ONE OF THE TEST METHODS OUTLINED IN ASTM C33, APPENDIX X1) SUBMIT TEST RESULTS INDICATING THE POTENTIAL REACTIVITY, SUCH AS THE RESULTS OF TESTING TO ASTM C295, C289, C1293, OR C1260. IF THESE TEST RESULTS INDICATE THE AGGREGATES ARE REACTIVE, SUBMIT AN ASR MITIGATION PLAN, INCLUDING VERIFICATION THAT THE PROPOSED MEASURES WILL SUFFICIENTLY LIMIT ASR TO PREVENT EXCESSIVE EXPANSION. THIS VERIFICATION SHALL CONSIST OF THE RESULTS OF TESTS PERFORMED ACCORDING TO ASTM C1567, AASHTO T303, OR ASTM C1293,

SUBMIT FOR APPROVAL A MASS CONCRETE PLACEMENT AND TEMPERATURE CONTROL PLAN MEETING THE REQUIREMENTS OF ACI 301 CHAPTER 8 AND ACI 207.1R.

REINFORCING BARS: TO ASTM A615, GRADE 60 OR GRADE 75 AS NOTED ON DRAWING S-01, DEFORMED, UNCOATED.

CEMENT: TO ASTM C150, TYPE I, OR ASTM C1157, TYPE GU.

FLY ASH: TO ASTM C618 CLASS C OR F (IF SPECIFIED)

MINIMUM CEMENTITIOUS CONTENT: IN ACCORDANCE WITH APPROVED MIX DESIGN

COARSE AND FINE AGGREGATES: TO ASTM C33, GRADATION IN ACCORDANCE WITH SPECIFICATIONS AND APPROVED MIX DESIGN. NOMINAL MAXIMUM AGGREGATE SIZE SHALL BE AS SHOWN ON DRAWING S-01. ALL AGGREGATES MUST BE NON-REACTIVE WITH CEMENT TO PREVENT ASR.

AIR ADMIXTURE AND CONTENT: TO ASTM C260, 6% FOR PEDESTAL ONLY, NO AIR CONTENT REQUIREMENT FOR FOOTING.

OTHER ADMIXTURES: CHLORIDE FREE WATER REDUCING ADMIXTURE AND SUPERPLASTICIZER AS REQUIRED MAXIMUM WATER CEMENT RATIO: 0.45

28 DAY COMPRESSIVE STRENGTH: 5,000 PSI.
SLUMP: IN ACCORDANCE WITH APPROVED MIX DESIGN AT THE POINT OF DEPOSITION WITH THE ADDITION OF ADMIXTURES.

CONCRETE UNIT WEIGHT: 145 PCF (MINIMUM) TO ASTM C138.

PLACE CONCRETE AND REINFORCING AS SHOWN AND IN ACCORDANCE WITH THE FOLLOWING TOLERANCES

REINFORCING PLAN SPACING: PLUS OR MINUS 2 INCHES. REINFORCING VERTICAL SPACING: PLUS OR MINUS 1 INCH.

FOOTING CLEAR CONCRETE COVER: MINUS 0 INCHES, PLUS 3 INCHES. PEDESTAL CLEAR CONCRETE COVER: MINUS 0 INCHES, PLUS 2 INCHES.

FOOTING PLAN DIMENSIONS: MINUS O INCHES, PLUS 3 INCHES. FOOTING THICKNESS: MINUS O INCHES, PLUS 3 INCHES,

PEDESTAL PLAN DIMENSIONS: MINUS O INCHES, PLUS 2 INCHES.

PEDESTAL HEIGHT: MINUS 1 INCH. PLUS 0 INCHES. PEDESTAL CENTERED TO WITHIN 2 INCHES RELATIVE TO FOOTING

j. Concrete air content: $\pm/-$ 1.5% provide necessary ties, chairs, and standees to secure and support rebar and

DURING PLACEMENT OF CONCRETE. REBAR THAT DEFLECTS BUT RETURNS TO ITS ORIGINAL POSITION IS ACCEPTABLE

REINFORCEMENT SHALL BE FREE OF LOOSE RUST, MILL SCALE, EARTH, ICE, CONCRETE, OR OTHER MATERIALS WHICH COULD PREVENT BONDING TO NEW CONCRETE SET FORMWORK PER ACI 347 IN ACCORDANCE WITH SPECIFIED DIMENSIONS AND TOLERANCES. PREVENT FORMWORK FROM DEFLECTING GREATER THAN 1 INCH DURING

PLACEMENT OF CONCRETE FORMWORK MUST BE REMOVED AFTER CONCRETE WORK IS

PLACE CONCRETE IN ACCORDANCE WITH ACI 318, PLACE SUCCESSIVE LIFTS OF CONCRETE

AS QUICKLY AS POSSIBLE TO ENSURE PROPER AMALGAMATION OF CONCRETE BETWEEN

CONSOLIDATE CONCRETE IN ACCORDANCE WITH ACI 318 PREVENTING THE FORMATION OF

PRIOR TO PLACING PEDESTAL CONCRETE, CLEAN CONCRETE SURFACE WITH AIR OR WATER

CLIRE CONCRETE FOOTING AND PEDESTAL IN ACCORDANCE WITH ACL 318 AND 308. IF A

CURING MEMBRANE IS USED, APPLY CURING MEMBRANE AS SOON AS BLEEDING HAS

STOPPED AND FREE WATER HAS DISAPPEARED FROM THE SURFACE.
ALL METAL DEVICES USED TO SUPPORT FORMWORK OR TEMPORARY BRACING THAT ARE

ANY SHRINKAGE CRACKS IN EXCESS OF 0.012 INCHES (0.3mm) IN WIDTH SHALL BE

MONITOR MASS CONCRETE TEMPERATURES IN ACCORDANCE WITH THE MASS CONCRETE

FOR EACH FOOTING PLACED, CAST A MINIMUM OF (2) 6-INCH OR (3) 4-INCH DIAMETER

THEREOF, OF CONCRETE PLACED FOR LABORATORY STRENGTH TESTING PER ASTM C39.

4-INCH CYLINDER BREAKS). FOR EACH FOOTING PLACED, CAST (2) 6-INCH OR (3)

ONE "STRENGTH TEST" PER ASTM C39 AT 56 DAYS. CAST ADDITIONAL CYLINDERS AS

PERFORM ONE "STRENGTH TEST" AT 28 DAYS ("STRENGTH TEST" = AVERAGE OF (2)

PERFORM TESTING AND INSPECTION REQUIRED BY THE MASS CONCRETE TEMPERATURE

PRODUCTS, SUBMITTALS, EXECUTION, AND TESTING ARE SPECIFIED TO PROVIDE DURABLE

SUBMIT MILL CERTIFICATES FOR ANCHORS INDICATING YIELD AND TENSILE STRENGTH OF

SUBMIT A 12-INCH LONG PRODUCT SAMPLE OF THE ANCHOR COMPLETE WITH WASHER AND

SUBMIT MILL CERTIFICATES FOR THE EMBEDMENT RING INDICATING THAT THE MATERIAL MEETS

SUBMIT A TENSIONING CALIBRATION PROCEDURE FOR REVIEW, INCLUDING VERIFICATION THAT

SUBMIT PRODUCT DATA AND SHOP DRAWING FOR ANCHORS AND HARDWARE

SUBMIT LABORATORY TENSION TESTS OF ANCHOR COMPLETE WITH THREADS

THE EQUIPMENT PROVIDED AND TENSIONING METHODS USED ARE DELIVERING THE

SUBMIT TENSION TEST DATA FOR ANCHOR BOLTS THAT ARE TESTED INDICATING BOLT

ANCHOR BOLTS: #11 SIZE WITH MATERIAL TO ASTM A615 GRADE 75, WITH COLD ROLLED

THREADS A MINIMUM YIELD STRENGTH OF 75 KSL A MINIMUM TENSILE STRENGTH OF 100

KSI, A MAXIMUM THREAD DIAMETER OF 1.50 INCHES, AND A MINIMUM NET AREA OF 1.56

EMBEDMENT RING: TO ASTM A36, PLAIN FINISH, NEW MATERIAL (NO REUSED TEMPLATES).

HEAVY HEX NUTS: TO ANCHOR BOLT MANUFACTURER'S SPECIFICATIONS. NUTS SHALL BE

THE FOLLOWING TOLERANCES SHALL BE ADHERED TO FOR PLACEMENT OF ANCHOR BOLTS:

THE BOTTOM OF THE ANCHOR BOLT SHALL EXTEND BEYOND THE BOTTOM NUT BY A

USE A TEMPLATE RING TO SET ANCHOR BOLT PLUMBNESS AND POSITION. ENSURE

TEMPLATE RING IS SET IN ACCORDANCE WITH THE SPECIFIED CONSTRUCTION TOLERANCES.

ENSURE THE EMBEDMENT RING IS PROPERLY ANCHORED TO PREVENT MOVEMENT. IT IS

ACCEPTABLE TO WELD SUPPLEMENTAL STEEL BRACING TO THE EMBEDMENT RING OR

PLACE AND LEVEL THE EMBEDMENT RING IN ACCORDANCE WITH THE SPECIFIED TOLERANCES.

TEMPLATE AND EMBEDMENT RING PLAN DIMENSION - PLUS OR MINUS 1/16 INCH.

ANCHOR BOLT SLEEVES: TO ANCHOR BOLT MANUFACTURER'S REQUIREMENTS.

CAPABLE OF DEVELOPING THE MINIMUM TENSILE STRENGTH OF THE ANCHOR

ANCHOR BOLT PLAN LOCATION - PLUS OR MINUS 1/16 INCH.

ANCHOR BOLT PLUMBNESS - LESS THAN 1/4 DEGREE

EMBEDMENT RING LEVEL - PLUS OR MINUS 1/4 INCH.

EMBEDMENT RING ELEVATION - PLUS OR MINUS 1/2 INCH

6-INCH OR (3) 4-INCH CYLINDER BREAKS) AND IF NECESSARY ONE AT 56 DAYS CAST

FOR EACH PEDESTAL, CAST A MINIMUM OF (4) 6-INCH OR (6) 4-INCH DIAMETER

PERFORM ONE "STRENGTH TEST" AT 28 DAYS FOR EVERY 150 CUBIC YARDS, OR FRACTION

THEREOF, OF CONCRETE PLACED ("STRENGTH TEST" = AVERAGE OF (2) 6-INCH OR (3)

4-INCH ADDITIONAL CONCRETE CYLINDERS PER ASTM C31, AND IF NECESSARY PERFORM

CONCRETE CYLINDERS PER ASTM C31 FOR LABORATORY STRENGTH TESTING PER ASTM C39.

ADDITIONAL CYLINDERS AS REQUIRED TO DETERMINE CONCRETE STRENGTH AT OTHER TIMES.

PERFORM A MINIMUM OF ONE AIR TEST PER ASTM C231 AND A MINIMUM OF ONE SLUMP TEST PER ASTM C143 PER SET OF CYLINDERS CAST. RECORD AMBIENT AIR TEMPERATURE

CONCRETE CYLINDERS PER ASTM C31 FOR EVERY 150 CUBIC YARDS, OR FRACTION

EMBEDDED IN THE FOOTING OR PEDESTAL SHALL BE REMOVED TO A DEPTH OF ONE INCH

JOINTS, VOIDS, HONEYCOMBING OR SEGREGATION OF AGGREGATE.

FROM THE SURFACE OF THE CONCRETE AND FILLED WITH GROUT.

REQUIRED TO DETERMINE CONCRETE STRENGTH AT OTHER TIMES.

AND CONCRETE TEMPERATURE PER ASTM C1064.

ANCHOR BOLTS AND EMBEDMENT PLATES.

THE MINIMUM STRENGTH REQUIREMENTS.

SUBMIT A TENSIONING PROCEDURE FOR REVIEW.

SUBMIT A TENSION TESTING PROCEDURE FOR REVIEW.

SUBMIT EMBEDMENT RING AND TEMPLATE RING SHOP DRAWINGS.

HARDENED STEEL WASHERS: TO ASTM F436, PLAIN FINISH.

NECESSARY LOCK OFF LOAD.

LOCATION AND TENSION VALUE.

SQUARE INCHES.

SUBMITTALS

ANCHORS

4.0 ANCHOR BOLTS AND EMBEDMENT RING

12. ALL HOOKS SHOWN ON REBAR SHALL BE STANDARD HOOKS (UNO).

TROWEL AND BROOM FINISH TOP OF PEDESTAL

TEMPERATURE CONTROL PLAN.

E. TESTING AND INSPECTION

ROUGH FINISH TOP OF CONCRETE FOOTING USING A ROLLER SCREED.

TO REMOVE DEBRIS AND OTHER LOOSE MATERIAL FROM TOP OF FOOTING.

SEALED WITH AN ENGINEER APPROVED PRODUCT.

JOBSITE ADDITION OF WATER TO AIR ENTRAINED CONCRETE IS PROHIBITED.

COMPLETED

SUCCESSIVE LIFTS

AFTER PLACEMENT OF CONCRETE PEDESTAL, PREVENT WATER FROM ENTERING THE SLEEVE ANNULUS FROM THE TOP SURFACE PRIOR TO SETTING OF TOWER AND GROUTING OF

BASEPLATE. AFTER SETTING AND GROUTING OF THE LOWER TOWER SECTION(S) AND AFTER THE CONCRETE AND GROUT HAS ACHIEVED THE REQUIRED STRENGTH GIVEN IN SECTION 7.0, USE AN APPROVED TENSIONING PROCEDURE TO APPLY A LOCK-OFF FORCE TO EACH ANCHOR BOLT WHICH IS NO GREATER THAN 8 KIPS MORE THAN THE SPECIFIED TENSION FORCE. THI LOCK-OFF FORCE SELECTED BY THE CONTRACTOR SHOULD ACCOUNT FOR TENSION LOSSES DUE TO THE TENSIONING PROCEDURE TO ENSURE THE SPECIFIED TENSION TEST VALUE IS ACHIEVED, THE TENSIONING EQUIPMENT FOR THE ANCHOR BOLTS SHOULD BE CALIBRATED II ACCORDANCE WITH THE APPROVED PROCEDURE ON A REGULAR BASIS TO ENSURE REQUIRED

TESTING AND INSPECTION

TENSIONS ARE ACHIEVED.

SUBMIT 3 LABORATORY TENSION TESTS FOR ANCHOR BOLTS FOR EACH HEAT NUMBER FURNISHED, COMPLETE WITH THREADS, PERFORMED BY AN INDEPENDENT TESTING LABORATORY, PERFORM TEST IN ACCORDANCE WITH ASTM A370, AND REPORT YIELD STRESS AND TENSILE STRESS

AFTER ALL BOLTS HAVE BEEN TENSIONED, A MINIMUM OF 10% OF THE TOTAL BOLTS INSTALLED PER FOUNDATION SHALL BE RANDOMLY TESTED TO VERIFY THAT THE SPECIFIED TENSION LOAD HAS BEEN ACHIEVED BY LISE OF AN APPROVED TENSION TESTING PROCEDURE. IF ANY OF THE BOLTS DO NOT MEET THE REQUIRED TENSION TEST VALUE, THEN ALL BOLTS OF THE TOWER MUST BE RETENSIONED AND THE TENSION TEST MUST BE REPEATED. REPEAT THE PROCEDURE UNTIL ALL THE TENSION TESTS PASS.

5.0 TOWER BASE GROUT

A. GENERAL

COORDINATE GROUTING PROCEDURES WITH THE REQUIREMENTS OF THE TOWER MANUFACTURER.

B. SUBMITTALS

SUBMIT MANUFACTURER'S GROUT PRODUCT DATA AND MANUFACTURER'S APPROVED MIXING, PLACING AND CURING INSTRUCTIONS FOR GROUT TO BE PLACED.

SUBMIT GROUT CUBE STRENGTH TEST RESULTS.

SUBMIT CONTRACTOR'S TOWER BASE SETTING/GROUTING PLAN

PRODUCTS

EPOXY NON-SHRINK GROUT: PREPACKAGED EPOXY GROUT WITH A MINIMUM COMPRESSIVE STRENGTH AFTER 28 DAYS ACCORDING TO ASTM C579 AS SHOWN ON DRAWING S-01 AND A MAXIMUM COEFFICIENT OF THERMAL EXPANSION OF 30 X 10-6 IN/IN/F IN ACCORDANCE WITH ASTM C531

CEMENTITIOUS NON-SHRINK GROUT: PREPACKAGED GROUT CONFORMING TO ASTM C1107. WITH A MINIMUM COMPRESSIVE STRENGTH AFTER 28 DAYS ACCORDING TO ASTM C109, AS SHOWN ON DRAWING S-01.

D. EXECUTION

MIX, PLACE, AND CURE GROUT IN ACCORDANCE WITH APPROVED MANUFACTURER'S INSTRUCTIONS FOR CEMENT GROUTS, PROVIDE GROUT SHOULDERS IN ACCORDANCE WITH DRAWING DETAILS

DO NOT ALLOW GROUT TO BE PLACED AGAINST THE SIDE OF THE TOWER FLANGE. FOR EPOXY GROUTS, POUR GROUT ACCORDING TO THE MANUFACTURER'S RECOMMENDATIONS IF GROUT IS PLACED UP THE SIDE OF THE TOWER FLANGE, PROVIDE A 1/4 INCH

EXPANSION JOINT BETWEEN THE TOWER FLANGE AND THE GROUT, AND SEAL EXPANSION JOINT WITH AN APPROVED SEALANT. ONCE GROUT CUBES ARE MOLDED IN THE FIELD THEY SHALL REMAIN UNDISTURBED AND

PROTECTED FROM EXTREMES IN TEMPERATURE AND VIBRATION AT THE PROJECT SITE FOR AT LEAST 18 HOURS.

CAST MINIMUM OF 9 GROUT CUBES FOR FACH FOUNDATION

PERFORM TWO LABORATORY "GROUT STRENGTH TESTS" PER ASTM C109 AT 28 DAYS

("GROUT STRENGTH TEST" = AVERAGE OF THREE CUBE BREAKS) AND IF NECESSARY ONE AT A LATER DATE. CAST ADDITIONAL GROUT CUBES AS REQUIRED TO DETERMINE STRENGTH AT OTHER TIMES.

6.0 MISCELLANEOUS CONCRETE EMBEDMENTS

A. GENERAL

COORDINATE THE LOCATION AND PLACEMENT OF GROUNDING GRIDS, CONTROL CONDUIT AND FLECTRICAL CONDUIT SUBMITTALS

SUBMIT CONDUIT PLACEMENT DETAILS TO THE FOUNDATION ENGINEER FOR APPROVAL

SHOWING DISTANCE FROM TOP OF PEDESTAL TO TOP CONDUIT PENETRATION (THROUGH SIDE OF PEDESTAL). **PRODUCTS**

NO ITEMS EXECUTION

VERIFY THE LOCATION OF MISCELLANEOUS CONCRETE EMBEDMENTS AND CONDUIT SO AS NOT TO INTERFERE WITH THE FOUNDATION'S STRUCTURAL REINFORCING STEEL.

ENSURE THAT MISCELLANEOUS EMBEDMENTS ARE PROPERLY SECURED TO PREVENT MOVEMENT DURING CONCRETE PLACEMENT.

TOP OF CONDUIT MUST BE A MINIMUM OF 24 INCHES BELOW TOP OF PEDESTAL.

7.0 TOWER ERECTION AND ANCHOR TENSIONING REQUIREMENTS

A. GENERAL

TOWER SECTIONS MAY BE ERECTED, LEVELED AND GROUTED IN ACCORDANCE WITH SUBMITTAL 5.B.3 ABOVE. ANCHORS MAY BE TENSIONED WHEN:

a. THE CONCRETE STRENGTH OF THE FOOTING AND PEDESTAL HAS REACHED 5,000 PSI. THE GROUT STRENGTH HAS REACHED 5,000 PSI. THE NACELLE AND BLADES MAY BE ERECTED WHEN:

THE CONCRETE STRENGTH OF THE FOOTING AND PEDESTAL HAS REACHED THE SPECIFIED 28 DAY STRENGTH

THE GROUT STRENGTH HAS REACHED THE SPECIFIED 9 28 DAY STRENGTH.

UPON COMPLETION OF THE ANCHOR BOLT TENSIONING AND TESTING AS FOUND IN SECTION 4.E.2 VERIFYING THAT THE REQUIRED TENSION VALUE HAS BEEN ACHIEVED.

ISSUE FOR CONSTRUCTION CONFIDENTIAL

NORTHWEST OHIO WIND PROJECT

PAULDING COUNTY, OHIO

SPREAD FOOTING FOUNDATION

35631001.02 CLIENT PROJECT No

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MATTHEW B.

JOHNSON

E-74181

09/15/17

TECHNICAL SPECIFICATIONS AND SUBMITTALS

0 RRR2 CMM3 MBJ 9/15/1 RELEASED TO/FOR NO. BY CHK APP. DATE REVISION DESCRIPTION DATE RELEASED

BARR 4300 MAR Suite 200

BARR ENGINEERING CO. 4300 MARKETPOINTE DRIVE MINNEAPOLIS, MN 55435 Ph: 1-800-632-2277 Fax: (952) 832-2601

3/17/2017 KLT СММЗ CPB

TEMPLATE RING TO PREVENT MOVEMENT NONE

MINIMUM OF 1/2 INCH.

WHITE CONSTRUCTION CLINTON, INDIANA



Foundation Design Computations GE 2.5-116 90 Meter Hub Height Northwest Ohio Wind Project Starwood Energy Group Global Paulding County, Ohio

Prepared for White Construction Inc. Clinton, Indiana

September 2017

4300 MarketPointe Drive, Suite 200 Minneapolis, MN 55435 Phone: 952.832.2600 Fax: 952.832.2601 Foundation Design Computations GE 2.5-116 90 Meter Hub Height Northwest Ohio Wind Project Starwood Energy Group Global Paulding County, Ohio

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Certifications

I hereby certify that this report was prepared by me or under my direct supervision and that I am a duly licensed Professional Engineer under the laws of the State of Ohio.



Matt B. Johnson

PE #: E-74181

September 15, 2017

Date

In addition to the Engineer of Record, the professional staff involved in the preparation of this report includes the following:

- Lukas Hartman, Structural Intern, Barr Engineering Company
- Alex Chizmadia, Structural Engineer, Barr Engineering Company
- Christopher Marr, Project Manager, Barr Engineering Company

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II. Basic Design Data

A. Material Properties

1. Concrete Strength

Minimum strength at 28 days, $f'_c = 5,000 \text{ psi}$

2. Steel Reinforcing Yield Strength

Grade 75: $f_y = 75,000 \text{ psi}$

Grade 60: $f_y = 60,000 \text{ psi}$

3. Grout Strength

Minimum strength at 3 days, $f_c = 5,000 \text{ psi}$

Minimum strength at 28 days, f'c = 9,500 psi

4. Embedment Plate Yield Strength

 $f_v = 36,000 \text{ psi}$

5. Anchor Bolt

Tensile Strength, $f_u = 100,000$ psi

Yield Strength, $f_v = 75,000 \text{ psi}$

B. Foundation Loads Imposed by Tower and Turbine

The foundation has been designed according to the loads in Reference 3.

1. Reference 3 Load Accuracy

Barr's analysis and calculations rely on the foundation loading in Reference 3 and are dependent on the load data being correct. The load data cannot be independently confirmed.

The actual loads experienced by the foundation will likely vary depending on weather conditions and equipment performance and the actual loads are difficult or impossible to measure in the field, and can be measured, if at all, only after the construction is complete and under extreme circumstances. Thus, there is risk that the load data is incorrect or incomplete and Barr cannot provide assurance of foundation performance under other loads.

2. Design Fatigue Cycles

Twenty years based on fatigue loading provided in Reference 3.

C. Design Criteria

1. Minimum Factor of Safety Against Overturning

In accordance with generally accepted practices and standards of engineering and Reference 6, the summation of the moments of forces resisting overturning must be 1.5 times greater than the summation of the moments of forces causing overturning. This summation is taken at the base of the foundation.

2. Minimum Factor of Safety Against Sliding

In accordance with generally accepted practices and standards of engineering and Reference 6, the summation of forces resisting sliding must be 1.5 times greater than the summation of forces causing sliding. The summation is taken at the base of the foundation.

3. ACI 318 Load Factors and Strength Reduction Factors

In accordance with Chapter 9 of the ACI code (Reference 1a), the required strength (U) is computed by multiplying the service loads by load factors, which depend on the load type (wind, earthquake, live load, dead load) and the load combination being used. The wind loads are factored in accordance with Reference 10. The design strength of the element must be equal to or greater than the required strength. The design strength of the element is the nominal strength of the element times a strength reduction factor that depends on the type of force (shear, moment, bearing, compression) or combination of forces that are imparted on the element.

4. Minimum Factor of Safety Against Bearing Capacity Failure

In accordance with generally accepted practices and standards of engineering and Reference 6, for normal loading the typical factor of safety against a bearing capacity failure is 3.0 and a 133% increase in allowable bearing capacity is allowed for normal extreme wind loading. Hence, the factor of safety against a bearing capacity failure due to normal extreme wind loading is 3.0/1.33 or 2.25.

5. Minimum Foundation Stiffness

Foundation stiffness shall be in accordance with Reference 3 and Reference 9.

D. Soil Properties

1. Strength Data

Summary of Geotechnical Recommendations found in Reference 2.

2. Stiffness Properties

Summary of Geotechnical Recommendations found in Reference 2.

3. Design Groundwater Level

Summary of Geotechnical Recommendations found in Reference 2.

III. Foundation, Tower and Design Information

A. Unit Definitions and Foundation Dimensions

Foundation width:

$$D := 61.5 \cdot ft$$

Pedestal

 $C := 18 \cdot ft$

 $meter \equiv m$

diameter:

 $k = 1000 \cdot lbf$

Average extension of pedestal above
$$h_{pe} := 6in + \left(\frac{0.25in}{ft}\right) \cdot \left(\frac{D-C}{4}\right)$$

Height of base:

$$h_b := 12 \cdot in$$

Height of center: $h_c := 54 \cdot in$ (above base)

ground surface:

 $h_{pe} = 8.72 \cdot in$

Height of soil: (from foundation bottom)

$$h_s := 10.5 \text{ft} - h_{pe}$$
 Height of pedestal:

pedestal:

$$h_p := h_s - h_b - h_c + h_{pe}$$

$$h_p\,=\,60.00{\cdot}in$$

▼

Height of embedment ring above bottom of footing:

$$h_e := 27 \cdot in$$

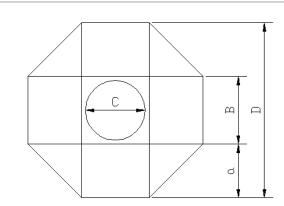
Minimum depth of groundwater below grade:

$$d_{GWT} := 2ft$$

Minimum depth of groundwater below grade (fatigue):

(Reference 2)

 $d_{GWTF} := 2 \cdot ft$



Top width:

$$\mathrm{B} := \frac{\mathrm{D}}{1 + \sqrt{2}}$$

$$B = 25.47 \, ft$$

Side width:

$$a := \frac{D-B}{2}$$

$$a\,=\,18.01\,ft$$

Edge slope:

$$\xi_1 := atan \left(\frac{h_c}{a}\right)$$

$$\xi_1 = 14.03 \cdot \deg$$

Corner slope:

$$\xi_2 := atan \Bigg(\frac{2h_c}{B} \Bigg) \quad GroundwaterLocation := \quad \left| \begin{array}{c} if \ d_{GWT} < h_S \end{array} \right|$$

$$\xi_2 := \operatorname{atan}\left(\frac{2\Pi_c}{B}\right)$$

 $\xi_2 = 19.46 \cdot \text{deg}$

Bottom cover:

$$cc_{bot} := 3 \cdot in$$

Top cover:

$$cc_{top} := 2 \cdot in$$

 $\label{eq:within the Base} \begin{tabular}{ll} "Within the Base" & if $d_{GWT} \geq h_s - h_b$ \\ \\ if $d_{GWT} < h_s - h_b$ \\ \\ "Within the Center" & if $d_{GWT} \geq h_s - h_b - h_c$ \\ \\ "Within the Pedestal" & otherwise \\ \end{tabular}$

"Below the Foundation" otherwise

GroundwaterLocation = "Within the Pedestal"

B. Tower Bottom Flange Dimensions

Flange outside diameter: $OD := 4556 \cdot mm$ OD = 14.95 ft

Flange inside diameter: ID := $4000 \cdot \text{mm}$ ID = 13.12 ft

Total number of bolts (2 circles): N := 2.70

Inner bolt circle diameter: $D_i := 4130 \cdot mm$ $D_i = 13.55 \text{ ft}$

Outer bolt circle diameter: $D_0 := 4426 \cdot mm$ $D_0 = 14.52 \text{ ft}$

Average tower diameter: $d_{tower} := \frac{(OD + ID)}{2} = 14.04 \, \text{ft}$ $d_{tower} = 14.04 \, \text{ft}$

Thickness of tower flange: $t_{flange} := 75 \cdot mm$ $t_{flange} = 2.95 \cdot in$

 $\label{eq:Davg} \text{Average bolt circle diameter:} \qquad \qquad D_{avg} := \frac{D_i + D_o}{2} \qquad \qquad D_{avg} = 168.43 \cdot \text{in}$

Width of flange: $w_{flange} := \frac{OD - ID}{2}$ $w_{flange} = 10.94 \cdot in$

C. Stability Safety Factors

Minimum factor of safety: $FS_{min} := 1.5$ (Reference 1)

Minimum factor of safety: $FS_{min2} := 1.0$ (Reference 1)

D. Stiffness Requirements

Required dynamic rotational stiffness: $K_{\text{tyreq}} := \frac{5 \cdot 10^7 \cdot \text{kN} \cdot \text{m}}{\text{rad}}$ (Reference 3)

Required dynamic translational stiffness: $K_{\text{xreq}} := \frac{1 \times 10^6 \cdot \text{kN}}{\text{m}}$ (Reference 3)

E. ACI Reinforcing Information

(Reference 1a)

		4	0.500	0.20	0.668
		5	0.625	0.31	1.043
		6	0.750	0.44	1.502
Bar nominal size, diameter (in), area	ACI bar table :=	7	0.875	0.60	2.044
(in ²), and weight (lbf/ft):	ACI_bai_table .=	8	1.000	0.79	2.670
		9	1.128	1.00	3.400
		10	1.270	1.27	4.303
		11	1.410	1.56	5.313
		14	1.693	2.25	7.650
		18	2.257	4.00	13.600

"not used" 0.0001 0

0.375 0.11 0.376

F. Material Properties

Friction factor: $\mu_f := 0.4$ (Reference 2)

Concrete strength: $f_c := 5000 \cdot psi$

Steel yield strength: $f_v := 75000psi$

Steel verts yield strength: $f_{vv} := 60000 \cdot psi$

Steel modulus of elasticity: $E_s := 29000 \text{ksi}$

Density of concrete: $\gamma_c := 150 \text{pcf}$

Density of water: $\gamma_{\rm W} := 62.4 {\rm pcf}$

Design density of soil above GWT for bottom steel and stability: $\gamma_{\text{sdbot}} := 110 \text{pcf}$ (Reference 2)

Design density of soil below GWT for bottom steel and stability: $\gamma_{ssbot} := 125pcf$

Design density of soil above GWT for top $\gamma_{\text{sdtop}} := 125\text{pcf}$ steel:

Design density of soil below GWT for top steel: $\gamma_{\text{sstop}} := 125 \text{pcf}$

Soil wedge angle from vertical: $\theta := atan\left(\frac{1}{2}\right)$ $\theta = 26.6 \cdot deg$

Soil wedge angle from vertical $\theta_{\text{fat}} := \text{atan}\left(\frac{0}{2}\right)$ $\theta_{\text{fat}} = 0.00 \cdot \text{deg}$

Concrete modulus of elasticity: $E_c := 57000 psi \cdot \sqrt{\frac{f_c}{psi}}$ $E_c = 4031 \cdot ksi$

Modulus reduction factor: $\psi := 0.8$ (Reference 7)

Modular ratio: $n_{mod} := \frac{E_s}{\psi \cdot E_c} \qquad \qquad n_{mod} = 9.0$

G. Extreme Loading Conditions

(Reference 3)

Misalignment Loading (Section 3)

Base moment: $M_{align} := 1335kN \cdot m$ Misalignment angle (relative to wind):

$$M_{align} = 985 \cdot ft \cdot k$$

 $\Delta := 0 \deg$

Design Load Case 1.3: Normal Extreme

Normal extreme load factor:

$$\alpha_e := 1.4$$

Base moment:

 $M_e := \frac{60753.7}{1.35} kN \cdot m = 45003 \cdot kN \cdot m$

Base shear:

Tower & turbine dead weight:

$$H_e := \frac{691.7}{1.35} kN = 512 \cdot kN$$
 $W_{te} := \frac{3643.4}{1.35} kN = 2699 \cdot kN$

$$W = 607 l_c$$

 $M_e = 33192 \cdot ft \cdot k$

 $H_e = 115 \cdot k$

 $W_{te} = 607 \cdot k$

Design Load Case 6.2: Abnormal Extreme

Abnormal extreme load factor:

$$\alpha_a := 1.14$$

Base moment:

 $M_a := \frac{61262.32}{1.10} kN \cdot m$

 $M_a = 41077 \cdot k \cdot ft$

Base shear:

 $H_a := \frac{760.7}{1.10} kN$

 $H_a = 155 \cdot k$

Tower & turbine dead weight:

$$W_{ta} := \frac{2887.1}{1.10} kN$$

 $W_{ta} = 590 \cdot k$

H. Normal Loading Conditions - DLC 1.0

Base moment:

 $M_N := 35477.7 \cdot kN \cdot m$

 $M_N = 26167 \cdot \text{ft} \cdot \text{k}$

Base shear:

 $H_N := 410.6 \cdot kN$

 $H_N = 92 \cdot k$

Tower & turbine dead weight:

 $W_N := 2708.7 \cdot kN$

 $W_N = 609 \cdot k$

I. Normal Loading Conditions - DLC 1.3

Base moment:

 $M_{1.1} := 39454.6 \cdot kN \cdot m$

 $M_{1.1} = 29100 \cdot \text{ft} \cdot \text{k}$

Base shear:

 $H_{1.1} := 462.4 \cdot kN$

 $H_{1.1} = 104 \cdot k$

Tower & turbine dead weight: $W_{1.1} := 2722.6 \cdot kN$

 $W_{1.1} = 612 \cdot k$

J. Earthquake Loading Conditions

(Reference 1)

Seismic Design Criteria:

 $Site_{Class} := "C"$

(1600 ft/s shear wave velocity - Reference 2)

- Building Occupancy Category: II

(Non-Essential Power Facility, Non Hazardous)

- Seismic Design Category: B

(Determination of Seismic Design Category)

0.2 Second spectral response:

 $S_S := 0.15$

(USGS: Paulding County Ohio)

1.0 Second spectral response:

 $S_1 := 0.07$

(USGS: Paulding County Ohio)

Table 11.4-1 Site Coefficient, Fa					
	Mapped Maximum Considered Earthquake Spectral Response Acceleration parameter at Short Period				
Site Class	Ss <= 0.25	Ss = 0.50	Ss = 0.75	Ss = 1.00	Ss >= 1.25
Α	0.8	0.8	0.8	0.8	0.8
В	1	1	1	1	1
С	1.2	1.2	1.1	1	1
D	1.6	1.4	1.2	1.1	1
E	2.5	1.7	1.2	0.9	0.9
F	See Section 11.4.7				

Table 11.4-2 Site Coefficient, F _v					
		Mapped Maximum Considered Earthquake Spectral Response Acceleration parameter at 1-s Period			
Site Class	Ss <= 0.10	Ss = 0.20	Ss = 0.30	Ss = 0.40	Ss >= 0.50
Α	0.8	0.8	0.8	0.8	0.8
В	1	1	1	1	1
С	1.7	1.6	1.5	1.4	1.3
D	2.4	2	1.8	1.6	1.5
Е	3.5	3.2	2.8	2.4	2.4
F	See Section 11.4.7				

 $F_a = 1.20$

 $F_{v} = 1.70$

Importance factor:

I := 1.00

Adjusted 0.2s response:

 $S_{MS} := F_a \cdot S_S$

 $S_{MS} = 0.18$

Adjusted 1.0s response:

 $S_{M1} := F_v \cdot S_1$

 $S_{M1} = 0.12$

Design response:

 $S_{DS} := \frac{2}{3} \cdot S_{MS}$

 $S_{DS} = 0.12$

 $S_{D1} := \frac{2}{3} \cdot S_{M1}$

 $S_{D1} = 0.08$

Vertical seismic load effect:

 $E_v := if \big(S_{DS} \leq \, 0.125 \,, 0 \,, 0.2 {\cdot} S_{DS} \big) \quad E_v = \, 0.00 \,$

Seismic Design Requirements for Nonbuilding/Building Structures:

Response modification coefficient: R := 1.5

 $T_{L} := 12$ Long period transition period:

 $C_t := 0.02$ Period coefficients:

 $x_{EQ} := 0.75$

Height of structure: $h_n := 90 \cdot m$

Approximate fundamental period of structure:

$$T_{a1} := C_t \cdot \left(\frac{h_n}{ft}\right)^{x_{EQ}} \cdot s$$
 $T_{a1} = 1.42 s$

Value of Cu is calculated based on ASCE 7-05 Table 12.8-1

$$C_u = 1.70$$

Table 12.8-1 COEFFICIENT FOR UPPER LIMIT ON CALCULATED PERIOD			
Design Spectral Response Acceleration	Coefficient		
Parameter at 1 s, SD1	Cu		
>= 0.4	1.4		
0.3	1.4		
0.2	1.5		
0.15	1.6		
<= 0.1	1.7		

 $T_{a2} := C_{u} \cdot T_{a1}$ Maximum approximate period:

 $T := \min(T_{a1}, T_{a2})$ Design period: T = 1.42 s

 $C_{s1} := \frac{S_{DS}}{\underline{R}}$ $C_{s1} = 0.08$ Seismic response coefficients:

$$C_{s2} := if \left[\frac{T}{sec} \le T_L, \frac{S_{D1}}{\left(\frac{T}{sec}\right) \cdot \left(\frac{R}{I}\right)}, \frac{S_{D1} \cdot T_L}{\left(\frac{T}{sec}\right)^2 \cdot \left(\frac{R}{I}\right)} \right] = 0.037$$

 $T_{a2} = 2.42 \,\mathrm{s}$

Non-Building structure: $C_{s3} := 0.03$

$$C_{s4} := if \left(S_1 > 0.6, \frac{0.8 \cdot S_1}{\frac{R}{I}}, 0 \right) \qquad C_{s4} = 0.00$$

 $C_s := \max(\min(C_{s1}, C_{s2}), C_{s3}, C_{s4}) C_s = 0.037$

 $V := C_s \cdot W_{1,1}$ Minimum base shear: $V = 23 \cdot kip$

Structure Weights and Centers of Gravity:

(Reference 14)

Total weight of structure:

$$W_{1.1} = 612 \cdot kip$$

Weight of Component

Approximate Center of Gravity

Tower bottom section::

$$W_1 := 43954 \text{kgf}$$

$$h_1 := \frac{32.463}{2} m = 16231.50 \cdot mm$$

Tower lower mid section:

$$W_2 := 55091 \text{kgf}$$

$$h_2 := 32.463m + \frac{31.600}{2}m = 48263.00 \cdot (mm)$$

Tower upper mid section:

$$W_3 := 62954 \text{kgf}$$

$$h_3 := 32.463m + 31.600m + \frac{23.342m}{2} = 75734.00 \cdot (mm)$$

Tower top section:

$$W_4 := 0 \text{kgf}$$

$$h_4 := 0$$

Wind turbine nacelle and rotor:

$$h_5 := 90 \cdot m$$

Total tower weight:

$$W_{twr} := W_1 + W_2 + W_3 + W_4$$

$$W_{twr} = 357 {\cdot} kip$$

Wind turbine nacelle and rotor:

$$W_5 := W_{1.1} - W_{twr}$$

$$W_5 = 255 \cdot kip$$

Summary:

$$W = \begin{pmatrix} 0 \\ 97 \\ 121 \\ 139 \\ 0 \\ 255 \end{pmatrix} \cdot \text{kip}$$

$$h = \begin{pmatrix} 0.0\\16.2\\48.3\\75.7\\0.0\\90.0 \end{pmatrix} \cdot m$$

Determine Design Base Shear:

Exponent related to period of structure:

$$k_0 := if \left[\frac{T}{sec} \le 0.5, 1, if \left[\frac{T}{sec} \ge 2.5, 2, 2 - \left(\frac{2.5 - \frac{T}{sec}}{2} \right) \right] \right]$$

$$k_0 = 1.46$$

Number of tower components:

ntc := 1...5

Vertical Distribution Factor:

<u>Lateral Seismic Force at Each Level:</u>

$$C_{v_{ntc}} \coloneqq \frac{W_{ntc} \cdot \left(\frac{h_{ntc}}{ft}\right)^{k_0}}{\sum_{i = 1}^{5} \left[W_i \cdot \left(\frac{h_i}{ft}\right)^{k_0}\right]}$$

$$F_{ntc} := C_{v_{ntc}} \cdot V$$

Total lateral seismic force:

$$H_{EQ} := \sum_{i=1}^{5} (F_i)$$

$$H_{EQ} = 23 \cdot kip$$

Earthquake overturning moment:

$$M_{EQ} := \sum_{i=-1}^{5} (F_i \cdot h_i)$$

$$M_{EQ} = 5970 \cdot \text{ft} \cdot \text{kip}$$

Base moment:

$$M_{OE} := \sqrt{M_{1.1}^2 + M_{EQ}^2}$$

$$M_{OE} = 29706 \cdot \text{ft} \cdot \text{k}$$

Base shear:

$${\rm H_{OE}} := \sqrt{{\rm H_{1.1}}^2 + {\rm H_{EQ}}^2}$$

$$H_{OE} = 106 \cdot k$$

Tower & turbine dead weight:

$$W_{OE} := W_{1.1}$$

$$W_{OE} = 612 \cdot k$$

K. Fatigue Loading Conditions (Reference 3)

Mean shear: $H_{mean} := 344.1kN$ $H_{mean} = 77 \cdot kip$

Mean overturning moment: $M_{\text{mean}} := 30130 \text{kN} \cdot \text{m}$ $M_{\text{mean}} = 22223 \cdot \text{kip} \cdot \text{ft}$

Turbine & tower mean weight: $W_{mean} := 2689(kN)$ $W_{mean} = 605 \cdot kip$

Fatigue Loading (Markov Matrix):

	Overturning Moment (kN-m)		
Number of Cycles	Min	Max	
120	0	0	
100	0	0	
100	0	0	
4936	0	0	
1000	0	0	
40	0	0	
40	0	0	
1414	0	0	
4936	0	0	
15500	0	0	
2828	0	0	
2828	0	0	
1414	0	0	
1530	0	0	
3919000	0	0	
136400	0	0	
6366	0	0	
4780	0	0	
11390	0	0	
2536	0	0	
193	0	0	
8835	0	0	
1630	0	0	
16070	0	0	
6845	0	0	
9620	0	100	
6076	100	300	

#	Data Rows
	10812

Bin counters:

$$qt := NRows - 1 = 10811$$

$$qr := 0, 1..qt$$

$Years_{Design} := 20$

 $Years_{Matrix} := 20$

$$N_{fat_{or}} := N_{fat_{or}} \cdot Years_{Design} \div Years_{Matrix}$$

Minimum Moment (for Miner's Rule):

$${M_{fatminnorth}}_{qr} := MinBin_{qr} \cdot kN \cdot m$$

$$H_{minnorth_{qr}} := max \left(\frac{M_{fatminnorth_{qr}}}{M_{mean}} \cdot H_{mean}, 0.01kN \right)$$

$$M_{minnorth}_{qr} := M_{fatminnorth}_{qr} + H_{minnorth}_{qr} \cdot \left(h_p + h_c + h_b\right)$$

Maximum Moments:

$$M_{\text{maxfatigue}} := \max(M_{\text{maxnorth}})$$

$$M_{minfatigue} := max(M_{minnorth})$$

Fatigue moments are plotted below:

Doublegr :=
$$0, 1... 2 \cdot qt + 1$$

Maximum Moment (for Miner's Rule):

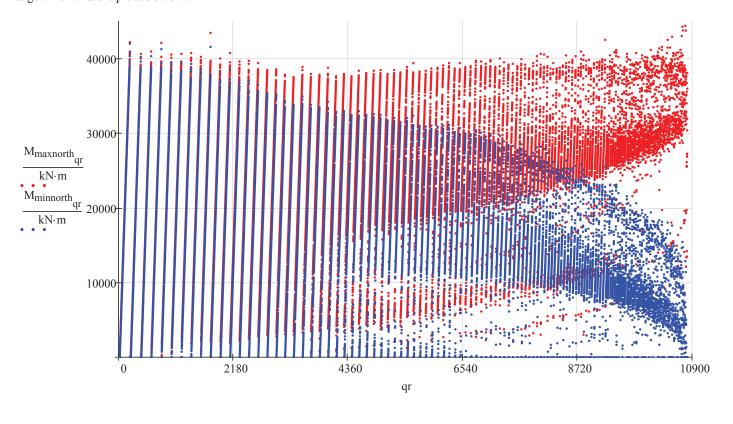
$${M_{fatmaxnorth}}_{qr} := MaxBin_{qr}{\cdot}kN{\cdot}m$$

$$H_{maxnorth_{qr}} := max \left(\frac{M_{fatmaxnorth_{qr}}}{M_{mean}} \cdot H_{mean}, 0.01kN \right)$$

$$M_{maxnorth}_{qr} := M_{fatmaxnorth}_{qr} + H_{maxnorth}_{qr} \cdot \left(h_p + h_c + h_b\right)$$

$$M_{\text{maxfatigue}} = 44364 \cdot \text{kN} \cdot \text{m}$$

$$M_{minfatigue} = 41980 \cdot kN \cdot m$$

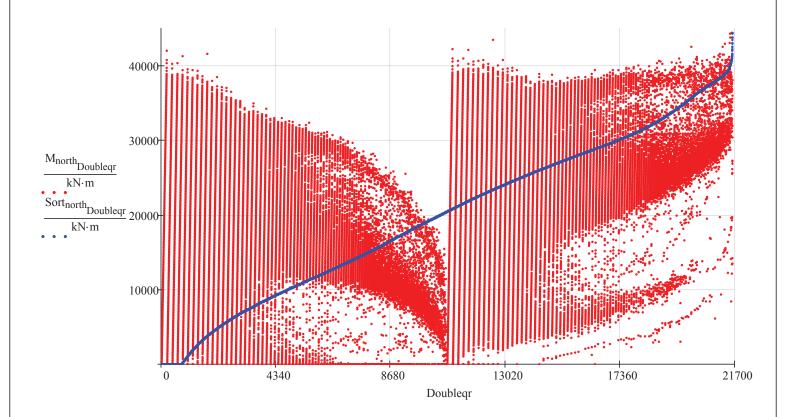


L. Stack Min and Max Fatigue Matrices and Sort

Stack min and max fatgiue matrices and sort in ascending order:

$$M_{north}_{Doubleqr} := \left| \begin{array}{c} M_{minnorth}_{Doubleqr} \text{ if } Doubleqr \leq qt \\ \\ M_{maxnorth}_{Doubleqr-qt-1} \text{ if } Doubleqr > qt \end{array} \right|$$

 $Sort_{north} := sort(M_{north})$



M. Develop Unique Fatigue Matrix and Parse Zero Values

Develop matrix containing only the unique fatigue values:

$$Unique_{north} = Sort_{north} \text{ if Doubleqr} = 0$$

Remove all "zero" entires leaving only "non-zero" entries in the MUnique matrix:

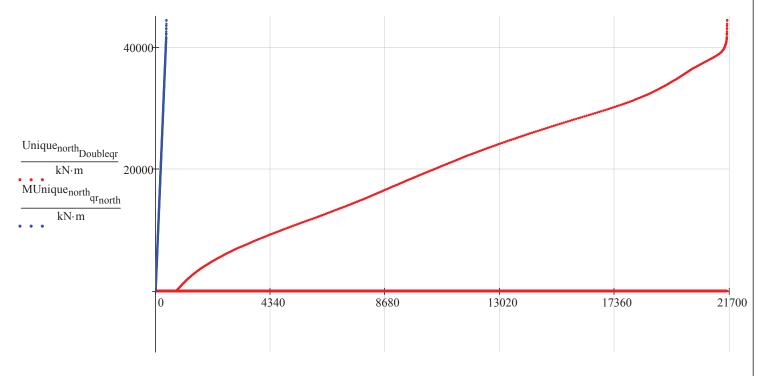
$$MUnique_{north} := \begin{cases} trim \big(Unique_{north}, match \big(0 \,, Unique_{north} \big) \big) & if \ min \big(Unique_{north} \big) = 0 \\ Unique_{north} & if \ min \big(Unique_{north} \big) > 0 \end{cases}$$

Determine the quantity of "non-zero" entries in the MUnique matrix

to use as counters:

$$qt_{north} := length(MUnique_{north}) - 1 = 410$$

 $qr_{north} := 0, 1.. qt_{north}$



Doubleqr, qr_{north}

IV. Stability Analysis and Bearing Length Evaluation

A. Foundation Volume and Weight Calculations

Foundation plan area:
$$A := D^2 - 2 \cdot \left(\frac{D - B}{2}\right)^2$$

$$A = 3133 \cdot ft^2$$

Volume of pedestal:
$$v_p := \frac{\pi \cdot C^2}{4} \cdot h_p \qquad \qquad v_p = 47 \cdot yd^3$$

Weight of pedestal:
$$W_p := v_p \cdot \gamma_c$$
 $W_p = 191 \cdot k$

$$\begin{aligned} \text{Volume of footing:} & v_f \coloneqq A \cdot h_b + B^2 \cdot h_c + 4 \cdot \left(\frac{1}{2} \cdot \frac{1}{3} \cdot h_c \cdot a^2 + \frac{1}{2} \cdot B \cdot h_c \cdot a\right) & v_f = 413 \cdot \text{yd}^3 \\ \text{Weight of footing:} & W_f \coloneqq v_f \cdot \gamma_c & W_f = 1674 \cdot k \end{aligned}$$

Weight of footing:
$$W_f := v_f \cdot \gamma_c$$
 $W_f = 1674 \cdot k$

Total volume of
$$v_c := v_f + v_p$$
 $v_c = 460 \cdot yd^3$

Total volume of soil:
$$\begin{aligned} v_s &:= A \cdot h_s - v_f - \frac{\pi \cdot C^2}{4} \cdot \left(h_s - h_b - h_c\right) \dots \\ &\quad + \frac{8 \cdot B \cdot tan(\theta)}{2} \cdot \left(h_s - h_b\right)^2 \end{aligned}$$

$$\begin{aligned} \text{Total volume of soil (fatigue)} & v_{sfat} \coloneqq A \cdot h_s - v_f - \frac{\pi \cdot C^2}{4} \cdot \left(h_s - h_b - h_c \right) \dots \\ & + \frac{8 \cdot B \cdot tan \left(\theta_{fat} \right)}{2} \cdot \left(h_s - h_b \right)^2 \end{aligned}$$

Equivalent buoyant force:
$$\begin{aligned} F_b &:= \gamma_w \cdot \left[\begin{array}{c} \text{if } d_{GWT} < h_s \\ \\ A \cdot \left(h_s - d_{GWT} \right) & \text{if } d_{GWT} \geq h_s - h_b \\ \\ A \cdot \left(h_s - d_{GWT} \right) + \frac{8 \cdot B \cdot tan(\theta)}{2} \cdot \left(h_s - h_b - d_{GWT} \right)^2 & \text{otherwise} \end{aligned} \right.$$

$$F_h = 1666 \cdot kip$$

$$F_{hfat} = 1520 \cdot kip$$

Total weight of soil:

$$\begin{split} W_s &:= & \text{ if } d_{GWT} < h_s - h_b \\ & \frac{\gamma_{sdbot} \cdot d_{GWT} \cdot \left(A - \frac{\pi \cdot C^2}{4}\right) + \gamma_{ssbot} \cdot \left(h_s - h_b - h_c - d_{GWT}\right) \cdot \left(A - \frac{\pi \cdot C^2}{4}\right) \dots}{4 + \gamma_{ssbot} \cdot \left[A \cdot \left(h_b + h_c\right) - v_f\right] \dots} \\ & + \frac{\gamma_{ssbot} \cdot \left[A \cdot \left(h_b + h_c\right) - v_f\right] \dots}{2} \cdot \left[\gamma_{ssbot} \left(h_s - h_b - d_{GWT}\right)^2 + \gamma_{sdbot} \left[\left(h_s - h_b\right)^2 - \left(h_s - h_b - d_{GWT}\right)^2\right]\right]} \\ & \frac{\gamma_{sdbot} \cdot \left(h_s - h_b - h_c\right) \cdot \left(A - \frac{\pi \cdot C^2}{4}\right) \dots}{4 \cdot B \cdot \left[a - \left(\frac{a}{h_c}\right) \cdot \left(y - h_p + h_{pe}\right)\right] + 2 \cdot \left[a^2 - \left[\left(\frac{a}{h_c}\right) \cdot \left(y - h_p + h_{pe}\right)\right]^2\right] dy \dots} \\ & + \frac{\gamma_{ssbot}}{h_s - h_b - h_c} \\ & + \frac{4 \cdot B \cdot \left[a - \left(\frac{a}{h_c}\right) \cdot \left(y - h_p + h_{pe}\right)\right] + 2 \cdot \left[a^2 - \left[\left(\frac{a}{h_c}\right) \cdot \left(y - h_p + h_{pe}\right)\right]^2\right] dy \dots} \\ & + \frac{8 \cdot B \cdot tan(\theta)}{2} \cdot \left[\gamma_{ssbot} \left(h_s - h_b - d_{GWT}\right)^2 + \gamma_{sdbot} \left[\left(h_s - h_b\right)^2 - \left(h_s - h_b - d_{GWT}\right)^2\right] \right]} \\ & v_s \cdot \gamma_{sdbot} \quad \text{otherwise} \end{split}$$

$$W_s = 2677 \cdot k$$

Total weight of soil (fatigue):

$$\begin{split} W_{sfat} &:= \begin{bmatrix} \text{if } d_{GWTF} < h_s - h_b \\ \\ \gamma_{sdbot} \cdot d_{GWTF} \left(A - \frac{\pi \cdot C^2}{4} \right) + \gamma_{ssbot} \cdot \left(h_s - h_b - h_c - d_{GWTF} \right) \cdot \left(A - \frac{\pi \cdot C^2}{4} \right) \dots & \text{if } d_{GWTF} < h_s - h_b - h_c \\ \\ + \gamma_{ssbot} \cdot \left[A \cdot \left(h_b + h_c \right) - v_f \right] \dots \\ \\ + \frac{8 \cdot B \cdot tan \left(\theta_{fat} \right)}{2} \cdot \left[\gamma_{ssbot} \left(h_s - h_b - d_{GWTF} \right)^2 + \gamma_{sdbot} \left[\left(h_s - h_b \right)^2 - \left(h_s - h_b - d_{GWTF} \right)^2 \right] \right] \\ \gamma_{sdbot} \cdot \left(h_s - h_b - h_c \right) \cdot \left(A - \frac{\pi \cdot C^2}{4} \right) \dots & \text{otherwise} \\ \\ + \gamma_{sdbot} \cdot \left[\int_{h_s - h_b - h_c}^{d_{GWTF}} 4 \cdot B \cdot \left[a - \left(\frac{a}{h_c} \right) \cdot \left(y - h_p + h_{pe} \right) \right] + 2 \cdot \left[a^2 - \left[\left(\frac{a}{h_c} \right) \cdot \left(y - h_p + h_{pe} \right) \right]^2 \right] dy \dots \\ \\ + \gamma_{ssbot} \cdot \left[\int_{d_{GWTF}}^{h_s - h_b} 4 \cdot B \cdot \left[a - \left(\frac{a}{h_c} \right) \cdot \left(y - h_p + h_{pe} \right) \right] + 2 \cdot \left[a^2 - \left[\left(\frac{a}{h_c} \right) \cdot \left(y - h_p + h_{pe} \right) \right]^2 \right] dy \dots \\ \\ + \frac{8 \cdot B \cdot tan \left(\theta_{fat} \right)}{2} \cdot \left[\gamma_{ssbot} \left(h_s - h_b - d_{GWTF} \right)^2 + \gamma_{sdbot} \left[\left(h_s - h_b \right)^2 - \left(h_s - h_b - d_{GWTF} \right)^2 \right] \right] \\ v_{sfat} \cdot \gamma_{sdbot} \quad \text{otherwise} \end{aligned}$$

$$W_{sfat} = 2211 \cdot k$$

Total dead weight seismic load: $W_{EQ} := W_p + W_f + W_{OE} + W_s - F_b$ $W_{EQ} = 3488 \cdot k$

Total dead weight fatigue load: $W_{fat} := W_p + W_f + W_{mean} + W_{sfat} - F_{bfat}$ $W_{fat} = 3160 \cdot k$

B. Stability Calculations - Extreme Loading

Determine controlling extreme load case: $if(M_e > M_a, "Normal Controls", "Abnormal Controls") = "Abnormal Controls"$

Extreme Tower Base Moment: $M := \sqrt{\left(if\left(M_e > M_a, M_e, M_a\right) + M_{align} \cdot \cos(\Delta)\right)^2 + \left(M_{align} \cdot \sin(\Delta)\right)^2} = 42062 \cdot k \cdot ft$

Extreme Tower Base Shear: $H := if(M_e > M_a, H_e, H_a)$ $H = 155 \cdot k$

Extreme Tower Weight: $W_t := if(M_e > M_a, W_{te}, W_{ta})$ $W_t = 590 \cdot k$

Total dead weight wind load: $W_W := W_p + W_f + W_t + W_s - F_b$ $W_W = 3466 \cdot k$

Overturning wind moment: $M_{oW} := M + (h_b + h_c + h_p) \cdot H$ $M_{oW} = 43694 \cdot k \cdot ft$

Wind load friction resistance at base: $H_{frW} := \mu_{f} \cdot \left(W_{W}\right) \qquad \qquad H_{frW} = 1386 \cdot k$

Factor of safety against sliding: $FS_{sW} := \frac{H_{frW}}{H}$ $FS_{sW} = 8.92$

Seismic load friction resistance at base: $H_{frEQ} := \mu_f \cdot \left(W_{EQ}\right) \cdot \left(1 - E_v\right) \qquad \qquad H_{frEQ} = 1395 \cdot k$

Factor of safety against sliding: $FS_{sEQ} := \frac{H_{frEQ}}{H_{OE}}$ $FS_{sEQ} = 13.11$

Determine controlling load case: $FS_s := min(FS_{sW}, FS_{sEO})$ $FS_s = 8.92$

 $if(FS_s \ge FS_{min}, "OK", "No Good") = "OK"$

Resisting moment: $M_{rW} := W_W \cdot min \left(\frac{D}{2}, \frac{D-a}{\sqrt{2}} \right)$ $M_{rW} = 106584 \cdot ft \cdot k$

Factor of safety against $FS_{oW} := \frac{M_{rW}}{M_{oW}}$ $FS_{oW} = 2.44$ overturning:

Overturning seismic moment: $M_{\text{OEQ}} := \sqrt{\left(M_{\text{OE}} + M_{\text{align}} \cdot \cos(\Delta)\right)^2 + \left(M_{\text{align}} \cdot \sin(\Delta)\right)^2} + \left(h_b + h_c + h_p\right) \cdot H_{\text{OE}} = 31808 \cdot \text{k} \cdot \text{ft}$

Resisting moment: $M_{rEQ} := (1 - E_v) \cdot W_{EQ} \cdot min \left(\frac{D}{2}, \frac{D - a}{\sqrt{2}}\right)$ $M_{rEQ} = 107261 \cdot ft \cdot k$

Factor of safety against $FS_{oEQ} := \frac{M_{rEQ}}{M_{oEQ}}$ $FS_{oEQ} = 3.37$ overturning:

Minimum factor of safety: $FS_{min} = 1.50$

Determine controlling load case: $FS_0 := min(FS_{oW}, FS_{oEO})$ $FS_0 = 2.44$

 $if(FS_0 \ge FS_{min}, "OK", "No Good") = "OK"$

 $Output_{Overturning} := FS_o$

Resisting moment (reduced): $M_{rW_red} := 0.6W_W \cdot min \left(\frac{D}{2}, \frac{D-a}{\sqrt{2}} \right) \qquad M_{rW_red} = 63951 \cdot ft \cdot k$

Factor of safety against overturning (alternate): $FS_{oW_alt} := \frac{M_{rW_red}}{M_{oW}}$ $FS_{oW_alt} = 1.46$

Overturning seismic moment (reduced): $M_{oEQ~alt} := 0.7 \cdot M_{oEQ}$ $M_{oEQ~alt} = 22266 \cdot k \cdot ft$

Resisting moment (reduced): $M_{rEQ_red} := 0.6 \left(1 - E_v\right) \cdot W_{EQ} \cdot min\left(\frac{D}{2}, \frac{D - a}{\sqrt{2}}\right) \qquad M_{rEQ_red} = 64357 \cdot ft \cdot k$

Factor of safety against overturning (alternate): $FS_{oEQ_alt} := \frac{M_{rEQ_red}}{M_{oEQ_alt}}$ $FS_{oEQ_alt} = 2.89$

Minimum factor of safety: $FS_{min2} = 1.00$

Determine controlling load case: $FS_{o2} := min(FS_{oW_alt}, FS_{oEQ_alt})$ $FS_{o2} = 1.46$ Output_{Overturning2} := FS_{o2}

 $if(FS_{o2} \ge FS_{min2}, "OK", "No Good") = "OK"$

C. Soil Pressure Calculations - Extreme Loading

Side length of square inscribed inside of foundation octagon: $S_f := \sqrt{2a^2 + 2 \cdot a \cdot B + B^2}$ $S_f = 47.1 \, \text{ft}$

"Major" width of octagon along widest section: $H_f := \sqrt{B^2 + D^2}$ $H_f = 66.6 \, \mathrm{ft}$

Distance from widest section of octagon to edge of square: $W_e := \frac{H_f - S_f}{2}$ $W_e = 9.75 \, \text{ft}$

Moment of inertia for octagon about any axis through centroid: $I_{fdn} := \frac{8 \cdot B^4}{192} \cdot \cot \left(\frac{2 \cdot \pi}{16} \right) \left(3 \cot \left(\frac{2 \cdot \pi}{16} \right)^2 + 1 \right)$ $I_{fdn} = 783048 \cdot ft^4$

Section modulus of foundation for normal orientation: $S_{normal} := \frac{2I_{fdn}}{D}$ $S_{normal} = 25465 \cdot ft^3$

Section modulus of foundation for orientation rotated by 22.5 degrees: $S_{rotated} := \frac{2 \cdot I_{fdn}}{H_f}$ $S_{rotated} = 23527 \cdot ft^3$

 $if(S_{normal} > S_{rotated}, "Rotated Controls", "Normal Controls") = "Rotated Controls"$

Assume triangular distribution with length of bearing (Lb) greater than We but less than or equal to half the major octagon width

Set $F=W_W$ and $M=M_{toe}$, and solve for L_b and f_{max}

$$F := W_W$$

$$F := W_W$$
 $F = 3466 \cdot k$ $M_{toe} := F \cdot \frac{\sqrt{B^2 + D^2}}{2} - M_{oW}$ $M_{toe} = 71672 \cdot ft \cdot k$

$$M_{toe} = 71672 \cdot ft \cdot k$$

Guess:

$$L := \frac{2W_e + H_f}{4}$$

$$f_{max} := 3172 \cdot psf$$

Given

$$F = \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] dy + \int_{W_{e}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] dy$$

$$M_{toe} = \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy$$

$$\begin{pmatrix} L_4 \\ f_4 \end{pmatrix} := Find(L, f_{max})$$

$$L_4 = 48.5 \, ft$$

$$f_4 = 3172 \cdot psf$$

If the solution does not converge to a bearing length meeting the assumed criteria, then the value of bearing length and soil pressure is set to zero.

Soil Bearing Length:

$$L_{b4} := if \left(L_4 \geq \ W_e \wedge L_4 \leq \frac{H_f}{2} \,, L_4 \,, 0 \cdot \text{ft} \right) \qquad \qquad L_{b4} = 0.0 \cdot \text{ft}$$

$$L_{b4} = 0.0 \cdot ft$$

Maximum Soil Bearing Pressure:

$$f_{max4} := if \left(L_4 \ge W_e \wedge L_4 \le \frac{H_f}{2}, f_4, 0 \cdot psf \right)$$
 $f_{max4} = 0 \cdot psf$

$$f_{\text{max4}} = 0 \cdot psf$$

Assume triangular distribution with length of bearing (L_b) greater than half the major octagon width $(H_f/2)$ but less than or equal to difference between the full octagon width (H_f) and W_e .

Set $F=W_W$ and $M=M_{toe}$, and solve for L_b and f_{max}

$$F := W_W$$
 $F = 3466 \cdot k$ $M_{toe} := F \cdot \frac{\sqrt{B^2 + D^2}}{2} - M_{oW}$ $M_{toe} = 71672 \cdot ft \cdot k$

Guess:
$$L := \frac{3H_f - 2W_e}{4}$$

$$f_{max} := 3138 \cdot psf$$

Given

$$\begin{split} F &= \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] dy + \int_{W_{e}}^{\frac{H_{f}}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{\frac{H_{f}}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] \cdot y \, dy \end{split}$$

If the solution does not converge to a bearing length meeting the assumed criteria, then the value of bearing length and soil pressure is set to zero.

Soil bearing length:
$$L_{b5} := if \left(L_5 < H_f - W_e \wedge L_5 > \frac{H_f}{2}, L_5, 0 \cdot ft \right) \qquad L_{b5} = 49.6 \cdot ft$$

Maximum soil bearing pressure:
$$f_{max5} := if \left(L_5 < H_f - W_e \land L_5 > \frac{H_f}{2}, f_5, 0 \cdot psf \right) \qquad f_{max5} = 3138 \cdot psf$$

Assume triangular distribution with length of bearing (Lb) greater than the difference between the full octagon width (Hf) and W_e but less than the full octagon width (H_f).

Set F=W_W and M=M_{toe}, and solve for L_b and f_{max}

$$F := W_W$$
 $F = 3466 \cdot k$ $M_{toe} := F \cdot \frac{\sqrt{B^2 + D^2}}{2} - M_{oW}$ $M_{toe} = 71672 \cdot ft \cdot k$

$$= F \cdot \frac{\sqrt{S + S}}{2} - M_{oW} \qquad M_{toe} = 71672 \cdot ft$$

Guess:
$$L := \frac{2H_f - W_e}{2}$$

$$f_{max} := 3166 \cdot psf$$

Given

$$\begin{split} F &= \int_0^{W_e} \Bigg[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_e} \cdot S_f \right) \Bigg] \, dy + \int_{W_e}^{H_f} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \Bigg[S_f + 2 \cdot \left[\frac{2 \cdot W_e \cdot \left(y - W_e \right)}{S_f} \right] \Bigg] \, dy \dots \\ &+ \int_{W_e + S_f}^{W_e + S_f} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \Bigg[S_f + 2 \cdot \left[\frac{2 \cdot W_e \cdot \left(y - \frac{H_f}{2} \right)}{S_f} \right] \Bigg] dy + \int_{W_e + S_f}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[2 \cdot \left(\frac{S_f}{2} - \frac{S_f}{2} \cdot \frac{y - S_f - W_e}{W_e} \right) \right] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{\frac{H_{f}}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] \cdot y \, dy + \int_{W_{e} + S_{f}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] \cdot y \, dy \, dy \end{split}$$

If the solution does not converge to a bearing length meeting the assumed criteria, then the value of bearing length and soil pressure is set to zero.

 $L_{b6} := if(L_6 < H_f \land L_6 > H_f - W_e, L_6, 0 \cdot ft)$ $L_{b6} = 0.0 \cdot ft$ Soil bearing length:

 $f_{\text{max}6} := if(L_6 < H_f \land L_6 > H_f - W_e, f_6, 0 \cdot psf)$ $f_{\text{max}6} = 0 \cdot psf$ Maximum soil bearing pressure:

Assume trapezoidal distribution with length of bearing (L_b) equal to the the full octagon width (H_f).

Set F=W_W and M=M_{toe}, and solve for f_{max} and the difference in maximum and minimum bearing pressures (df).

$$F := W_W$$

$$F = 3466 \cdot k$$
 $M_{toe} := \frac{F \cdot \sqrt{B^2 + D^2}}{2} - M_{oW}$ $M_{toe} = 71672 \cdot ft \cdot k$

$$M_{toe} = 71672 \cdot ft \cdot k$$

Guess:

$$f_{\text{max}} := 2963 \cdot psf$$

$$df := 3714 \cdot psf$$

Given

$$\begin{split} F &= \int_{0}^{W_{e}} \left[\left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] dy + \int_{W_{e}}^{\frac{H_{f}}{2}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] dy + \int_{W_{e} + S_{f}}^{H_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{W_{e}} \left[\left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{\frac{H_{f}}{2}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \cdot y \, dy + \int_{W_{e} + S_{f}}^{H_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] \cdot y \, dy \end{split}$$

$$\begin{pmatrix} df \\ f_{max} \end{pmatrix} := Find(df, f_{max})$$

$$f_{\text{max}} = 2963 \cdot psf$$

$$df = 3714 \cdot psf$$

If the solution does not converge to the assumed pressure distribution, then the value of bearing length and soil pressure is set to zero.

Maximum soil bearing pressure:

$$f_{max7} := if(f_{max} - df < 0 \cdot psf, 0 \cdot psf, f_{max})$$

$$f_{\text{max}7} = 0 \cdot psf$$

Minimum soil bearing pressure:

$$f_{min7} := if(f_{max7} > 0, f_{max7} - df, 0 \cdot psf)$$

$$f_{min7} = 0 {\cdot} psf$$

D. Bearing Length Check - Extreme Loading

Select Bearing Length and Pressure Distribution

Bearing length: $L_{bW} := if \left(f_{max7} > 0 \,, H_f \,, L_{b4} + L_{b5} + L_{b6}\right) \qquad \qquad L_{bW} = 49.6 \cdot ft$

 $\text{Maximum soil bearing pressure:} \qquad \qquad f_{maxW} := if \left(L_{bW} < \frac{H_f}{2}, f_{max4}, if \left(L_{bW} < H_f - W_e, f_{max5}, if \left(L_{bW} < H_f, f_{max6}, f_{max7} \right) \right) \right)$

 $f_{maxW} = 3138 \cdot psf$

 $\text{Minimum soil bearing pressure:} \qquad \qquad f_{minW} := \mathrm{if} \left(L_{bW} < H_f, 0 \cdot \mathrm{psf} \; , f_{min7} \right) \qquad \qquad f_{minW} = 0 \cdot \mathrm{psf}$

Determine controlling load case: $L_b := L_{bW}$ $L_b = 49.6 \, \text{ft}$

Maximum soil bearing pressure: $f_{max} := f_{maxW}$ $f_{max} = 3138 \cdot psf$

Minimum soil bearing pressure: $f_{min} := f_{minW}$ $f_{min} = 0 \cdot psf$

Percent of base by length in compression under extreme loading:

 $\frac{L_b}{H_f} = 0.74$

 $if\left(\frac{L_b}{H_f} \ge 0.5, \text{"OK"}, \text{"No Good"}\right) = \text{"OK"}$ (Reference 10)

E. Foundation Volume and Weight Calculations - Normal Loading

Total dead weight: $W_{totN} := W_p + W_f + W_s + W_N - F_b \qquad W_{totN} = 3485 \cdot k$

Overturning moment: $M_{oN} := \sqrt{\left(M_N + M_{align} \cdot \cos(\Delta)\right)^2 + \left(M_{align} \cdot \sin(\Delta)\right)^2} + \left(h_b + h_c + h_p\right) \cdot H_N = 28121 \cdot k \cdot ft$

F. Soil Pressure Calculations - Normal Loading

1) Assumed Soil Pressure Case 1

Assume triangular distribution with length of bearing (L_b) greater than W_e but less than or equal to half the major octagon width $(H_f/2)$.

Set $F=W_{totN}$ and $M=M_{toe}$, and solve for L_b and f_{max}

$$F := W_{totN}$$
 $F = 3485 \cdot k$ $M_{toe} := F \cdot \frac{\sqrt{B^2 + D^2}}{2} - M_{oN}$ $M_{toe} = 87874 \cdot ft \cdot k$

Guess: $L := \frac{2W_e + H_f}{4}$ $f_{max} := 2366 \cdot psf$

Given

$$F = \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] dy + \int_{W}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] dy$$

$$M_{toe} = \int_{0}^{W_e} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_e} \cdot S_f \right) \right] y \, dy + \int_{W_e}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_f + 2 \cdot \left[\frac{2 \cdot W_e \cdot \left(y - W_e \right)}{S_f} \right] \right] \cdot y \, dy$$

If the solution does not converge to a bearing length meeting the assumed criteria, then the value of bearing length and soil pressure is set to zero.

Soil bearing length: $L_{b4} := if \left(L_4 \geq W_e \wedge L_4 \leq \frac{H_f}{2}, L_4, 0 \cdot ft \right) \qquad \qquad L_{b4} = 0.0 \cdot ft$

 $\text{Maximum soil bearing pressure:} \qquad \qquad f_{max4} := if \left(L_4 \geq W_e \wedge L_4 \leq \frac{H_f}{2} \,, f_4 \,, 0 \cdot psf \right) \qquad \qquad f_{max4} = 0 \cdot psf$

Assume triangular distribution with length of bearing (L_b) greater than half the major octagon width $(H_f/2)$ but less than or equal to difference between the full octagon width (H_f) and W_e .

Set $F=W_{totN}$ and $M=M_{toe}$, and solve for L_b and f_{max}

$$F := W_{totN}$$
 $F = 3485 \cdot k$ $M_{toe} := F \cdot \frac{\sqrt{B^2 + D^2}}{2} - M_{oN}$ $M_{toe} = 87874 \cdot ft \cdot k$

Guess:
$$L := \frac{3H_f - 2W_e}{4}$$

$$f_{max} := 2315 \cdot psf$$

Given

$$\begin{split} F &= \int_0^{W_e} \left[f_{max} \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_e} \cdot S_f \right) \right] dy + \int_{W_e}^{\frac{H_f}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_f + 2 \cdot \left[\frac{2 \cdot W_e \cdot \left(y - W_e \right)}{S_f} \right] \right] dy \dots \\ &+ \int_{\frac{H_f}{2}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_f + 2 \cdot \left[W_e - \left[\frac{2 \cdot W_e \cdot \left(y - \frac{H_f}{2} \right)}{S_f} \right] \right] \right] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{\frac{H_{f}}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] \cdot y \, dy \end{split}$$

If the solution does not converge to a bearing length meeting the assumed criteria, then the value of bearing length and soil pressure is set to zero.

Soil bearing length:
$$L_{b5} := if \left(L_5 < H_f - W_e \wedge L_5 > \frac{H_f}{2}, L_5, 0 \cdot \text{ft} \right) \qquad \qquad L_{b5} = 0.0 \cdot \text{ft}$$

Maximum soil bearing pressure:
$$f_{max5} := if \left(L_5 < H_f - W_e \land L_5 > \frac{H_f}{2}, f_5, 0 \cdot psf \right) \qquad f_{max5} = 0 \cdot psf$$

Assume triangular distribution with length of bearing (L_b) greater than the difference between the full octagon width (H_f) and W_e but less than the full octagon width (H_f) .

Set $F=W_{totN}$ and $M=M_{toe}$, and solve for L_b and f_{max}

$$F := W_{totN}$$
 $F = 3485 \cdot k$ $M_{toe} := F \cdot \frac{\sqrt{B^2 + D^2}}{2} - M_{oN}$ $M_{toe} = 87874 \cdot ft \cdot k$

Guess:
$$L := \frac{2H_f - W_e}{2}$$

$$f_{\text{max}} := 2308 \cdot \text{psf}$$

Given

$$\begin{split} F &= \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] dy + \int_{W_{e}}^{\frac{H_{f}}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] dy + \int_{W_{e} + S_{f}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{W_{e}} \left[f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{\frac{H_{f}}{2}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] \cdot y \, dy + \int_{W_{e} + S_{f}}^{L} f_{max} \cdot \left(1 - \frac{y}{L} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] \cdot y \, dy \, dy \end{split}$$

If the solution does not converge to a bearing length meeting the assumed criteria, then the value of bearing length and soil pressure is set to zero.

Soil bearing length:
$$L_{b6} := if \left(L_6 < H_f \wedge L_6 > H_f - W_e, L_6, 0 \cdot ft \right) \qquad \qquad L_{b6} = 64.2 \cdot ft$$

$$\text{Maximum soil bearing pressure:} \qquad \qquad f_{max6} := if \Big(L_6 < H_f \land L_6 > H_f - W_e, f_6, 0 \cdot psf \Big) \qquad \qquad f_{max6} = 2308 \cdot psf$$

Assume trapezoidal distribution with length of bearing (Lb) equal to the full octagon width (Hf).

Set F=W_{totN} and M=M_{toe}, and solve for f_{max} and the difference in maximum and minimum bearing pressures (df).

$$F := W_{totN}$$

$$F = 3485 \cdot k$$
 $M_{toe} := \frac{F \cdot \sqrt{B^2 + D^2}}{2} - M_{oN}$ $M_{toe} = 87874 \cdot ft \cdot k$

$$M_{toe} = 87874 \cdot \text{ft} \cdot \text{k}$$

Guess:

$$f_{max} := 2308 \cdot psf$$

$$df := 2391 \cdot psf$$

Given

$$\begin{split} F &= \int_{0}^{W_{e}} \left[\left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] dy + \int_{W_{e}}^{\frac{H_{f}}{2}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \right] dy + \int_{W_{e} + S_{f}}^{H_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{W_{e}} \left[\left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left(\frac{y}{W_{e}} \cdot S_{f} \right) \right] y \, dy + \int_{W_{e}}^{\frac{H_{f}}{2}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[\frac{2 \cdot W_{e} \cdot \left(y - W_{e} \right)}{S_{f}} \right] \right] \cdot y \, dy \dots \\ &+ \int_{\frac{H_{f}}{2}}^{W_{e} + S_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[S_{f} + 2 \cdot \left[W_{e} - \left[\frac{2 \cdot W_{e} \cdot \left(y - \frac{H_{f}}{2} \right)}{S_{f}} \right] \right] \cdot y \, dy + \int_{W_{e} + S_{f}}^{H_{f}} \left(f_{max} - \frac{df \cdot y}{H_{f}} \right) \cdot \left[2 \cdot \left(\frac{S_{f}}{2} - \frac{S_{f}}{2} \cdot \frac{y - S_{f} - W_{e}}{W_{e}} \right) \right] \cdot y \, dy \end{split}$$

$$\begin{pmatrix} df \\ f_{max} \end{pmatrix} := Find(df, f_{max})$$

$$f_{\text{max}} = 2308 \cdot \text{psf}$$

$$df = 2391 \cdot psf$$

If the solution does not converge to the assumed pressure distribution, then the value of bearing length and soil pressure is set to zero.

Maximum soil bearing pressure:

$$f_{max7} := if \Big(f_{max} - df < 0 \cdot psf, 0 \cdot psf, f_{max} \Big)$$

$$f_{max7} = 0 \cdot psf$$

Minimum soil bearing pressure:

$$f_{min7} := if(f_{max7} > 0, f_{max7} - df, 0 \cdot psf)$$

$$f_{min7} = 0 \cdot psf$$

G. Bearing Length Check - Normal Loading

Select Bearing Length and Pressure Distribution

Bearing length: $L_{bN} := if(f_{max7} > 0, H_f, L_{b4} + L_{b5} + L_{b6})$ $L_{bN} = 64.2 \cdot ft$

 $\text{Maximum soil bearing pressure:} \qquad \qquad f_{max} := if \left(L_{bN} < \frac{H_f}{2}, f_{max4}, if \left(L_{bN} < H_f - W_e, f_{max5}, if \left(L_{bN} < H_f, f_{max6}, f_{max7} \right) \right) \right)$

 $f_{max} = 2308 \cdot psf$

Minimum soil bearing pressure: $f_{min} := if(L_{bN} < H_f, 0 \cdot psf, f_{min}7)$ $f_{min} = 0 \cdot psf$

 $\text{Area of base in compression under} \qquad \qquad A_N := \left. S_f^{\ 2} + \frac{3}{2} \cdot S_f \cdot W_e + \left(L_{bN} - S_f - W_e \right) \right[S_f - \frac{S_f \cdot \left(L_{bN} - S_f - W_e \right)}{2 \cdot W_e} \right]$

 $A_{\rm N} = 3120 \cdot {\rm ft}^2$

Percent of base by area in compression under normal loading:

 $\frac{A_{\rm N}}{A} = 99.6 \cdot \%$

 $if\left(\frac{A_N}{A} \ge 0.994, \text{"OK"}, \text{"No Good"}\right) = \text{"OK"}$ (Reference 10)

V. Bearing Capacity Evaluation

(Reference 8)

A. Design Soil Bearing Pressure - Normal Loading

Design overturning moment: $M_{dN} := M_{oN}$ $M_{dN} = 28121 \cdot \text{ft} \cdot \text{k}$

Design vertical load: $V_{dN} := W_{totN}$ $V_{dN} = 3485 \cdot k$

Design load eccentricity: $e_{dN} := \frac{M_{dN}}{V_{dN}}$ $e_{dN} = 8.07 \, \text{ft}$

Circular radius of octagon: $R := \frac{D}{2}$ $R = 30.75 \, \text{ft}$

Effective soil area in bearing: $A_{effN} := 2 \cdot \left[\left(R^2 \right) \cdot a \cos \left(\frac{e_{dN}}{R} \right) - e_{dN} \cdot \sqrt{R^2 - e_{dN}^2} \right] \qquad A_{effN} = 1990 \, \text{ft}^2$

Ellipse soil width in bearing: $b_{eN} := 2 \cdot (R - e_{dN})$ $b_{eN} = 45.4 \, \text{ft}$

Ellipse soil length in bearing: $l_{eN} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eN}}{2 \cdot R}\right)^2}$ $l_{eN} = 59.3 \, \text{ft}$

Effective soil length in bearing: $l_{effN} := \sqrt{A_{effN} \cdot \frac{l_{eN}}{b_{eN}}}$ $l_{effN} = 51.0 \, ft$

Effective soil width in bearing: $b_{effN} := \frac{l_{effN}}{l_{eN}} \cdot b_{eN}$ $b_{effN} = 39.0 \, ft$

Design bearing pressure: $f_{dN} := \frac{V_{dN}}{A_{effN}}$ $f_{dN} = 1752 \cdot psf$

B. Bearing Capacity Check - Normal Loading

Allowable bearing pressure: $f_{\text{all N}} := 3300 \text{psf}$ (Reference 2)

Ratio of design bearing pressure to allowable bearing pressure: $\frac{f_{dN}}{f_{all N}} = 0.53$

C. Design Soil Bearing Pressure - Extreme Normal Loading

Design overturning moment: $M_{dW} := \sqrt{\left(M_e + M_{align} \cdot \cos(\Delta)\right)^2 + \left(M_{align} \cdot \sin(\Delta)\right)^2} + \left(h_b + h_c + h_p\right) \cdot H_e = 35386 \cdot k \cdot ft$

Design vertical load: $V_{dW} := W_p + W_f + W_{te} + W_s - F_b \qquad \qquad V_{dW} = 3483 \cdot k$

Design load eccentricity: $e_{dW} := \frac{M_{dW}}{V_{dW}}$ $e_{dW} = 10.16 \, \text{ft}$

Circular radius of octagon: R = 30.75 ft

Effective soil area in bearing: $A_{effW} := 2 \cdot \left[\left(R^2 \right) \cdot a cos \left(\frac{e_{dW}}{R} \right) - e_{dW} \cdot \sqrt{R^2 - e_{dW}^2} \right] \qquad A_{effW} = 1744 \, \mathrm{ft}^2$

Ellipse soil width in bearing: $b_{eW} := 2 \cdot (R - e_{dW})$ $b_{eW} = 41.2 \, ft$

Ellipse soil length in bearing: $l_{eW} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eW}}{2 \cdot R}\right)^2}$ $l_{eW} = 58.0 \, \text{ft}$

Effective soil length in bearing: $l_{effW} := \sqrt{A_{effW} \cdot \frac{l_{eW}}{b_{eW}}}$ $l_{effW} = 49.6 \, ft$

Effective soil width in bearing: $b_{effW} := \frac{l_{effW}}{l_{eW}} \cdot b_{eW}$ $b_{effW} = 35.2 \text{ ft}$

Design bearing pressure: $f_{dW} := \frac{V_{dW}}{A_{effW}}$ $f_{dW} = 1997 \cdot psf$

D. Bearing Capacity Check - Extreme Normal Loading

Allowable bearing pressure: $f_{\text{allW}} := 4200(\text{psf})$ (Reference 2)

Ratio of design bearing pressure to allowable bearing pressure: $\frac{f_{dW}}{f_{allW}} = 0.48$

E. Design Soil Bearing Pressure - Extreme Abnormal Loading

 $\text{Design overturning moment:} \qquad \qquad M_{dA} := \sqrt{\left(M_a + M_{align} \cdot \cos(\Delta)\right)^2 + \left(M_{align} \cdot \sin(\Delta)\right)^2} \\ + \left(h_b + h_c + h_p\right) \cdot H_a = 43694 \cdot k \cdot \text{ft}$

Design vertical load: $V_{dA} := W_p + W_f + W_{ta} + W_s - F_b \qquad \qquad V_{dA} = 3466 \cdot k$

Design load eccentricity: $e_{dA} := \frac{M_{dA}}{V_{dA}}$ $e_{dA} = 12.61 \, \text{ft}$

Circular radius of octagon: R = 30.75 ft

 $A_{effA} := 2 \cdot \left\lceil \left(R^2\right) \cdot acos \left(\frac{e_{dA}}{R}\right) - e_{dA} \cdot \sqrt{R^2 - e_{dA}^2} \right\rceil \qquad A_{effA} = 1465 \, ft^2$

Ellipse soil width in bearing: $b_{eA} := 2 \cdot (R - e_{dA})$ $b_{eA} = 36.3 \, \text{ft}$

Ellipse soil length in bearing: $l_{eA} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eA}}{2 \cdot R}\right)^2}$ $l_{eA} = 56.1 \, \text{ft}$

Effective soil length in bearing: $l_{effA} := \sqrt{A_{effA} \cdot \frac{l_{eA}}{b_{eA}}}$ $l_{effA} = 47.6 \, ft$

Effective soil width in bearing: $b_{effA} := \frac{l_{effA}}{l_{eA}} \cdot b_{eA}$ $b_{effA} = 30.8 \, ft$

Design bearing pressure: $f_{dA} := \frac{V_{dA}}{A_{effA}}$ $f_{dA} = 2367 \cdot psf$

F. Bearing Capacity Check - Extreme Abnormal Loading

Allowable bearing pressure: $f_{allA} := 4200(psf)$ (Reference 2)

Ratio of design bearing pressure to allowable bearing pressure: $\frac{f_{dA}}{f_{allA}} = 0.56$

G. Design Soil Bearing Pressure - Earthquake Loading

Design overturning moment: $M_{dEO} := M_{oEO}$ $M_{dEO} = 31808 \cdot ft \cdot k$

Design vertical load: $V_{dEO} := (1 + E_v) \cdot W_{EO}$ $V_{dEO} = 3488 \cdot k$

Design load eccentricity: $e_{dEQ} := \frac{M_{dEQ}}{V_{dEO}} \qquad \qquad e_{dEQ} = 9.12 \, \mathrm{ft}$

Circular radius of octagon: R = 30.75 ft

 $\text{Effective soil area in bearing:} \qquad \qquad A_{effEQ} := 2 \cdot \left[\left(R^2 \right) \cdot a cos \left(\frac{e_{dEQ}}{R} \right) - e_{dEQ} \cdot \sqrt{R^2 - e_{dEQ}}^2 \right] \\ A_{effEQ} = 1866 \, ft^2$

Ellipse soil width in bearing: $b_{eEO} := 2 \cdot (R - e_{dEO})$ $b_{eEO} = 43.3 \, \text{ft}$

Ellipse soil length in bearing: $l_{eEQ} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eEQ}}{2 \cdot R}\right)^2}$ $l_{eEQ} = 58.7 \, ft$

Effective soil length in bearing: $l_{effEQ} := \sqrt{A_{effEQ} \cdot \frac{l_{eEQ}}{b_{eEQ}}}$ $l_{effEQ} = 50.3 \, ft$

Effective soil width in bearing: $b_{effEQ} := \frac{l_{effEQ}}{l_{eEO}} \cdot b_{eEQ}$ $b_{effEQ} = 37.1 \, ft$

Design bearing pressure: $f_{dEQ} := \frac{V_{dEQ}}{A_{effEQ}}$ $f_{dEQ} = 1870 \cdot psf$

H. Bearing Capacity Check - Earthquake Loading

Allowable bearing pressure: $f_{\text{allEO}} := 4200(\text{psf})$ (Reference 2)

Ratio of design bearing pressure to allowable bearing pressure: $\frac{f_{dEQ}}{f_{allEO}}$

VI. Foundation Stiffness Evaluation - Single Layer Native Soil Sites

Depth of embedment

(half of foundation embedment):

$$h:=\frac{1}{2}{\cdot}h_c+h_b$$

$$h = 39.00 \cdot in$$

Area of the footing:

$$A = 3133 \, \text{ft}^2$$

Foundation width:

$$D = 61.50 \, ft$$

Equivalent circular radius of footing:

$$R_{stff} := \sqrt{\frac{A}{\pi}}$$

$$R_{stff} = 31.6 \cdot ft$$

Subsoil density:

$$\rho := 136 \cdot \frac{lb}{ft^3}$$

 $\omega := \rho \cdot g$

$$\omega = 136 \cdot pcf$$

Design shear wave velocity for interval from 8 to 50 feet:

$$V_s := 1636 \cdot \frac{ft}{sec}$$

Poisson ratio:

$$v := 0.48$$

Initial shear modulus:

$$G_0 := \rho \cdot V_s^2$$

$$G_o = 11314 \cdot ksf$$

$$E_o := 2 \cdot (1 + v) \cdot G_o$$

$$E_0 = 33488 \cdot ksf$$

Initial elastic modulus:

$$\gamma := 1 - (1.0) \cdot \left(\frac{f_{dW}}{3f_{allW}}\right)^{0.3} = 0.42$$
 (Reference 9)

$$G := \gamma \cdot G_o$$

$$G = 4803 \cdot ksf$$

$$\mathrm{E} := 2 {\cdot} (1 + \upsilon) {\cdot} \mathrm{G}$$

$$E = 14218 \cdot ksf$$

 $\text{Rotational embedment} \\ \text{Coefficient:} \\ \eta_{\psi} := 1 + 1.2 \cdot (1 - \upsilon) \cdot \frac{h}{R_{stff}} + 0.2 \cdot (2 - \upsilon) \cdot \left(\frac{h}{R_{stff}}\right)^3 \\ \eta_{\psi} = 1.06$ (Reference 5)

Embedment coefficient: $\eta_{x} := 1 + 0.55 \cdot (2 - \upsilon) \cdot \frac{h}{R_{stff}} \qquad \qquad \eta_{x} = 1.09 \qquad \qquad (\text{Reference 5})$

 $\text{Rotational stiffness of soil:} \qquad \qquad K_{\psi dyn} := \frac{8 \cdot G \cdot R_{stff}^{-3}}{3 \cdot (1 - \upsilon)} \cdot \eta_{\psi} \qquad \qquad K_{\psi dyn} = 1120 \cdot \frac{GN \cdot m}{rad} \; \text{(Reference 5)}$

Required dynamic rotational stiffness: $K_{\psi req} = 50 \cdot \frac{GN \cdot m}{rad}$ (Reference 3)

Design check: $\frac{K_{\psi dyn}}{K_{\psi req}} = 22.40$

 $K_{xdyn} := \frac{32 \cdot (1-\upsilon) \cdot G \cdot R_{stff}}{7-8 \cdot \upsilon} \cdot \eta_x \qquad \qquad K_{xdyn} = 12660 \cdot \frac{kN}{mm} \quad \text{(Reference 8)}$

Required dynamic translational stiffness: $K_{xreq} = 1000 \cdot \frac{kN}{mm}$ (Reference 3)

Design check: $\frac{K_{xdyn}}{K_{xreq}} = 12.66$

VII. Anchor Bolt Design

A. Strength Reduction and Load Factors

(Reference 1a and Reference 3)

Normal extreme load factor: $\alpha_e = 1.40$

Abnormal extreme load factor: $\alpha_a = 1.14$

Determine controlling extreme load case: $\alpha_w := \mathrm{if} \left(\alpha_e \cdot M_e > \alpha_a \cdot M_a, \alpha_e, \alpha_a \right) \qquad \boxed{\alpha_w = 1.14}$

 $M := if \left(\alpha_e \cdot M_e > \alpha_a \cdot M_a, M_e, M_a\right) \qquad M = 41077 \cdot k \cdot ft$

 $H := if(\alpha_e \cdot M_e > \alpha_a \cdot M_a, H_e, H_a)$ $H = 155 \cdot k$

 $W_t := if \left(\alpha_e \cdot M_e > \alpha_a \cdot M_a, W_{te}, W_{ta}\right)$ $W_t = 590 \cdot k$

Beneficial dead load factor: $\alpha_{d1} := 0.9$ Bearing Factor: $\varphi_{br} = 0.65$

Anchor tension load factor: $\alpha_{pt} := 1.2$ Fastener Factor: $\varphi_f := 0.75$ (Reference 1c)

Non-Beneficial dead load factor: $\alpha_{d2} := 1.2$ Shear Factor: $\phi_v = 0.75$

Earthquake load factor: $\alpha_{EO} := 1.0$ Flexure Factor: $\varphi_b = 0.90$

Alignment load factor: $\alpha_{d3} := 1.2$

Beneficial EQ dead load factor: $\alpha_{\rm d1EO} := 0.9 - E_{\rm v}$ $\alpha_{\rm d1EO} = 0.90$ (Reference 1)

Non-Beneficial EQ dead load factor: $\alpha_{d2EQ} := 1.2 + E_v$ $\alpha_{d2EQ} = 1.20$ (Reference 1)

Sagging side load case: $\alpha_w \text{Wind} + \alpha_{d1} \text{Dead}$ where Dead is dead load of soil, concrete, turbine, and tower

Hogging side load case: Q_{d2} Dead where Dead is dead load of soil and concrete and uplift edge resistance of soil

B. Embedment Ring Dimensions

Flange width: $w_{flange} = 10.94 \cdot in$ $w_{flange} = 278 \cdot mm$

Embedment plate hole diameter: $d_{hl} := 1 \cdot in + \left(\frac{5}{9}\right)(in)$ $d_{hl} = 41.3 \cdot mm$

Embedment ring width: $w := w_{flange}$ $w = 10.94 \cdot in$

Embedment ring thickness: $t := 1 \cdot in$

C. Anchor Bolt Dimensions and Data

Nominal anchor bolt diameter: $d_b := 1.375 \cdot in$

Bolt area through minimum diameter of threads: $A_b := 1.56 \cdot in^2$

Washer diameter.: $d_n := 3 \cdot in$

Outside diamter of PVC bolt sleeve: $d_{SDR} := 1.9in$

Yield strength: $F_{vb} := 75 \cdot ksi$

Tensile strength: $F_t := 100 \cdot ksi$

D. Material Properties

Concrete strength of pedestal: $f_{cp} := 5000 \cdot psi$

Steel yield strength: $F_v := 36000 \cdot psi$

Steel tensile strength: $F_u := 58000 \cdot psi$

E. Anchor Bolt Design

Design loss: $\mu := 20.\%$

 $\text{Maximum unfactored moment on bolts:} \qquad M_{bolt} := \sqrt{\left(\text{max}\big(M_e, M_a\big) + M_{align} \cdot \text{cos}(\Delta)\right)^2 + \left(M_{align} \cdot \text{sin}(\Delta)\right)^2} = 42062 \cdot k \cdot \text{ft}$

Maximum factored moment on bolts: $M_{ubolt} := \sqrt{\left(\alpha_w \cdot M + \alpha_{d3} \cdot M_{align} \cdot \cos(\Delta)\right)^2 + \left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} = 48009 \cdot k \cdot ft$

Maximum factored seismic moment on $M_{usbolt} \coloneqq \sqrt{\left(\alpha_{EQ} \cdot M_{OE} + \alpha_{d3} \cdot M_{align} \cdot \cos(\Delta)\right)^2 + \left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} = 30888 \cdot k \cdot ft$ bolts:

 $\begin{aligned} & \text{Minimum pre-tension for} \\ & \text{fatigue loading:} \end{aligned} \qquad & T_{preFAT} := \left(\frac{4 \cdot max \left(M_{maxnorth}\right)}{N \cdot D_{avg}} - \frac{W_{mean}}{N}\right) \cdot (1 + \mu) \end{aligned} \\ & T_{preFAT} = 74.8 \cdot k \end{aligned}$

Set to T_{pre} : $T_{pre} := 75 \cdot k = 334 \cdot (kN)$

 $\%\text{yield} := \frac{T_{\text{pre}}}{F_{\text{yb}} \cdot A_{\text{b}}}$ \%\text{yield} = 64.\%

 $\text{%ultimate} := \frac{T_{pre}}{F_{t} \cdot A_{b}}$ %ultimate = 48.%

 $\begin{aligned} \text{Wind load maximum factored} \\ \text{tension load in anchor:} \end{aligned} \qquad T_{uW} := \frac{4 \cdot M_{ubolt}}{N \cdot D_{avg}} - \frac{\alpha_{d1} \cdot W_t}{N} \end{aligned} \qquad T_{uW} = 94 \cdot k$

Seismic load maximum factored tension load in anchor: $T_{uEQ} := \frac{4 \cdot M_{usbolt}}{N \cdot D_{avg}} - \frac{\alpha_{d1EQ} \cdot W_{OE}}{N}$ $T_{uEQ} = 59 \cdot k$

 $\begin{array}{ll} \text{Fatigue load maximum tension load in} \\ \text{anchor:} \end{array} \qquad T_{uFAT} := \frac{4 \cdot max \left(M_{maxnorth} \right)}{N \cdot D_{avg}} - \frac{W_{mean}}{N} \\ \end{array} \qquad \qquad T_{uFAT} = 62 \cdot k$

Determine controlling load case: $T_u := max(T_{uW}, T_{uEO}, T_{uFAT})$ $T_u = 94 \cdot kip$

Design tension strength: $\phi T_n := \min(\phi_f \cdot F_t \cdot A_b, \phi_b \cdot F_{vb} \cdot A_b)$ $\phi T_n = 105 \cdot k$ (Reference 1c)

Design check: $\frac{T_u}{\phi T_n} = 0.89$ Shear stress in bolt is negligible and, therefore, is not included.

VIII. Bottom Flange Bearing, Grout, and Embedment Plate Connection Design

A. Material Properties

3-day grout strength: $f_{c3} := 5000 \cdot psi$

 $f_{c28} := 9500 \cdot psi$ 28-day grout strength:

Grout thickness: $t_{gr} := 2in$

 $A_{br1} := \frac{\pi}{4} \cdot \left(OD^2 - ID^2 \right) - N \cdot \frac{\pi \cdot d_{hl}^2}{4}$ $A_{br1} = 5501 \cdot in^2$ Bearing area of base flange:

 $S_1 := \frac{\pi}{32.\text{OD}} (\text{OD}^4 - \text{ID}^4) \dots$

Section modulus of base flange:

 $+ - \left[\frac{2}{D_o} \cdot \left[N \cdot \frac{\pi}{64} \cdot d_{hl}^{4} + \frac{\pi}{2} \cdot d_{hl}^{2} \cdot \left[\sum_{\lambda=1}^{\frac{N}{4}} \left[\left[\frac{D_i}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^{2} \dots \right] \right] + \left[\frac{D_o}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^{2} \right] \right]$

 $S_1 = 218102 \cdot in^3$

 $A_1 := w_{flange}$ $A_1 = 10.9 \cdot in$ Area at bottom of grout:

 $A_2 = 14.9 \cdot in$ Area of limiting bearing within $A_2 := w_{flange} + 2 \cdot t_{gr}$ grout:

> $A := \min \left(\int \frac{A_2}{A_1}, 2 \right)$ A = 1.17

B. Check 3 Day Grout Strength

Design bearing strength: $\phi b_{n3} := \phi_{br} \cdot 0.85 \cdot f_{c3} \cdot A$ (Reference 1a) $\phi b_{n3} = 3.2 \cdot ksi$

 $\text{Ultimate seismic bearing stress:} \qquad \qquad b_{u3EQ} \coloneqq \left(\alpha_{d2EQ} \cdot \frac{W_{OE}}{A_{br1}} + \alpha_{pt} \cdot \frac{T_{pre} \cdot N}{A_{br1}} \right) \qquad \qquad b_{u3EQ} = 2.4 \cdot ksi$

Determine controlling load case and check capacity: $b_{u3} := max \big(b_{u3D}, b_{u3EQ}\big) \qquad \qquad b_{u3} = 2.4 \cdot ksi \qquad \qquad \frac{b_{u3}}{\varphi b_{n3}} = 0.75$

C. Check 28 Day Grout Strength

Design bearing strength: $\phi b_{n28} := \phi_{br} \cdot 0.85 \cdot f_{c28} \cdot A$ (Reference 1a) $\phi b_{n28} = 6.1 \cdot ksi$

Ultimate wind bearing stress: $b_{u28W} := \alpha_{d2} \cdot \frac{W_t}{A_{br1}} + \frac{M_{ubolt}}{S_1} + \alpha_{pt} \cdot \frac{T_{pre} \cdot N}{A_{br1}}$ $b_{u28W} = 5.06 \cdot ksi$

 $\text{Ultimate seismic bearing stress:} \qquad \qquad b_{u28EQ} := \alpha_{d2EQ} \cdot \frac{W_{OE}}{A_{br1}} + \alpha_{EQ} \cdot \frac{M_{usbolt}}{S_1} + \alpha_{pt} \cdot \frac{T_{pre} \cdot N}{A_{br1}} \qquad b_{u28EQ} = 4.1 \cdot ksi$

Determine controlling load case and check capacity: $b_{u28} := max \big(b_{u28W}, b_{u28EQ} \big) \qquad \qquad b_{u28} = 5.1 \cdot ksi$

D. Check Bottom Flange Bearing on Concrete

Grout thickness: $t_g := 2 \cdot in$

Pullout force due to wind:
$$P_{uW} := 2 \left(\frac{4M_{ubolt}}{N \cdot D_{avg}} - \alpha_{d1} \cdot \frac{W_t}{N} \right) \qquad \qquad P_{uW} = 188 \cdot k$$

Pullout force due to seismic:
$$P_{uEQ} := 2 \left(\frac{4 \cdot M_{usbolt}}{N \cdot D_{avg}} - \alpha_{d1EQ} \cdot \frac{W_{OE}}{N} \right)$$

$$P_{uEQ} = 118 \cdot k$$

Determine controlling load case:
$$P_u := max(P_{uW}, P_{uEO})$$
 $P_u = 188 \cdot k$

Bearing area at bottom of grout:
$$A_{br2} := \frac{\pi}{4} \cdot \left[\left(OD + 2 \cdot t_g \right)^2 - \left(ID - 2 \cdot t_g \right)^2 \right] - N \cdot \frac{\pi \cdot d_{hl}^2}{4}$$

$$A_{br2} = 7617 \cdot in^2$$

$$S_2 := \frac{\pi}{32 \cdot \left(\mathrm{OD} + 2 \cdot t_g\right)} \left[\left(\mathrm{OD} + 2 \cdot t_g\right)^4 - \left(\mathrm{ID} - 2 \cdot t_g\right)^4 \right] \dots \\ + - \frac{2}{\left(\mathrm{OD} + 2 \cdot t_g\right)} \cdot \left[N \cdot \frac{\pi}{64} \cdot d_{hl}^4 + \frac{\pi}{2} \cdot d_{hl}^2 \cdot \left[\sum_{\lambda = 1}^{N} \left[\frac{D_i}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^2 \dots \right] \\ + \left[\frac{D_o}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^2 \dots \right]$$

$$S_2 = 296991 \cdot in^3$$

$$b_{uW} := \frac{M_{ubolt}}{S_2} + \alpha_{d2} \cdot \frac{W_t}{A_{br2}} + \alpha_{pt} \cdot \frac{T_{pre} \cdot N}{A_{br2}}$$

$$b_{uW} = 3.7 \cdot ksi$$

Ultimate seismic stress:
$$b_{uEQ} := \frac{M_{usbolt}}{S_2} + \alpha_{d2EQ} \cdot \frac{W_{OE}}{A_{br2}} + \alpha_{pt} \cdot \frac{T_{pre} \cdot N}{A_{br2}} \qquad b_{uEQ} = 3.0 \cdot ksi$$

Determine controlling load case:
$$b_u := max(b_{uW}, b_{uEQ})$$
 $b_u = 3.7 \cdot ksi$

Check Bearing Plate Stresses on Concrete Due to Pre-tension and Extreme Wind Force:

C	(D - f 1 -)
Compute Areas being loaded:	(Reference 1a)

Area at bottom of grout:
$$A_1 := w_{flange} + 2 \cdot t_g$$
 $A_1 = 14.9 \cdot in$

Area of limiting bearing within
$$A_2 := A_1 + \left[C - \left(OD + 2 \cdot t_g\right)\right]$$
 $A_2 = 47.6 \cdot in$ concrete:

$$A := \min\left(\sqrt{\frac{A_2}{A_1}}, 2\right)$$

$$A = 1.78$$

Design bearing strength:
$$\phi b_n := \phi_{br} \cdot 0.85 \cdot f_{cp} \cdot A$$
 (Reference 1a) $\phi b_n = 4.9 \cdot ksi$ $\frac{b_u}{\phi b_n} = 0.75$

E. Check Pullout Strength of Embedment Ring/Anchor Bolt Connection

1) Input Parameters - Verts

Size: Size_{vert} := 8

Spacing between vertical legs: $s_r := 18 \cdot in$

Reinforcement bar diameter: $d_r := vlookup(Size_{vert}, ACI_bar_table, 1)_0 \cdot in$ $d_r = 1.000 \cdot in$

Area of reinforcement: $A_r := vlookup(Size_{vert}, ACI_bar_table, 2)_0 \cdot in^2$ $A_r = 0.79 \cdot in^2$

2) Input Parameters - H-bars

Reinforcement bar size: Size_H := 9

Spacing between vertical legs: $s_{rH} := 24 \cdot in$

Reinforcement bar diameter: $d_{rH} := vlookup(Size_H, ACI_bar_table, 1)_0 \cdot in$ $d_{rH} = 1.128 \cdot in$

Area of reinforcement: $A_{rH} := vlookup(Size_{H}, ACI_bar_table, 2)_{0} \cdot in^{2} \qquad \qquad A_{rH} = 1.00 \cdot in^{2}$

Number of reinforcement bars: $n_z := N$ $n_z = 140$

Development length provided: $l_{dhprovided} := h_e - cc_{bot} - 2 \cdot 1.27 \cdot in - 0.5 \cdot d_r + t$ $l_{dhprovided} = 22.0 \cdot in$

Determine location of neutral axis using vertical force equilibrium and then determine moment capacity.

Guess location of neutral axis: $x_{NA} := 46.826 \cdot in$

Force equilibrium: Given $F_c(x_{NA}) = \phi_b \cdot T_{tot}(x_{NA})$

3) Reinforcement

Outside diameter of reinforcement:

$$l_h := 12 \cdot d_r + if \left(d_r \le 1.0 \cdot in, 4 \cdot d_r, if \left(d_r \ge 1.693 \cdot in, 6 \cdot d_r, 5 \cdot d_r \right) \right)$$

$$l_h = 16.0 \cdot in$$

Specified distance between verts:
$$l_h := round \left(\frac{l_h}{in}, 0\right) \cdot in$$
 $l_h = 16.0 \cdot in$

$$D_{or} := D_{avg} + s_r$$
 $D_{or} = 15.54 \, ft$ $D_{or} = 186.4 \cdot in$

Inside diameter of reinforcement:
$$D_{ir} := D_{or} - 2 \cdot s_r$$
 $D_{ir} = 12.54 \, \text{ft}$ $D_{ir} = 150.4 \cdot \text{in}$

Development length required for bar with
$$l_{dhreq} := 0.02 \cdot \frac{f_{yv}}{\sqrt{f_c \cdot psi}} \cdot d_r$$
 $l_{dhreq} = 17.0 \cdot in$ (Reference 1a) standard hook:

H-bar hook length:
$$l_{hH} := 12 \cdot d_{rH} + if \left(d_{rH} \le 1.0 \cdot in, 4 \cdot d_{rH}, if \left(d_{rH} \ge 1.693 \cdot in, 6 \cdot d_{rH}, 5 \cdot d_{rH} \right) \right)$$

$$l_{hH} = 19.2 \cdot in$$

Specified distance between H-bars:
$$l_{hH} := round \left(\frac{l_{hH}}{in}, 0 \right) \cdot in$$
 $l_{hH} = 19.0 \cdot in$

Outside diameter of reinforcement:
$$D_{orH} := D_{avg} + s_{rH}$$
 $D_{orH} = 16.04 \, \text{ft}$ $D_{orH} = 192.4 \, \text{in}$

Inside diameter of reinforcement:
$$D_{irH} := D_{orH} - 2 \cdot s_{rH}$$
 $D_{irH} = 12.04 \, ft$ $D_{irH} = 144.4 \cdot in$

Development length required for bar with
$$l_{dhreqH} := 0.02 \cdot \frac{f_{yv}}{\sqrt{f_c \cdot psi}} \cdot d_{rH}$$
 $l_{dhreqH} = 19.1 \cdot in$ (Reference 1a) standard hook:

Compressive strain in concrete: $\varepsilon_{\rm c} := 0.003$ (Reference 1a)

Yield strain of reinforcement: $\varepsilon_{y} := \frac{f_{yv}}{E_{s}}$ $\varepsilon_{v} = 0.0021$

Beta factor: $\beta_{1p} := if \left[f_{cp} \geq 4000 psi , max \left[0.85 - 0.05 \cdot \left(\frac{f_{cp}}{psi} - 4000 \right), 0.65 \right], 0.85 \right]$

 $\beta_{1p} = 0.80$

Counter for inner and outer bars (consider one half of the section): $\iota := 1, 2 ... \frac{n_z}{4}$

Angle to individual bar pairs: $\beta_{L} := \frac{4 \cdot \pi}{n_{z}} \cdot \left(\iota - \frac{1}{2} \right)$

Distance from extreme compression edge to bars in inner bar diameter: $d_{in_L} := \frac{OD}{2} - \frac{D_{ir}}{2} \cdot cos(\beta_L)$ $d_{inH_L} := \frac{OD}{2} - \frac{D_{irH}}{2} \cdot cos(\beta_L)$

Distance from extreme compression edge to bars in outer bar diameter: $d_{out_{L}} := \frac{OD}{2} - \frac{D_{or}}{2} \cdot cos(\beta_{L}) \\ d_{outH_{L}} := \frac{OD}{2} - \frac{D_{orH}}{2} \cdot cos(\beta_{L})$

Strain for inner bars (neglected if in compression): $\epsilon_{in} \! \left(x_{NA}, \iota \right) := \max \! \left[0, \epsilon_c \! \cdot \! \left(\frac{d_{in_\iota}}{x_{NA}} - 1 \right) \right]$ $\epsilon_{inH} \! \left(x_{NA}, \iota \right) := \max \! \left[0, \epsilon_c \! \cdot \! \left(\frac{d_{inH_\iota}}{x_{NA}} - 1 \right) \right]$

Strain for outer bars (neglected if in compression): $\varepsilon_{out} \Big(x_{NA}, \iota \Big) := \max \Bigg[0, \varepsilon_c \cdot \left(\frac{d_{out}}{x_{NA}} - 1 \right) \Bigg]$ $\varepsilon_{outH} \Big(x_{NA}, \iota \Big) := \max \Bigg[0, \varepsilon_c \cdot \left(\frac{d_{outH}}{x_{NA}} - 1 \right) \Bigg]$

Distance from centerline to bars in inner bar diameter: $db_{in_{L}} := d_{in_{L}} - \frac{OD}{2}$ $db_{inH_{L}} := d_{inH_{L}} - \frac{OD}{2}$

Distance from centerline to bars in outer bar diameter: $db_{out_{\iota}} := d_{out_{\iota}} - \frac{OD}{2}$ $db_{outH_{\iota}} := d_{outH_{\iota}} - \frac{OD}{2}$

Total tensile force on inner and outer bars:

$$\begin{split} T_{tot} \Big(x_{NA} \Big) &:= 2 \cdot \sum_{bb \,=\, 1}^{\frac{n_Z}{4}} \left(A_{r} \cdot min \bigg(1 \,, \frac{l_{dhprovided}}{l_{dhreq}} \bigg) \cdot min \big(f_{yv} \,, E_s \cdot \varepsilon_{in} \big(x_{NA} \,, bb \big) \big) \right) ... \\ &+ 2 \cdot \sum_{cc \,=\, 1}^{\frac{n_Z}{4}} \left(A_{r} \cdot min \bigg(1 \,, \frac{l_{dhprovided}}{l_{dhreq}} \bigg) \cdot min \big(f_{yv} \,, E_s \cdot \varepsilon_{out} \big(x_{NA} \,, cc \big) \big) \right) ... \\ &+ 2 \cdot \sum_{dd \,=\, 1}^{\frac{n_Z}{4}} \left(A_{rH} \cdot min \bigg(1 \,, \frac{l_{dhprovided}}{l_{dhreqH}} \bigg) \cdot min \big(f_{yv} \,, E_s \cdot \varepsilon_{inH} \big(x_{NA} \,, dd \big) \big) \right) ... \\ &+ 2 \cdot \sum_{ee \,=\, 1}^{\frac{n_Z}{4}} \left(A_{rH} \cdot min \bigg(1 \,, \frac{l_{dhprovided}}{l_{dhreqH}} \bigg) \cdot min \big(f_{yv} \,, E_s \cdot \varepsilon_{outH} \big(x_{NA} \,, ee \big) \big) \right) \end{split}$$

$$T_{tot}(x_{NA}) = 9101 \cdot kip$$

Sum of moments caused by bars about centerline of pedestal:

$$\begin{split} M_{T}\big(x_{NA}\big) &:= 2 \cdot \sum_{ff}^{\frac{n_{Z}}{4}} \left[A_{r} \cdot min \bigg(1, \frac{l_{dhprovided}}{l_{dhreq}} \bigg) \cdot min \big(f_{yv}, E_{s} \cdot \varepsilon_{in} \big(x_{NA}, ff \big) \big) \cdot \Big(db_{in}_{ff} \Big) \right] ... \\ &+ 2 \cdot \sum_{gg \,=\, 1}^{\frac{n_{Z}}{4}} \left[A_{r} \cdot min \bigg(1, \frac{l_{dhprovided}}{l_{dhreq}} \bigg) \cdot min \big(f_{yv}, E_{s} \cdot \varepsilon_{out} \big(x_{NA}, gg \big) \big) \cdot \Big(db_{out}_{gg} \Big) \right] ... \\ &+ 2 \cdot \sum_{hh \,=\, 1}^{\frac{n_{Z}}{4}} \left[A_{rH} \cdot min \bigg(1, \frac{l_{dhprovided}}{l_{dhreqH}} \bigg) \cdot min \big(f_{yv}, E_{s} \cdot \varepsilon_{inH} \big(x_{NA}, hh \big) \big) \cdot \Big(db_{in}_{hh} \Big) \right] ... \\ &+ 2 \cdot \sum_{ii \,=\, 1}^{\frac{n_{Z}}{4}} \left[A_{rH} \cdot min \bigg(1, \frac{l_{dhprovided}}{l_{dhreqH}} \bigg) \cdot min \big(f_{yv}, E_{s} \cdot \varepsilon_{outH} \big(x_{NA}, ii \big) \big) \cdot \Big(db_{outH}_{ii} \Big) \right] \end{split}$$

$$M_T(x_{NA}) = 31880 \cdot \text{kip} \cdot \text{ft}$$

4) Concrete

Depth of compression $a_c(x_{NA}) := \beta_{1p} \cdot x_{NA}$ block:

 $a_c(x_{NA}) = 37.5 \cdot in$

Area of compression block:

$$\begin{split} A_{comp} \big(x_{NA} \big) &:= \left| \int_{0}^{a_{C} \big(x_{NA} \big)} \left(2 \cdot \sqrt{y \cdot OD - y^{2}} \right) dy \quad \text{if} \quad a_{C} \big(x_{NA} \big) < w_{flange} \right. \\ & \left. \int_{0}^{\frac{OD - ID}{2}} \left(2 \cdot \sqrt{y \cdot OD - y^{2}} \right) dy \dots \right. \qquad \qquad \text{otherwise} \\ & \left. + \int_{\frac{OD - ID}{2}}^{a_{C} \big(x_{NA} \big)} \left[2 \cdot \sqrt{y \cdot OD - y^{2}} - 2 \cdot \sqrt{\left[y - \left(\frac{OD - ID}{2} \right) \right] \cdot ID - \left[y - \left(\frac{OD - ID}{2} \right) \right]^{2}} \right] dy \end{split}$$

$$A_{comp}(x_{NA}) = 1662 \cdot in^2$$

Bearing capacity of concrete:

$$F_{c}(x_{NA}) := \max(b_{u}, \phi b_{n}) \cdot A_{comp}(x_{NA}) \qquad F_{c}(x_{NA}) = 8191 \cdot k$$

$$F_c(x_{NA}) = 8191 \cdot k$$

Centroid of concrete in compression from top of section:

$$\begin{split} x_c(x_{NA}) &:= \left[\frac{1}{A_{comp}(x_{NA})} \cdot \int_0^{a_c(x_{NA})} \left(2 \cdot \sqrt{y \cdot OD - y^2} \right) \cdot y \, dy \quad \text{if } a_c(x_{NA}) < w_{flange} \right. \\ &\left. \frac{1}{A_{comp}(x_{NA})} \cdot \int_0^{\frac{OD - ID}{2}} \left(2 \cdot \sqrt{y \cdot OD - y^2} \right) \cdot y \, dy \, \dots \right. \\ &\left. + \frac{1}{A_{comp}(x_{NA})} \cdot \int_0^{a_c(x_{NA})} \left[2 \cdot \sqrt{y \cdot OD - y^2} \dots \right. \\ &\left. + \frac{1}{A_{comp}(x_{NA})} \cdot \int_0^{\frac{OD - ID}{2}} \left[2 \cdot \sqrt{y \cdot OD - y^2} \dots \right] \cdot y \, dy \right] \\ &\left. - 2 \cdot \sqrt{\left[y - \left(\frac{OD - ID}{2} \right) \right] \cdot ID - \left[y - \left(\frac{OD - ID}{2} \right) \right]^2} \right] \cdot y \, dy \end{split}$$

$$x_c(x_{NA}) = 16.3 \cdot in$$

Sum of moments by compression about

compression about centerline of pedestal:
$$M_C(x_{NA}) := F_c(x_{NA}) \cdot \left(\frac{OD}{2} - x_c(x_{NA})\right)$$

$$M_{\rm C}(x_{\rm NA}) = 50098 \cdot \text{kip} \cdot \text{ft}$$

5) Equillibrium and Flexural Checks

 $\text{Must equal zero for force equilibrium:} \qquad \text{Equilibrium := } \left| \varphi_b \cdot T_{tot} \Big(x_{NA} \Big) - F_c \Big(x_{NA} \Big) \right| \qquad \qquad \text{Equilibrium = } 0 \cdot \text{kip}$

Solve for location of neutral axis: $x_{NA} := Find(x_{NA})$ $x_{NA} = 46.826 \cdot in$

 $\text{Total moment capacity of pedestal:} \qquad \varphi M_{nped}\big(x_{NA}\big) := M_T\big(x_{NA}\big) + M_C\big(x_{NA}\big) \qquad \varphi M_{nped}\big(x_{NA}\big) = 81978 \cdot k \cdot \text{ft}$

Controlling pullout moment: $M_u := max(M_{ubolt}, M_{usbolt})$ $M_u = 48009 \cdot k \cdot ft$

Ratio of factored moment to $\frac{M_u}{M_u} = 0.59$

flexural capacity: $\frac{}{\phi M_{nped}(x_{NA})} = 0.59$

F. Check Bending Strength of Embedment Plate

Nut to nut circumferential distance:
$$d_1 := \frac{2 \cdot D_0 \cdot \pi}{N} - d_n \qquad \qquad d_1 = 4.82 \cdot \text{in}$$

Nut to nut radial distance:
$$d_2 := \left(\frac{D_o - D_i}{2}\right) - d_n \qquad \qquad d_2 = 2.83 \cdot in$$

Edge distance:
$$d_3 := \left(\frac{OD - D_0}{2}\right) - \frac{d_n}{2}$$

$$d_3 = 1.06 \cdot in$$

Ultimate wind stress:
$$b_{uplateW} := \frac{M_{ubolt}}{S_1} - \alpha_{d1} \cdot \frac{W_t}{A_{br1}}$$

$$b_{uplateW} = 2.5 \cdot ksi$$

Ultimate seismic stress:
$$b_{uplateEQ} := \frac{M_{usbolt}}{S_1} - \alpha_{d1EQ} \cdot \frac{W_{OE}}{A_{br1}} \qquad b_{uplateEQ} = 1.6 \cdot ksi$$

Determine controlling load case:
$$b_{uplate} := max \left(b_{uplateW}, b_{uplateEQ}, \alpha_{pt} \cdot \frac{T_{pre} \cdot N}{A_{br1}} \right) \qquad b_{uplate} = 2.5 \cdot ksi$$

Plastic section modulus per inch:
$$Z_y := \frac{t^2}{4}$$
 $Z_y = 0.25 \cdot \frac{\ln^3}{\ln}$

Section modulus per inch:
$$S_y := \frac{t^2}{6}$$

$$S_y = 0.17 \cdot \frac{\ln^3}{\text{in}}$$

Check circumferential nut to nut bending

$$M_{u.e1} \coloneqq b_{uplate} \cdot \frac{d_1^{\ 2}}{12} = 4.93 \cdot \frac{\text{in} \cdot k}{\text{in}} \qquad \qquad \varphi M_n \coloneqq \varphi_b \cdot \min \left(F_y \cdot Z_y \,, 1.6 \cdot F_y \cdot S_y \right) = 8.10 \cdot \frac{\text{in} \cdot k}{\text{in}} \qquad \qquad (\text{Reference 1c}) \quad \boxed{\frac{M_{u.e1}}{\varphi M_n} = 0.61}$$

Check circumferential nut to nut bending at splice

$$M_{u.e2} \coloneqq b_{uplate} \cdot \frac{d_1^{\ 2}}{8} = 7.39 \cdot \frac{in \cdot k}{in} \tag{Reference 1c}$$

Check radial nut to nut bending

$$M_{u.e3} := b_{uplate} \cdot \frac{d_2^2}{12} = 1.69 \cdot \frac{\text{in} \cdot \text{k}}{\text{in}}$$
 (Reference 1c)
$$\frac{M_{u.e3}}{\phi M_n} = 0.21$$

Check nut to edge bending

$$M_{u.e4} := \frac{b_{uplate}}{2} \cdot d_3^2 = 1.43 \cdot \frac{\text{in} \cdot k}{\text{in}}$$
 (Reference 1c)
$$\frac{M_{u.e4}}{\phi M_n} = 0.18$$

Check shear rupture of washer through plate

$$V_{uj} := max \left(\alpha_{pt} \cdot T_{pre}, \frac{P_u}{2} \right) = 93.94 \cdot k \qquad \varphi V_n := \varphi_v \cdot \pi \cdot d_n \cdot t \cdot 0.6 \cdot F_u = 245.99 \cdot k \qquad \qquad (\text{Reference 1c}) \qquad \boxed{\frac{V_{uj}}{\varphi V_n} = 0.38}$$

IX-a. Concrete Design - Extreme Loads

A. Design Functions

Function describing the volume of concrete for each slice of the moment/shear calculations.

$$\label{eq:concreteVolume} \begin{aligned} \text{ConcreteVolume}(y) &:= & \left| \begin{array}{l} h_b \cdot (B+2 \cdot y) + \frac{y}{a} \cdot h_c \cdot (B+y) & \text{if } y \leq a \\ h_b \cdot (D) + h_c \cdot (B+a) & \text{otherwise} \end{array} \right| \end{aligned}$$

Functions describing the weight of the soil wedge pieces acting on each slice of the moment/shear calculations.

$$\begin{aligned} \text{StaticSoilWedgeWeight} \Big(\gamma_{sd}, \gamma_{ss} \Big) &:= \left[\gamma_{sd} \cdot \frac{B \cdot tan(\theta)}{2} \cdot \left(h_s - h_b \right)^2 \right. \\ &\left. \text{if } d_{GWT} \geq h_s - h_b \right. \\ &\left. \frac{B \cdot tan(\theta)}{2} \cdot \left[\gamma_{ss} \left(h_s - h_b - d_{GWT} \right)^2 + \gamma_{sd} \left[\left(h_s - h_b \right)^2 - \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \end{aligned} \right. \\ &\left. \text{otherwise} \end{aligned}$$

$$\begin{aligned} \text{VariableSoilWedgeWeight}\big(y,\gamma_{sd},\gamma_{ss}\big) := & \begin{bmatrix} 0 & \text{if } d_{GWT} \geq h_s - h_b \\ & \text{otherwise} \\ & & \sqrt{2} \cdot tan(\theta) \cdot \left[\gamma_{ss} \big(h_s - h_b - d_{GWT}\big)^2 + \gamma_{sd} \! \left[\big(h_s - h_b\big)^2 - \big(h_s - h_b - d_{GWT}\big)^2 \right] \end{bmatrix} & \text{if } y \leq a \\ & & tan(\theta) \cdot \left[\gamma_{ss} \big(h_s - h_b - d_{GWT}\big)^2 + \gamma_{sd} \! \left[\big(h_s - h_b\big)^2 - \big(h_s - h_b - d_{GWT}\big)^2 \right] \right] & \text{otherwise} \end{aligned}$$

Function describing the volume of dry soil over each slice of the moment/shear calculations.

$$\begin{split} \text{DrySoilVolume}(hj\,,y) &:= & \left[\text{if } d_{GWT} \geq h_s - h_b \\ & \left[\left(h_s - h_b \right) - \frac{y}{a} \cdot h_c \right] \cdot (B + 2 \cdot y) + \frac{y^2 \cdot h_c}{a} + \sqrt{2} \cdot \tan(\theta) \cdot \left(h_s - h_b \right)^2 \quad \text{if } y \leq a \\ & D \cdot \left[\left(h_s - h_b \right) - h_c \right] + h_c \cdot a + \tan(\theta) \cdot \left(h_s - h_b \right)^2 \quad \text{otherwise} \\ & \text{if } d_{GWT} \leq h_s - hj \\ & \left[d_{GWT} \cdot (B + 2 \cdot y) \quad \text{if } y \leq a \\ & D \cdot d_{GWT} \quad \text{otherwise} \\ & \text{otherwise} \\ & \left[\left(h_s - h_b \right) - \frac{y}{a} \cdot h_c \right] \cdot (B + 2 \cdot y) + \left[\frac{y^2 \cdot h_c}{a} - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \quad \text{if } y \leq a \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \quad \text{otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \quad \text{otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \quad \text{otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \quad \text{otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right) \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right) \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right) \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right) \right] \right] \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right) \right] \right]$$

Function describing the volume of saturated soil over each slice of the moment/ shear calculations.

$$\begin{split} \text{SaturatedSoilVolume}(\text{hj}\,,y) &:= & \left| \begin{array}{l} 0 \quad \text{if} \ d_{GWT} \geq \, h_s - h_b \\ \\ \text{if} \ d_{GWT} \leq \, h_s - h_j \\ \\ \left| \left(B + 2 \cdot y \right) \cdot \left(h_s - h_b - \frac{y}{a} \cdot h_c - d_{GWT} \right) + \frac{y^2 \cdot h_c}{a} \quad \text{if} \ y \leq \, a \\ \\ \left| \left(h_s - h_b - h_c - d_{GWT} \right) \cdot D + h_c \cdot a \quad \text{otherwise} \\ \\ \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWT} \right)^2 \quad \text{otherwise} \\ \\ \end{split}$$

Function describing the effect of groundwater on the material weights over each slice of the moment/ shear calculations.

$$\begin{aligned} \text{BuoyancyWeight}(y) &:= & \left| \begin{array}{l} 0 \quad \text{if} \ d_{GWT} \geq \, h_S \\ \\ \text{if} \ d_{GWT} < \, h_S \\ \\ \left| \left(B + 2 \cdot y \right) \cdot \left(h_S - d_{GWT} \right) \right. \ \text{if} \ y \leq \, a \\ \\ \left(h_S - d_{GWT} \right) \cdot D \quad \text{otherwise} \end{aligned} \right. \end{aligned}$$

B. Design Soil Bearing Pressure Wind Loading

(Reference 8)

$$\text{Design overturning moment:} \qquad \qquad M_{dW} := \sqrt{\left(\alpha_w \cdot M + \alpha_{d3} \cdot M_{align} \cdot \cos(\Delta)\right)^2 + \left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_w \cdot M + \alpha_{d3} \cdot M_{align} \cdot \cos(\Delta)\right)^2 + \left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_w \cdot M + \alpha_{d3} \cdot M_{align} \cdot \cos(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt{\left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} \\ + \alpha_w \cdot \left(h_b + h_c + h_p\right) \cdot H_{dW} = \sqrt$$

$$M_{dW} = 49870 \cdot k \cdot ft$$

Design vertical load:
$$V_{dW} := \alpha_{d1} \cdot \left(W_p + W_f + W_s - \frac{F_b}{\alpha_{d1}} + W_t \right) \qquad V_{dW} = 2953 \cdot k$$

Design load eccentricity:
$$e_{dW} := \frac{M_{dW}}{V_{dW}}$$
 $e_{dW} = 16.9 \, \text{ft}$

Circular radius of octagon:
$$R := \frac{D}{2}$$
 $R = 30.8 \, \text{ft}$

Effective soil area in bearing:
$$A_{effW} := 2 \cdot \left[\left(R^2 \right) \cdot a cos \left(\frac{e_{dW}}{R} \right) - e_{dW} \cdot \sqrt{R^2 - e_{dW}^2} \right] \qquad A_{effW} = 1003 \cdot ft^2$$

Ellipse soil width in bearing:
$$b_{eW} := 2 \cdot (R - e_{dW})$$
 $b_{eW} = 27.7 \, \text{ft}$

Ellipse soil length in bearing:
$$l_{eW} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eW}}{2 \cdot R}\right)^2}$$

$$l_{eW} = 51.4 \, \text{ft}$$

Effective soil length in bearing:
$$l_{effW} := \sqrt{A_{effW} \cdot \frac{l_{eW}}{b_{eW}}}$$

$$l_{effW} = 43.1 \text{ ft}$$

Design bearing pressure:
$$f_{dW} := \frac{V_{dW}}{A_{effW}}$$
 $f_{dW} = 2944 \cdot psf$

Effective soil width in bearing:
$$b_{effW} := \frac{l_{effW}}{l_{ew}} \cdot b_{eW}$$
 $b_{effW} = 23.3 \, ft$

$$x_{startW} := \frac{D}{2} - e_{dW} - \frac{b_{effW}}{2}$$

$$x_{startW} = 2.23 \, ft$$

C. Design Soil Bearing Pressure Seismic Loading

(Reference 8)

$$\text{Design overturning moment:} \qquad \qquad M_{dEQ} := \sqrt{\left(\alpha_{EQ} \cdot M_{OE} + \alpha_{d3} \cdot M_{align} \cdot \cos(\Delta)\right)^2 + \left(\alpha_{d3} \cdot M_{align} \cdot \sin(\Delta)\right)^2} + \alpha_{EQ} \cdot \left(h_b + h_c + h_p\right) \cdot H_{dEQ}$$

$$M_{dEQ} = 32520 \cdot ft \cdot k$$

Design vertical load:
$$V_{dEQ} := \alpha_{d1EQ} \cdot \left(W_p + W_f + W_s - \frac{F_b}{\alpha_{d1EQ}} + W_{OE} \right) \qquad V_{dEQ} = 2973 \cdot \text{kip}$$

Design load eccentricity:
$$e_{dEQ} := \frac{M_{dEQ}}{V_{dEQ}}$$
 $e_{dEQ} = 10.9 \, \text{ft}$

$$A_{effEQ} := 2 \cdot \left\lceil \left(R^2\right) \cdot acos \left(\frac{e_{dEQ}}{R}\right) - e_{dEQ} \cdot \sqrt{R^2 - e_{dEQ}}^2 \right\rceil \\ A_{effEQ} = 1654 \cdot ft^2$$

Ellipse soil width in bearing:
$$b_{eEQ} := 2 \cdot (R - e_{dEQ})$$
 $b_{eEQ} = 39.6 \, \text{ft}$

Ellipse soil length in bearing:
$$l_{eEQ} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eEQ}}{2 \cdot R}\right)^2}$$

$$l_{eEQ} = 57.5 \, \text{ft}$$

Effective soil length in bearing:
$$l_{effEQ} := \sqrt{A_{effEQ} \cdot \frac{l_{eEQ}}{b_{eEQ}}}$$

$$l_{effEQ} = 49.0 \, ft$$

Design bearing pressure:
$$f_{dEQ} := \frac{V_{dEQ}}{A_{effEQ}}$$

$$f_{dEQ} = 1797 \cdot psf$$

Effective soil width in bearing:
$$b_{effEQ} := \frac{l_{effEQ}}{l_{eFO}} \cdot b_{eEQ}$$
 $b_{effEQ} = 33.8 \, ft$

$$x_{startEQ} := \frac{D}{2} - e_{dEQ} - \frac{b_{effEQ}}{2}$$
 $x_{startEQ} = 2.93 \text{ ft}$

D. Structural Calculations

	$^{\circ}$	
Area of pedestal:	$A_{\text{ped}} := \pi \cdot \frac{1}{4}$	$A_{\text{ped}} = 254 \cdot \text{ft}^2$

Equivalent square dimension:
$$S_{ped} := \sqrt{A_{ped}} \hspace{1cm} S_{ped} = 16.0 \, ft$$

Distance to critical section:
$$x_{face} := \frac{D - S_{ped}}{2}$$
 $x_{face} = 22.8 \, ft$

Number of section slices to be taken:
$$n := trunc \left(\frac{a}{ft} \cdot 2\right)$$
 $n = 36$

Sloped portion of footing:
$$i := 1, 2...n$$

From a to the critical section (
$$x_{face}$$
): $j := n + 1, n + 2 ... n + 5$

Array counter for all slices:
$$q := 1, 2... n + 5$$

Plan location of section:
$$x_i := \frac{i}{2} \cdot \text{ft} \qquad \qquad x_j := a + \left(x_{face} - a\right) \cdot \frac{j - n}{5}$$

Height of section:
$$h_i := h_b + \frac{x_i}{a} \cdot h_c \quad h_j := h_b + h_c$$

$$d_i := h_b + \frac{x_i}{a} \cdot h_c - 3.75 \cdot in$$

$$d_j := h_b + h_c - 3.75 \cdot in$$

The exact solution for the factored shear force under wind loading due to soil bearing pressure along the sloped portion of the foundation is:

Design Shear from edge of footing to just before $b_{\mbox{\scriptsize effW}}$

 $+-\alpha_{\rm d1}$ ·StaticSoilWedgeWeight($\gamma_{\rm sdbot}, \gamma_{\rm ssbot}$) + StaticSoilWedgeWeight(0pcf, $\gamma_{\rm w}$)

Design Shear from a to x_{face}

$$\begin{aligned} V_{uW_{j}} := \int_{x_{startW}}^{min\left(x_{j}, x_{startW} + b_{effW}\right)} f_{dW} \cdot l_{effW} \, dy + \int_{x_{startW}}^{a} -\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} + \frac{\text{DrySoilWedgeWeight}(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots}{\text{-VariableSoilWedgeWeight}(y, \gamma_{sdbot}, \gamma_{sbot}) \dots} + \frac{-\text{VariableSoilWedgeWeight}(y, \gamma_{sdbot}, \gamma_{sdbot}, \gamma_{sdbot}) \dots}{\alpha_{d1}} + \frac{-\text{BuoyancyWeight}(y)}{\alpha_{d1}} \cdot \gamma_{w} \\ + \frac{-\text{BuoyancyWeight}(y)}{\alpha_{d1}} \cdot \gamma_{w} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{ConcreteVolume}(y) \cdot \gamma_{c} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ + \frac{-\alpha_{d1} \cdot \left(\frac{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \right)}{\text{-DrySoilVolume}(h_{j}, y) \gamma_{sdbot} \dots} \\ +$$

$$+ \begin{pmatrix} X_{J} \\ -\alpha_{d1} \cdot \begin{pmatrix} ConcreteVolume(y) \cdot \gamma_{c} & ... \\ + DrySoilVolume(h_{j}, y) \gamma_{sdbot} & ... \\ + SaturatedSoilVolume(h_{j}, y) \cdot \gamma_{ssbot} & ... \\ + VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) & ... \\ + \frac{-VariableSoilWedgeWeight(y, 0pcf, \gamma_{w})}{\alpha_{d1}} & ... \\ + \frac{-BuoyancyWeight(y)}{\alpha_{d1}} \cdot \gamma_{w} \end{pmatrix}$$

The exact solution for the factored shear force under seismic loading due to soil bearing pressure along the sloped portion of the foundation is:

Design Shear from edge of footing to just before b_{effEO}

$$V_{uEQ_{\hat{i}}} \coloneqq \begin{bmatrix} 0 & \text{if } x_{\hat{i}} \leq x_{startEQ} \\ \int_{x_{startEQ}}^{min\left(x_{\hat{i}}, x_{startEQ} + b_{effEQ}\right)} \\ \int_{x_{startEQ}}^{min\left(x_{\hat{i}}, x_{startEQ} + b_{effEQ}\right)} \\ \int_{x_{startEQ}}^{dieq} \int_{dEQ}^{defeq} \int_{deq}^{deq} \int_{deq}^$$

Design Shear from a to x_{face}

$$\begin{aligned} V_{uEQ_j} &:= \int_{x_{startEQ}}^{min\left(x_j\,,x_{startEQ} + b_{effEQ}\right)} f_{dEQ} \cdot l_{effEQ} \, dy + \\ & \begin{cases} a \\ -\alpha_{d1EQ} \cdot \begin{pmatrix} ConcreteVolume(y) \cdot \gamma_c \, \dots \\ + \, DrySoilVolume(h_j\,,y) \, \gamma_{sdbot} \, \dots \\ + \, SaturatedSoilVolume(h_j\,,y) \cdot \gamma_{ssbot} \, \dots \\ + \, VariableSoilWedgeWeight(y\,,\gamma_{sdbot},\gamma_{ssbot}) \, \dots \\ + \, VariableSoilWedgeWeight(y\,,0pcf\,,\gamma_w) \\ \hline \alpha_{d1EQ} \\ + \, \frac{-BuoyancyWeight(y)}{\alpha_{d1EQ}} \cdot \gamma_w \end{aligned} \end{aligned}$$

$$+ \int_{0}^{x_{j}} -\alpha_{d1EQ} \cdot \begin{pmatrix} ConcreteVolume(y) \cdot \gamma_{c} \dots \\ + DrySoilVolume(h_{j}, y) \gamma_{sdbot} \dots \\ + SaturatedSoilVolume(h_{j}, y) \cdot \gamma_{ssbot} \dots \\ + VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots \\ - VariableSoilWedgeWeight(y, 0pcf, \gamma_{w}) \dots \\ + \frac{-VariableSoilWedgeWeight(y, 0pcf, \gamma_{w})}{\alpha_{d1EQ}} \dots \\ + \frac{-BuoyancyWeight(y)}{\alpha_{d1EQ}} \cdot \gamma_{w} \end{pmatrix}$$

< 1.0

D2. Summary: Stability, Soil Bearing, Soil Stiffness, and Tower Bottom Flange Anchorage

Factor of Safety Against Overturning:	$Output_{Overturning} = 2.44$	> 1.5
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Extreme Load Bearing Length Ratio: Output_{ExtremeBearing} =
$$0.74$$
 > 0.5

Bearing Ratio - Normal: Output_{SoilBearingN} =
$$0.53$$
 < 1.0

Bearing Ratio - Normal Extreme: Output_{SoilBearingEN} =
$$0.48$$
 < 1.0

Bearing Ratio - Abnormal Extreme: Output_{SoilBearingEA} =
$$0.56$$
 < 1.0
Bearing Ratio - Earthquake: Output_{SoilBearingEO} = 0.45 < 1.0

Bearing Ratio - Abnormal Extreme:

Anchor Bolt Load Ratio:
$$Output_{AnchorBolt} = 0.89$$

3-Day Grout Bearing Ratio: Output_{Grout3Day} =
$$0.75$$
 < 1.0

28-Day Grout Bearing Ratio: Output_{Grout28Day} =
$$0.83$$
 < 1.0

$$Output_{ConcretePullout2equil} = 1.00$$
 = 1.0

Bottom Reinforcing Design Moments

Solution for the design bending moment due to soil bearing pressure under wind loading is:

$$\begin{split} M_{ubot1W_{\hat{i}}} &:= \begin{bmatrix} 0 & \text{if } x_{\hat{i}} \leq x_{startW} \\ & min(x_{\hat{i}}, x_{startW} + b_{effW}) \\ & f_{dW} \cdot l_{effW} \cdot (x_{\hat{i}} - y) \text{ dy otherwise} \\ & + StaticSoilWedgeWeight(0pcf, \gamma_w) \cdot x_{\hat{i}} \dots \\ & + \begin{cases} x_{\hat{i}} \\ -\alpha_{d1} \cdot \begin{pmatrix} \text{ConcreteVolume}(y) \cdot \gamma_c \dots \\ & + \text{DrySoilVolume}(h_{\hat{i}}, y) \cdot \gamma_{ssbot} \dots \\ & + \text{SaturatedSoilWedgeWeight}(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots \\ & + VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots \\ & + \frac{-VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots \\ & + \frac{-BuoyancyWeight(y)}{\alpha_{d1}} \cdot \gamma_w \end{pmatrix} \end{split}$$

$$\begin{split} M_{ubot1W_{j}} \coloneqq \int_{x_{startW}}^{min\left(x_{j}\,,x_{startW} + b_{effW}\right)} f_{dW} \cdot l_{effW} \cdot \left(x_{j} - y\right) \, dy \, + \, & \\ \int_{x_{startW}}^{a} -\alpha_{d1} \cdot \left(\begin{array}{c} ConcreteVolume(y) \cdot \gamma_{c} \, \dots \\ + \, DrySoilVolume\left(h_{j}\,,y\right) \cdot \gamma_{sdbot} \, \dots \\ + \, SaturatedSoilVolume\left(h_{j}\,,y\right) \cdot \gamma_{ssbot} \, \dots \\ + \, VariableSoilWedgeWeight\left(y\,,\gamma_{sdbot},\gamma_{ssbot}\right) \, \dots \\ + \, & \\ \frac{-VariableSoilWedgeWeight\left(y\,,0pcf\,,\gamma_{w}\right)}{\alpha_{d1}} \, \dots \\ + \, & \\ \frac{-BuoyancyWeight(y)}{\alpha_{d1}} \cdot \gamma_{w} \, & \\ \end{array} \end{split}$$

 $+ -\alpha_{d1} \cdot StaticSoilWedgeWeight \Big(\gamma_{sdbot}, \gamma_{ssbot}\Big) \cdot x_j + StaticSoilWedgeWeight \Big(0pcf, \gamma_w\Big) \cdot x_j \ ...$

$$+ \int_{a}^{x_{j}} -\alpha_{d1} \cdot \begin{pmatrix} ConcreteVolume(y) \cdot \gamma_{c} \dots \\ + DrySoilVolume(h_{j}, y) \cdot \gamma_{sdbot} \dots \\ + SaturatedSoilVolume(h_{j}, y) \cdot \gamma_{ssbot} \dots \\ + VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots \\ - VariableSoilWedgeWeight(y, 0pcf, \gamma_{w}) \dots \\ + \frac{-VariableSoilWedgeWeight(y, 0pcf, \gamma_{w})}{\alpha_{d1}} \dots \\ + \frac{-BuoyancyWeight(y)}{\alpha_{d1}} \cdot \gamma_{w} \end{pmatrix}$$

Solution for the design bending moment due to soil bearing pressure under seismic loading is:

$$\begin{split} M_{ubot1EQ_i} &:= \begin{cases} 0 & \text{if } x_i \leq x_{startEQ} \\ \int_{x_{startEQ}}^{min\left(x_i, x_{startEQ} + b_{effEQ}\right)} \\ \int_{x_{startEQ}}^{min\left(x_i, x_{startEQ} + b_{effEQ}\right)} \\ f_{dEQ} \cdot l_{effEQ} \cdot \left(x_i - y\right) \, dy & \text{otherwise} \end{cases} \\ + \begin{cases} C_{oncreteVolume(y) \cdot \gamma_c \dots} \\ + DrySoilVolume(h_i, y) \gamma_{sdbot} \dots \\ + SaturatedSoilVolume(h_i, y) \cdot \gamma_{ssbot} \dots \\ + VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \dots \\ - VariableSoilWedgeWeight(y, 0pcf, \gamma_w) \\ + \frac{-BuoyancyWeight(y)}{\alpha_{d1EQ}} \cdot \gamma_w \end{cases} \\ \end{bmatrix} \dots \end{split}$$

- $+-\alpha_{d1EQ} \cdot StaticSoilWedgeWeight \Big(\gamma_{sdbot}, \gamma_{ssbot} \Big) \cdot x_i \ ...$
- + StaticSoilWedgeWeight(0pcf, γ_w)·x_i

$$\begin{split} M_{ubot1EQ_{j}} &:= \int_{x_{startEQ}}^{min\left(x_{j}, x_{startEQ} + b_{effEQ}\right)} f_{dEQ} \cdot l_{effEQ} \cdot \left(x_{j} - y\right) \, dy \; ... \\ &+ \int_{x_{startEQ}}^{a} -\alpha_{d1EQ} \cdot \left(\begin{array}{c} ConcreteVolume(y) \cdot \gamma_{c} \; ... \\ + \; DrySoilVolume(h_{j}, y) \cdot \gamma_{sdbot} \; ... \\ + \; VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \; ... \\ + \; VariableSoilWedgeWeight(y, 0pcf, \gamma_{w}) \; ... \\ - VariableSoilWedgeWeight(y) \cdot \gamma_{w} \\ - \alpha_{d1EQ} \cdot StaticSoilWedgeWeight(\gamma_{sdbot}, \gamma_{ssbot}) \cdot x_{j} \; ... \\ + \; StaticSoilWedgeWeight(0pcf, \gamma_{w}) \cdot x_{j} \; ... \\ + \; DrySoilVolume(h_{j}, y) \cdot \gamma_{sdbot} \; ... \\ + \; DrySoilVolume(h_{j}, y) \cdot \gamma_{ssbot} \; ... \\ + \; VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \; ... \\ + \; VariableSoilWedgeWeight(y, \gamma_{sdbot}, \gamma_{ssbot}) \; ... \\ + \; VariableSoilWedgeWeight(y, 0pcf, \gamma_{w}) \\ - VariableSoilWedgeWeight(y, 0pcf, \gamma_{w}) \\ - VariableSoilWedgeWeight(y) \cdot \gamma_{w} \\ - VariableSoilWedgeWeight(y) \cdot \gamma_{$$

Determine controlling load case for bottom moments:

$$M_{ubot1_q} \coloneqq max\Big(M_{ubot1W_q}, M_{ubot1EQ_q}\Big)$$

Top Reinforcing Design Moments

The solution for the design bending moment due to the weight of concrete and soil above the footing and soil resistance along edge of footing is:

$$\begin{split} M_{utop1_{\hat{i}}} &:= \int_{0}^{x_{\hat{i}}} max \big(\alpha_{d2}, \alpha_{d2EQ}\big) \cdot \left(\begin{array}{c} ConcreteVolume(y) \cdot \gamma_{c} \ ... \\ + \ DrySoilVolume \big(h_{\hat{i}}, y \big) \cdot \gamma_{sdtop} \ ... \\ + \ SaturatedSoilVolume \big(h_{\hat{i}}, y \big) \cdot \gamma_{sstop} \ ... \\ + \ VariableSoilWedgeWeight \big(y, \gamma_{sdtop}, \gamma_{sstop} \big) \cdot x_{\hat{i}} \end{array} \right) \cdot \left(\begin{array}{c} x_{\hat{i}} - y \end{array} \right) dy \ ... \end{split}$$

Alternate distance to critical section based on edge of embedment ring:

$$x_{face_alt} := \frac{D - \sqrt{\pi \cdot \frac{OD^2}{4}}}{2}$$

$$x_{face_alt} = 24.1 \text{ ft}$$

$$x_{alt_{j}} := a + (x_{face_alt} - a) \cdot \frac{j - n}{5}$$

$$\begin{split} M_{utop1_{j}} &:= \int_{0}^{a} max \left(\alpha_{d2}, \alpha_{d2EQ}\right) \cdot \begin{pmatrix} ConcreteVolume(y) \cdot \gamma_{c} \ ... \\ &+ DrySoilVolume(h_{j}, y) \gamma_{sdtop} \ ... \\ &+ SaturatedSoilVolume(h_{j}, y) \cdot \gamma_{sstop} \ ... \\ &+ VariableSoilWedgeWeight(y, \gamma_{sdtop}, \gamma_{sstop}) \end{pmatrix} \cdot \begin{pmatrix} x_{alt_{j}} - y \end{pmatrix} dy \ ... \\ &+ \int_{a}^{x_{alt_{j}}} max \left(\alpha_{d2}, \alpha_{d2EQ}\right) \cdot \begin{pmatrix} ConcreteVolume(y) \cdot \gamma_{c} \ ... \\ &+ DrySoilVolume(h_{j}, y) \gamma_{sdtop} \ ... \\ &+ DrySoilVolume(h_{j}, y) \gamma_{sstop} \ ... \\ &+ SaturatedSoilVolume(h_{j}, y) \cdot \gamma_{sstop} \ ... \\ &+ VariableSoilWedgeWeight(y, \gamma_{sdtop}, \gamma_{sstop}) \end{pmatrix} \cdot \begin{pmatrix} x_{alt_{j}} - y \end{pmatrix} dy \ ... \\ &+ max \left(\alpha_{d2}, \alpha_{d2EQ}\right) \cdot StaticSoilWedgeWeight(\gamma_{sdtop}, \gamma_{sstop}) \cdot x_{alt_{j}} \end{pmatrix}$$

•

E. Top and Bottom Reinforcing Selection

Top middle bars:

$$Size_{tmb} := 10$$

$$s_{topm} := 7 \cdot in$$

Top outside bars:

$$Size_{tob} := 6$$

$$s_{topo} := 6 \cdot in$$

Bottom middle bars:

$$Size_{bmb} := 10$$

$$s_{botm} := 7.5 \cdot in$$

Bottom outside bars:

$$Size_{bob} := 6$$

$$Size_{bob} := 6$$
 $s_{boto} := 10 \cdot in$

Distance from centerline that defines middle/outside boundary:

$$W_m := \frac{C}{2} + 1.5 \cdot (h_b + h_c)$$
 $W_m = 17.25 \text{ ft}$

$$W_m = 17.25 \, ft$$

F. Bar Cutoff Locations

Distance of top bar cutoff from edge of footing:

$$cd_{top} := 12 \cdot ft$$

 $cd_{bot} := 11 \cdot ft$

Distance of bottom bar cutoff from

edge of footing:

Assign properties using lookup function, depending on bar size.

$$di_{topm} := vlookup(Size_{tmb}, ACI_bar_table, 1)_0 \cdot in$$

$$di_{topm} = 1.270 \cdot in$$

$$di_{topo} := vlookup(Size_{tob}, ACI_bar_table, 1)_0 \cdot in$$

$$di_{topo} = 0.750 \cdot in$$

$$di_{botm} := vlookup(Size_{bmb}, ACI_bar_table, 1)_0 \cdot in$$

$$di_{botm} = 1.270 \cdot in$$

$$di_{boto} := vlookup(Size_{bob}, ACI_bar_table, 1)_0 \cdot in$$

$$di_{boto} = 0.750 \cdot in$$

$$A_{topm} := vlookup(Size_{tmb}, ACI_bar_table, 2)_0 \cdot in^2$$

$$A_{topm} = 1.27 \cdot in^2$$

$$A_{topo} := vlookup(Size_{tob}, ACI_bar_table, 2)_0 \cdot in^2$$

$$A_{topo} = 0.44 \cdot in^2$$

$$A_{botm} := vlookup(Size_{bmb}, ACI_bar_table, 2)_0 \cdot in^2$$

$$A_{botm} = 1.27 \cdot in^2$$

$$A_{boto} := vlookup(Size_{bob}, ACI_bar_table, 2)_0 \cdot in^2$$

$$A_{boto} = 0.44 \cdot in^2$$

$$W_{topm} := vlookup(Size_{tmb}, ACI_bar_table, 3)_0 \cdot lbf \div ft$$

$$W_{topm} = 4.303 \cdot \frac{lbf}{ft}$$

$$W_{topo} := vlookup(Size_{tob}, ACI_bar_table, 3)_0 \cdot lbf \div ft$$

$$W_{topo} = 1.502 \cdot \frac{lbf}{ft}$$

$$W_{botm} := vlookup(Size_{bmb}, ACI_bar_table, 3)_0 \cdot lbf \div ft$$

$$W_{botm} = 4.303 \cdot \frac{lbf}{ft}$$

$$W_{boto} \coloneqq vlookup \Big(Size_{bob} \, , ACI_bar_table \, , 3 \Big)_{\textstyle 0} \cdot lbf \, \div \, ft$$

$$W_{boto} = 1.502 \cdot \frac{lbf}{ft}$$

G. Bottom Reinforcing Development Length Past Critical Section

1) Middle Bars

Rebar yield strength: $f_v = 75000 \cdot psi$ $f_c = 5000 \cdot psi$ 28 day concrete strength: Bottom middle layer bar spacing: $s_{botm} = 7.50 \cdot in$

Bottom middle layer bar diameter: $di_{botm} = 1.270 \cdot in$

Reinforcement location factor: $\alpha := 1.0$ <12 inches of concrete cast below (Reference 1a)

 $\beta := 1.0$ Coating factor: uncoated $\gamma := if(di_{botm} < 0.875 \cdot in, 0.8, 1.0) \quad \gamma = 1.0$ Reinforcement size factor:

Lightweight concrete factor: $\lambda := 1.0$ normal weight concrete

 $c := \min \left(\frac{\min \left(\frac{s_{botm}}{2}, cc_{bot} + \frac{di_{botm}}{2} \right)}{di_{botm}}, 2.5 \right)$ c = 2.5 $l_{dbotm} := \frac{3 \cdot f_y \cdot \alpha \cdot \beta \cdot \gamma}{40 \times 3 \cdot \sqrt{f_{copi}}} \cdot di_{botm}$ $l_{dbotm} = 40 \cdot in$ (Reference 1a) Spacing factor:

 $\begin{array}{l} \text{Tension development length past critical} \quad l_{dbotm} := \frac{3 \cdot f_y \cdot \alpha \cdot \beta \cdot \gamma}{40 \cdot \lambda \cdot c \sqrt{f_c \cdot psi}} \cdot di_{botm} \\ \end{array}$

2) Outside Bars

Bottom outside layer bar spacing: $s_{boto} = 10.00 \cdot in$

Bottom outside layer bar diameter: $di_{boto} = 0.750 \cdot in$

 $\gamma := if(di_{boto} < 0.875 \cdot in, 0.8, 1.0) \quad \gamma = 0.8$ Reinforcement size factor:

Spacing factor:

 $c := \min \left(\frac{\min \left(\frac{s_{boto}}{2}, cc_{bot} + \frac{di_{boto}}{2} \right)}{di_{boto}}, 2.5 \right)$ $c := \min \left(\frac{\frac{s_{boto}}{2}, cc_{bot} + \frac{di_{boto}}{2}}{di_{boto}}, 2.5 \right)$ c = 2.5 $l_{dboto} := \frac{3 \cdot f_y \cdot \alpha \cdot \beta \cdot \gamma}{2 \cdot 1} \cdot di_{boto}$ $l_{dboto} = 19 \cdot in$ (Reference 1a) $\begin{array}{ll} \text{Tension development length past critical} & l_{dboto} := \frac{3 \cdot f_y \cdot \alpha \cdot \beta \cdot \gamma}{40 \cdot \lambda \cdot c \sqrt{f_c \cdot psi}} \cdot di_{boto} \\ \end{array}$

H. Top Reinforcing Development Length Past Critical Section

1) Middle Bars

Top middle layer bar spacing: $s_{topm} = 7.00 \cdot in$

Top middle layer bar size: $di_{topm} = 1.270 \cdot in$

Reinforcement location factor: $\alpha := 1.3$ >12 inches of concrete cast below (Reference 1a)

Coating factor: $\beta := 1.0$ uncoated $\gamma := if(di_{topm} < 0.875 \cdot in, 0.8, 1.0) \quad \gamma = 1.0$ Reinforcement size factor:

Lightweight concrete factor: $\lambda := 1.0$ normal weight concrete

 $c := min \left(\frac{min \left(\frac{s_{topm}}{2}, cc_{top} + \frac{di_{topm}}{2} \right)}{di_{topm}}, 2.5 \right)$ c = 2.1Spacing factor:

Tension development length past

critical section:

 $l_{dtopm} := \frac{3 \cdot f_{y} \cdot \alpha \cdot \beta \cdot \gamma}{40 \cdot \lambda \cdot c \sqrt{f_{c} \cdot psi}} \cdot di_{topm}$ $l_{dtopm} = 63 \cdot in$ (Reference 1a)

2) Outside Bars

Top outside layer bar spacing: $s_{topo} = 6.00 \cdot in$

 $di_{topo} = 0.750 \cdot in$ Top outside layer bar size:

 $\gamma := if(di_{topo} < 0.875 \cdot in, 0.8, 1.0) \quad \gamma = 0.8$ Reinforcement size factor:

 $\gamma := if \left(di_{topo} < v.c. \right)$ $c := min \left(\frac{min \left(\frac{s_{topo}}{2}, cc_{top} + \frac{di_{topo}}{2} \right)}{di_{topo}}, 2.5 \right)$ $c := min \left(\frac{s_{topo}}{2}, cc_{top} + \frac{di_{topo}}{2} \right)$ $di_{topo} = 2.5$ $l_{dtopo} = 2.5 \cdot in$ Spacing factor:

Tension development length past

critical section:

I. Calculate Actual Bottom Moment Capacity

Width of footing at section:

$$W_{bot_q} := if(q \le n, B + 2 \cdot x_q, D)$$

Number of bars within middle section:

$$n_{botm_q} \coloneqq if \left(W_m < \frac{W_{bot_q}}{2}, trunc \left(\frac{W_m}{s_{botm}} \right), trunc \left(\frac{\frac{W_{bot_q}}{2} - \sqrt{2} \cdot cc_{top}}{s_{botm}} \right) \right)$$

Spacing of first bar beyond the middle/outside boundary line:

$$s_{b1bar_q} \coloneqq if \! \left(W_m < \frac{W_{bot_q}}{2}, s_{botm} \cdot n_{botm_q} + s_{boto} - W_m, 0.0 in \right)$$

Number of bars across bottom of footing at section:

$$n_{bot_q} \coloneqq \begin{bmatrix} n_{botm_q} + \left[trunc \left[\frac{0.5 \left(W_{bot_q} - 2W_m \right) - s_{b1bar_q} - cc_{top}}{s_{boto}} \right] + 1 \right] \text{ if } W_m < \frac{W_{bot_q}}{2} \\ n_{botm_q} \text{ otherwise} \end{bmatrix}$$

Bar counter:

$$ib := 1, 2 ... n_{bot_{n+5}}$$

Distance of bars from centerline across bottom of footing:

$$z_{bot}_{ib} \coloneqq if \Big[ib \leq \left. n_{botm}_{n+5}, ib \cdot s_{botm}, s_{botm} \cdot n_{botm}_{n+5} + s_{boto} \cdot \left(ib - n_{botm}_{n+5} \right) \Big]$$

Depth of footing for bottom middle steel at point:

$$d_{botm_{\hat{i}}} := h_b + \frac{x_i}{a} \cdot h_c - cc_{bot} - di_{botm}$$

$$d_{botm_i} := h_b + h_c - cc_{bot} - di_{botm}$$

Depth of footing for bottom outside steel at point:

$$d_{boto_{\hat{i}}} := h_b + \frac{x_{\hat{i}}}{a} \cdot h_c - cc_{bot} - di_{boto}$$

$$d_{boto_{\hat{j}}} := h_b + h_c - cc_{bot} - di_{boto}$$

Depth of each bar at section:

$$\begin{split} d_{barb_{q},\,ib} := & \left| \begin{array}{c} \text{if } ib \cdot s_{botm} > \frac{B}{2} \\ \\ \left| d_{botm_{q}} - \left(z_{bot_{ib}} - \frac{B}{2} \right) \cdot \frac{h_{c}}{a} & \text{if } ib \leq n_{botm_{q}} \\ \\ \left| d_{boto_{q}} - \left(z_{bot_{ib}} - \frac{B}{2} \right) \cdot \frac{h_{c}}{a} & \text{otherwise} \\ \\ d_{botm_{q}} & \text{otherwise} \\ \\ \end{split} \right. \end{split}$$

Area of steel provided across section at middle section:

$$A_{sbotm_q} \coloneqq if \left(x_q \ge cd_{bot}, n_{botm_q} \cdot 2A_{botm}, \frac{1}{2} \cdot n_{botm_q} \cdot 2A_{botm} \right) + A_{botm}$$

Area of steel provided across section at outside section:

$$A_{sboto_q} := if \Bigg[x_q \geq \ cd_{bot}, \Big(n_{bot_q} - n_{botm_q} \Big) \cdot 2 \cdot A_{boto}, \frac{1}{2} \cdot \Big(n_{bot_q} - n_{botm_q} \Big) \cdot 2 \cdot A_{boto} \Bigg]$$

Applying ACI minimum reinforcing requirements:

$$\rho_{min} := max \left(\frac{3 \cdot psi^{0.5} \sqrt{f_c}}{f_y}, \frac{200 \cdot psi}{f_y} \right)$$

$$\rho_{\min} = 0.00283$$

Minimum area of steel required at section:

$$A_{sminb_q} \coloneqq \rho_{min} \cdot \left[B \cdot d_{botm_q} + \frac{W_{bot_q} - B}{2} \cdot \left[d_{botm_q} + \left(h_b - cc_{bot} - di_{boto} \right) \right] \right] \tag{Reference 1a}$$

Factored moment considering minimum reinforcing requirements at section:

$$M_{ubot_q} := if \Bigg(A_{sbotm_q} + A_{sboto_q} \leq \left. A_{sminb_q}, max \bigg(\frac{4}{3} \cdot M_{ubot1_q}, 0 \bigg), max \bigg(M_{ubot1_q}, 0 \bigg) \right)$$

Footing is separated into strips containing one bar each. depth of compression block for each strip:

$$a_{botm} \coloneqq \frac{A_{botm} \cdot f_y}{0.85 \cdot f_c \cdot s_{botm}}$$

Depth of compression block for each outside strip:

$$a_{boto} \coloneqq \frac{A_{boto} \cdot f_y}{0.85 \cdot f_c \cdot s_{boto}}$$

Distance from section to end of bar for continuous bars:

$${l_{bot}}_{l_q,\,ib} := if \Bigg[z_{bot}_{ib} > \frac{B}{2}, max \Bigg[x_q - \Bigg(z_{bot}_{ib} - \frac{B}{2} \Bigg) - \sqrt{2} \cdot cc_{top}, 0 \Bigg], max \Big(x_q - cc_{top}, 0 \Big) \Bigg]$$

Distance from section to end of bar for cutoff bars:

$${l_{bot2}}_{q,\,ib} \coloneqq \text{max}\big(x_q - cd_{bot}, 0\big)$$

Selection of appropriate bar end distance for bar in question:

$$l_{bot_q,\,ib} := if \Bigg(ib \cdot s_{botm} - \frac{B}{2} < \, cd_{bot} \wedge \frac{ib}{2} \neq \, trunc \Bigg(\frac{ib}{2} \Bigg), l_{bot2_q,\,ib}, l_{bot1_q,\,ib} \Bigg)$$

Factored moment capacity at section:

$$\begin{split} \varphi M_{nbot_q} &:= \varphi_b \cdot \left[A_{botm} \cdot f_y \cdot min \left(\frac{l_{bot_{q,1}}}{l_{dbotm}}, 1 \right) \cdot \left(d_{botm_q} - \frac{a_{botm}}{2} \right) + 2 \cdot \sum_{kk=1}^{n_{botm_q}} \left[A_{botm} \cdot f_y \cdot min \left(\frac{l_{bot_{q,kk}}}{l_{dbotm}}, 1 \right) \cdot \left(d_{barb_{q,kk}} - \frac{a_{botm}}{2} \right) \right] \dots \right] \\ &+ 2 \cdot \sum_{jjj=\left(n_{botm_q}\right)+1} \left[A_{boto} \cdot f_y \cdot min \left(\frac{l_{bot_{q,jj}}}{l_{dboto}}, 1 \right) \cdot \left(d_{barb_{q,jj}} - \frac{a_{boto}}{2} \right) \right] \end{split}$$

Check of factored moment vs. moment capacity at each section:

$$check_{bot_q} := \frac{M_{ubot_q}}{\varphi M_{nbot_q}}$$

J. Calculate Actual Top Moment Capacity

Width of footing at section:

$$W_{top_q} := if(q \le n, B + 2 \cdot x_q, D)$$

Number of bars within middle section:

$$n_{topm_{q}} \coloneqq if \left(W_{m} < \frac{W_{top_{q}}}{2}, trunc \left(\frac{W_{m}}{s_{topm}} \right), trunc \left(\frac{\frac{W_{top_{q}}}{2} - \sqrt{2} \cdot cc_{top}}{s_{topm}} \right) \right)$$

Spacing of first bar beyond the middle/outside boundary line:

$$s_{t1bar_q} \coloneqq if \Bigg(W_m < \frac{W_{top_q}}{2} \,, s_{topm} \cdot n_{topm_q} + s_{topo} - W_m, 0.0 in \Bigg)$$

Number of bars across top of footing at section:

$$\begin{split} n_{top}_{q} \coloneqq \begin{bmatrix} n_{topm_{q}} + \left[trunc \left[\frac{0.5 \left(W_{top_{q}} - 2W_{m} \right) - s_{t1bar_{q}} - cc_{top}}{s_{topo}} \right] + 1 \right] & \text{if } W_{m} < \frac{W_{top_{q}}}{2} \\ n_{topm_{q}} & \text{otherwise} \\ \end{bmatrix} \end{split}$$

Bar counter:

$$it := 1, 2 ... n_{top_{n+5}}$$

Distance of bars from centerline across top of footing:

$$z_{top}_{it} \coloneqq if \Big[it \leq \left. n_{topm} \right._{n+5}, it \cdot s_{topm}, s_{topm} \cdot n_{topm} \right._{n+5} + \left. s_{topo} \cdot \left(it - \left. n_{topm} \right._{n+5} \right) \Big]$$

Depth of footing for top middle steel at point:

$$d_{topm_{\hat{i}}} := h_b + \frac{x_{\hat{i}}}{a} \cdot h_c - cc_{top} - di_{topm}$$

$$d_{topm_{j}} := h_b + h_c - cc_{top} - di_{topm}$$

Depth of footing for top outside steel at point:

$$d_{topo_{\underline{i}}} := h_b + \frac{x_{\underline{i}}}{a} \cdot h_c - cc_{top} - di_{topo}$$

$$d_{topo_{\hat{\boldsymbol{j}}}} := h_b + h_c - cc_{top} - di_{topo}$$

Depth of each bar at section:

$$\begin{split} d_{bart_{q,\,it}} := & \left| \begin{array}{l} \text{if } it \cdot s_{topm} > \frac{B}{2} \\ \\ d_{topm_q} - \left(z_{top_{it}} - \frac{B}{2} \right) \cdot \frac{h_c}{a} & \text{if } it \leq n_{topm_q} \\ \\ d_{topo_q} - \left(z_{top_{it}} - \frac{B}{2} \right) \cdot \frac{h_c}{a} & \text{otherwise} \\ \\ d_{topm_q} & \text{otherwise} \\ \end{split} \right. \end{split}$$

Area of steel provided across section at middle section:

$$A_{stopm_q} := if \left(x_q \geq \ cd_{top} \, , n_{topm_q} \cdot 2A_{topm} \, , \frac{1}{2} \cdot n_{topm_q} \cdot 2A_{topm} \right) + A_{topm}$$

Area of steel provided across section at outside section:

$$A_{stopo_{q}} := if \Bigg[x_{q} \geq \ cd_{top} \,, \Big(n_{top_{q}} - n_{topm_{q}} \Big) \cdot 2 \cdot A_{topo} \,, \frac{1}{2} \cdot \Big(n_{top_{q}} - n_{topm_{q}} \Big) \cdot 2 \cdot A_{topo} \Bigg]$$

Minimum area of steel required at section:

$$A_{smint_q} := \rho_{min} \cdot \left[B \cdot d_{topm_q} + \frac{W_{top_q} - B}{2} \cdot \left[d_{topm_q} + \left(h_b - cc_{bot} - di_{topo} \right) \right] \right] \tag{Reference 1a}$$

Factored moment considering minimum reinforcing requirements at section:

$$M_{utop_q} := if \left(A_{stopm_q} + A_{stopo_q} \leq \left. A_{smint_q}, max \! \left(\frac{4}{3} \cdot M_{utop1_q}, 0 \right), max \! \left(M_{utop1_q}, 0 \right) \right)$$

Distance from section to end of bar for continuous bars:

$$l_{top1_{q,\,it}} \coloneqq if \Bigg[\left. z_{top}_{it} > \frac{B}{2} \,, \text{max} \Bigg[\left. x_q - \left(z_{top}_{it} - \frac{B}{2} \right) - \sqrt{2} \cdot cc_{top} \,, 0 \right. \right], \\ \text{max} \left(\left. x_q - cc_{top} \,, 0 \right) \Bigg]$$

Distance from section to end of bar of bar for cut off bars:

$$l_{top2_{q,it}} := max\big(x_q - cd_{top}, 0\big)$$

Selection of appropriate bar end distance for bar in question:

$$l_{top_{q,\,it}} := if\Bigg(it \cdot s_{topm} - \frac{B}{2} < \, cd_{top} \wedge \frac{it}{2} \neq \, trunc\bigg(\frac{it}{2}\bigg), l_{top2_{q,\,it}}, l_{top1_{q,\,it}}\bigg)$$

Force developed in each middle bar including development length of individual bars:

$$f_{sm_{q,\,it}} \coloneqq if \Bigg(it \leq \, n_{top_q}, A_{topm} \cdot f_y \cdot min \Bigg(\frac{l_{top_q,\,it}}{l_{dtopm}} \,, 1 \Bigg), 0 \Bigg)$$

Force developed in each outside bar including development length of individual bars:

$$f_{so_{q,\,it}} := if \left(it \leq \, n_{top_{q}}, A_{topo} \cdot f_{y} \cdot min \left(\frac{l_{top_{q,\,it}}}{l_{dtopo}}, 1\right), 0\right)$$

Beta factor:

$$\beta_1 := if \left[f_c \ge 4000 psi, max \left[0.85 - 0.05 \cdot \left(\frac{f_c}{psi} - 4000 \right), 0.65 \right], 0.85 \right] \beta_1 = 0.80$$

Depth of neutral axis at section:

$$xop_{q} \coloneqq \frac{A_{topm} \cdot f_{y} \cdot min \left(\frac{x_{q} - cc_{top}}{l_{dtopm}}, 1\right) + 2 \cdot \sum_{kk = 1}^{n_{topm_{q}}} f_{sm_{q, kk}} + 2 \cdot \sum_{jj = \left(n_{topm_{q}}\right) + 1}^{n_{top_{q}}} f_{so_{q, jj}}}{W_{top_{q}} \beta_{1} \cdot .85 \cdot f_{c}}$$

Factored moment capacity at section:

$$\begin{split} \varphi M_{ntop_q} &:= \varphi_b \cdot \left[A_{topm} \cdot f_y \cdot min \bigg(\frac{x_q - cc_{top}}{l_{dtopm}}, 1 \bigg) \cdot \bigg(d_{bart_q, \, 1} - xop_q \bigg) + W_{top_q} \cdot 0.85 \cdot \beta_1 \cdot f_c \cdot xop_q \cdot \bigg[xop_q - \bigg(\frac{xop_q \cdot \beta_1}{2} \bigg) \bigg] \dots \right] \\ & + 2 \cdot \sum_{kk \, = \, 1} \bigg[f_{sm_q, \, kk} \cdot \bigg(d_{bart_q, \, kk} - xop_q \bigg) \bigg] + 2 \cdot \sum_{jj \, = \, \left(n_{topm_q} \right) + \, 1} \bigg[f_{so_{q, \, jj}} \cdot \bigg(d_{bart_{q, \, jj}} - xop_q \bigg) \bigg] \end{split}$$

Check of factored moment vs. moment capacity at each section:

$$check_{top_q} := \frac{M_{utop_q}}{\phi M_{ntop_q}}$$

Factored moment capacity in middle section at critical section:

$$\begin{split} \varphi M_{nbotm_{n+5}} \coloneqq \varphi_b \cdot \left[A_{botm} \cdot f_y \cdot min \Bigg[\frac{l_{bot_{(n+5),1}}}{l_{dbotm}}, 1 \Bigg] \cdot \left(d_{botm_{n+5}} - \frac{a_{botm}}{2} \right) + 2 \cdot \sum_{kk=1}^{n_{botm}} \left[A_{botm} \cdot f_y \cdot min \Bigg[\frac{l_{bot_{(n+5),kk}}}{l_{dbotm}}, 1 \Bigg] \cdot \left[d_{barb_{(n+5),kk}} - \frac{a_{botm}}{2} \right] \right] \right] \\ \varphi M_{nbotm_{n+5}} = 22989 \cdot kip \cdot ft \end{split}$$

Factored moment capacity in middle section at critical section:

$$\begin{split} \varphi M_{ntopm}_{n+5} \coloneqq \varphi_b \cdot \left[A_{topm} \cdot f_y \cdot min \bigg(\frac{x_{n+5} - cc_{top}}{l_{dtopm}} \,, 1 \bigg) \cdot \bigg(d_{bart}_{n+5 \,, \, 1} - xop_{n+5} \bigg) + W_m \cdot 0.85 \cdot \beta_1 \cdot f_c \cdot xop_{n+5} \cdot \bigg[xop_{n+5} - \bigg(\frac{xop_{n+5} \cdot \beta_1}{2} \bigg) \bigg] \, ... \right] \\ + 2 \cdot \sum_{kk \,= \, 1} \bigg[f_{sm}_{n+5 \,, \, kk} \cdot \bigg(d_{bart}_{n+5 \,, \, kk} - xop_{n+5} \bigg) \bigg] \end{aligned}$$

$$\phi M_{\text{ntopm}_{n+5}} = 24739 \cdot \text{kip} \cdot \text{ft}$$

Unbalanced wind moment on joint:

$$M_{unbalancedW} := M_{dW}$$

$$M_{unbalancedW} = 49870 \cdot kip \cdot ft$$

Fraction of wind moment carried by flexure:

$$\gamma_{fW} := \frac{\varphi M_{nbotm_{n+5}} + \varphi M_{ntopm_{n+5}}}{M_{unbalancedW}}$$

$$\gamma_{\rm fW} = 0.96$$

Unbalanced seismic moment on joint:

$$M_{unbalancedEO} := M_{dEO}$$

$$M_{unbalancedEO} = 32520 \cdot kip \cdot ft$$

Fraction of seismic moment carried by flexure:

$$\gamma_{fEQ} \coloneqq \frac{\varphi M_{nbotm_{n+5}} + \varphi M_{ntopm_{n+5}}}{M_{unbalancedEO}}$$

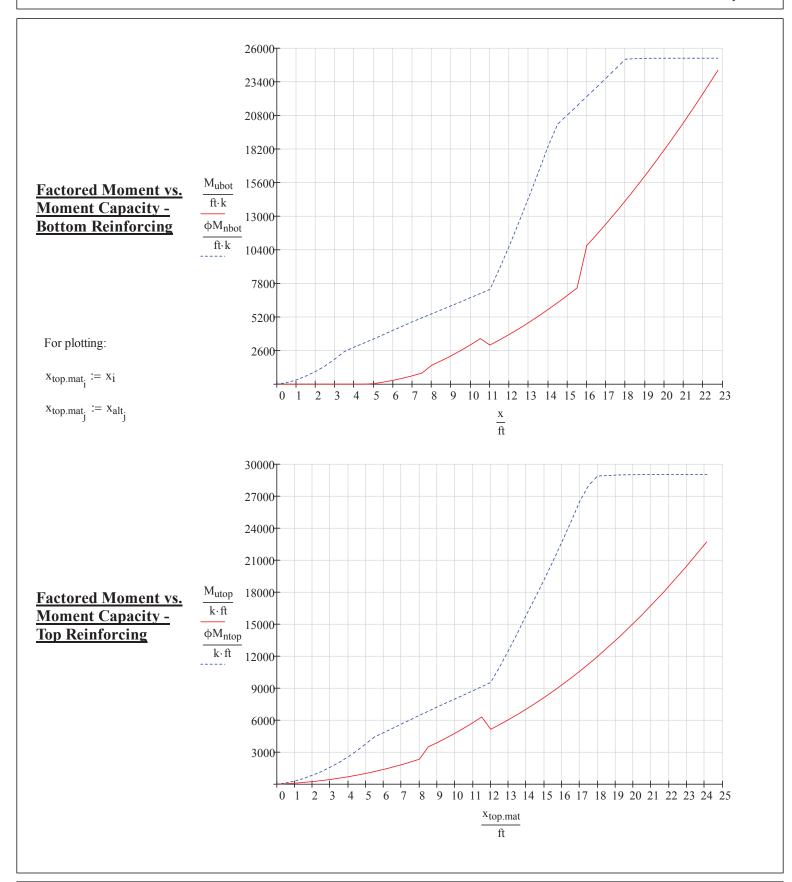
$$\gamma_{\rm fEQ}=1.47$$

K. Bottom Moment Capacity Results

q =	$x_q =$	$W_{bot_q} =$	$A_{sboto_q} + A_{sboto}$	$m_q = A_{sminb_q} =$	$M_{ubot_q} =$	$\phi M_{nbot_{G}} =$	check _{bot_q} =
1	0.5 ft	26.5 ft	$26.7 \cdot in^2$	$8.3 \cdot in^2$	0 ·k·ft	119 ·k·ft	0.00
2	1.0	27.5	27.9	9.9	0 - 10 - 10	326	0.00
3	1.5	28.5	29.2	11.6	0	622	0.00
4	2.0	29.5	30.5	13.4	0	981	0.00
5	2.5	30.5	31.7	15.2	0	1416	0.00
6	3.0	31.5	31.7	17.0	0	1954	0.00
7	3.5	32.5	33.0	18.9	0	2539	0.00
8	4.0	33.5	34.3	20.8	0	2870	0.00
9	4.5	34.5	35.6	22.8	0	3188	0.00
10	5.0	35.5	36.0	24.9	45	3502	0.01
11	5.5	36.5	36.0	27.0	159	3830	0.04
12	6.0	37.5	36.4	29.2	298	4171	0.07
13	6.5	38.5	36.4	31.4	462	4497	0.10
14	7.0	39.5	36.9	33.6	651	4829	0.13
15	7.5	40.5	36.9	35.9	864	5140	0.17
16	8.0	41.5	37.3	38.3	1468	5448	0.27
17	8.5	42.5	37.8	40.7	1817	5758	0.32
18	9.0	43.5	37.8	43.1	2197	6066	0.36
19	9.5	44.5	38.2	45.6	2609	6379	0.41
20	10.0	45.5	38.2	48.2	3053	6697	0.46
21	10.5	46.5	38.6	50.8	3527	7011	0.50
22	11.0	47.5	76.9	53.5	3025	7330	0.41
23	11.5	48.5	76.9	56.2	3427	8957	0.38
24	12.0	49.5	77.8	58.9	3852	10694	0.36
25	12.5	50.5	77.8	61.8	4299	12544	0.34
26	13.0	51.5	78.7	64.6	4769	14445	0.33
27	13.5	52.5	79.5	67.5	5261	16378	0.32
28	14.0	53.5	79.5	70.5	5775	18401	0.31
29	14.5	54.5	80.4	73.5	6311	20135	0.31
30	15.0	55.5	80.4	76.6	6869	20840	0.33
31	15.5	56.5	81.3	79.7	7448	21546	0.35
32	16.0	57.5	82.2	82.9	10732	22259	0.48
33	16.5	58.5	82.2	86.1	11561	22975	0.50
34	17.0	59.5	83.0	89.4	12417	23695	0.52
35	17.5	60.5	83.0	92.7	13301	24422	0.54
36	18.0	61.5	83.9	96.1	14213	25150	0.57
37	19.0	61.5	83.9	96.2	16050	25214	0.64
38	19.9	61.5	83.9	96.2	17962	25224	0.71
39	20.9	61.5	83.9	96.2	19974	25224	0.79
40	21.8	61.5	83.9	96.2	22086	25224	0.88
41	22.8	61.5	83.9	96.2	24297	25224	0.96

L. Top Moment Capacity Results

	x_q	$\frac{x_{alt_q}}{a} =$	$\frac{W_{top_q}}{G} =$	A _{stono} + A _{st}	$_{\text{opm}_{q}} = A_{\text{smint}_{q}} =$	$\frac{M_{utop_q}}{}$ –	$\frac{\Phi M_{\text{ntop}_q}}{\Phi M_{\text{ntop}_q}} =$	1 1
q =	$\frac{x_q}{ft} =$	${\text{ft}} =$	=			$\frac{\mathbf{q}}{\mathbf{k} \cdot \mathbf{f} \mathbf{t}} =$	$\frac{}{\mathbf{k} \cdot \mathbf{ft}} =$	$\operatorname{check}_{\operatorname{top}_{\operatorname{q}}} =$
1	0.50	0.0	26.47	29.2 ·in ²	$9.2 \cdot in^2$	43	105	0.41
2	1.00	0.0	27.47	30.5	10.8	97	296	0.33
3	1.50	0.0	28.47	31.7	12.5	164	535	0.31
4	2.00	0.0	29.47	31.7	14.3	244	845	0.29
5	2.50	0.0	30.47	33.0	16.1	337	1180	0.29
6	3.00	0.0	31.47	34.3	18.0	443	1592	0.28
7	3.50	0.0	32.47	35.6	19.9	564	2046	0.28
8	4.00	0.0	33.47	36.8	21.8	698	2568	0.27
9	4.50	0.0	34.47	38.1	23.9	848	3146	0.27
10	5.00	0.0	35.47	38.5	25.9	1013	3787	0.27
11	5.50	0.0	36.47	39.0	28.1	1193	4456	0.27
12	6.00	0.0	37.47	39.4	30.2	1390	4839	0.29
13	6.50	0.0	38.47	39.9	32.4	1602	5242	0.31
14	7.00	0.0	39.47	40.3	34.7	1832	5650	0.32
15	7.50	0.0	40.47	40.7	37.0	2079	6048	0.34
16	8.00	0.0	41.47	41.2	39.4	2343	6458	0.36
17	8.50	0.0	42.47	41.6	41.8	3501	6845	0.51
18	9.00	0.0	43.47	42.1	44.3	3902	7245	0.54
19	9.50	0.0	44.47	42.5	46.8	4329	7620	0.57
20	10.00	0.0	45.47	42.9	49.4	4781	7997	0.60
21	10.50	0.0	46.47	43.4	52.0	5260	8374	0.63
22	11.00	0.0	47.47	43.8	54.7	5765	8758	0.66
23	11.50	0.0	48.47	44.3	57.4	6298	9143	0.69
24	12.00	0.0	49.47	88.1	60.2	5144	9548	0.54
25	12.50	0.0	50.47	89.0	63.1	5586	10990	0.51
26	13.00	0.0	51.47	89.9	65.9	6049	12533	0.48
27	13.50	0.0	52.47	90.8	68.9	6535	14162	0.46
28	14.00	0.0	53.47	91.6	71.8	7044	15878	0.44
29	14.50	0.0	54.47	92.5	74.9	7576	17508	0.43
30	15.00	0.0	55.47	93.4	78.0	8131	19180	0.42
31	15.50	0.0	56.47	94.3	81.1	8710	20918	0.42
32	16.00	0.0	57.47	95.2	84.3	9313	22723	0.41
33	16.50	0.0	58.47	96.0	87.5	9942	24595	0.40
34	17.00	0.0	59.47	96.9	90.8	10595	26534	0.40
35	17.50	0.0	60.47	97.8	94.2	11274	28020	0.40
36	18.00	0.0	61.47	98.7	97.5	11979	28894	0.41
37	18.97	19.2	61.50	98.7	97.6	13834	28995	0.48
38	19.92	20.5	61.50	98.7	97.6	15824	29025	0.55
39	20.87	21.7	61.50	98.7	97.6	17970	29026	0.62
40	21.82	22.9	61.50	98.7	97.6	20271	29026	0.70
41	22.77	24.1	61.50	98.7	97.6	22727	29026	0.78



M. Check Cutoff Locations

(Reference 1a)

Distance to top bar cutoff location from edge of footing: $cd_{top} = 12.0 \cdot ft$

 $b := \frac{cd_{top}}{x_1}$ Counter corresponding to cutoff location:

Distance to cutoff location from edge of footing: $x_b = 12.0 \, ft$

Factored moment capacity at cutoff location: $\phi M_{ntop_h} = 9548 \cdot k \cdot ft$

Footing effective depth at cutoff location: $d_{topm_h} = 3.7 \, ft$

 $cd_{top} + max(d_{topm_b}, 12 \cdot di_{topm}) = 15.7 \,ft$ Distance equal to effective depth from cutoff location:

Counter corresponding to bin below distance equal to effectiv
$$b_{under} := trunc \left(2 \cdot \frac{cd_{top} + max \left(d_{topm_b}, 12 \cdot di_{topm} \right)}{ft} \right)$$
 $b_{under} = 31$

 $x_{bunder} = 15.5 \, ft$

Moment at distance equal to effective

depth from cut:

$$M_{utopcutd} \coloneqq M_{utop}{}_{b_{under}} \dots$$

$$+\left(cd_{top}+max\left(d_{topm_{b}},12\cdot di_{topm}\right)-x_{b_{under}}\right)\cdot\left[\frac{\left[M_{utop_{\left(b_{under}+1\right)}}-M_{utop_{b_{under}}}\right]}{0.5ft}\right]$$

 $M_{utopcutd} = 8982 \cdot k \cdot ft$

Check factored moment at distance equal to effective depth from cutoff location:

$$\frac{M_{utopcutd}}{\phi M_{ntop_h}} = 0.94$$

Distance to bottom bar cutoff location from edge of footing: $cd_{bot} = 11.0 \cdot ft$

 $b := \frac{cd_{bot}}{x_1}$ Counter corresponding to cutoff location:

Distance to cutoff location from edge of footing: $x_b = 11.0 \, ft$

 $\phi M_{nbot_b} = 7330 \cdot k \cdot ft$ Factored moment capacity at cutoff location:

 $d_{botm_b} = 3.4 \, ft$ Footing effective depth at cutoff location:

 $cd_{bot} + max(d_{botm_b}, di_{botm}) = 14.4 ft$ Distance equal to effective depth from cutoff location:

Counter corresponding to bin below distance equal to effectiv $b_{under2} := trunc \left(2 \cdot \frac{cd_{bot} + max \left(d_{botm_b}, di_{botm} \right)}{ft} \right)$

$$b_{\text{under2}} := \text{trunc}\left(2 \cdot \frac{\text{cu}_{\text{bot}} + \text{max}\left(\text{u}_{\text{botm}_{\text{b}}}, \text{u}_{\text{botm}}\right)}{\text{ft}}\right)$$
 $b_{\text{under2}} = 25$

 $x_{b_{under2}} = 14.0 \, ft$

 $M_{ubotcutd} := M_{ubot}{}_{b_{under2}} \dots$ Moment at distance equal to effective depth from cut:

$$+ \left(cd_{bot} + max\left(d_{botm_b}, di_{botm}\right) - x_{b_{under2}}\right) \cdot \left[\frac{\left[M_{ubot}_{\left(b_{under2}+1\right)} - M_{ubot}_{b_{under2}}\right]}{0.5 ft}\right]$$

 $M_{ubotcutd} = 6196 \cdot k \cdot ft$

Check factored moment at distance equal to effective depth from cutoff location:

$$\frac{M_{ubotcutd}}{\phi M_{nbot_b}} = 0.85$$

IX-b. Moment Capacity of Bottom Reinforcement at 45 degree angle

Distance to critical section from
centerline of foundation:

$$x_o := \frac{\sqrt{\pi \cdot C}}{4}$$

$$x_0 = 95.7 \cdot in$$

Slant distance on critical section from foundation edge to slope transition point:

$$a_p := \left(\frac{1}{2}\right) \! \cdot \! \sqrt{2 \! \cdot \! \left(\frac{D-B}{2}\right)^2} - x_o$$

$$a_p = 57.1 \cdot in$$

Geometric distance to transition point:

$$C_1:=\sqrt{2}\,a_p$$

$$C_1 = 80.8 \cdot in$$

Height of transition point:

$$h := h_b + \left(\frac{h_c}{a}\right) \cdot C_1$$

$$h = 32.2 \cdot in$$

Number of bars between centerline and critical section:

$$N_{barsdown} := trunc \left(\frac{x_o}{\sqrt{2} \cdot s_{botm}} \right)$$

$$N_{barsdown} = 9$$

Spacing to first bar on critical section:

$$x_1 := \sqrt{2} \cdot s_{botm} - (x_o - \sqrt{2} \cdot s_{botm} \cdot N_{barsdown})$$

$$x_1 = 10.35 \cdot in$$

Number of middle section bars:

$$N_{barbm} := n_{botm_{n+5}} - N_{barsdown}$$

$$N_{barbm} = 18$$

Distance to last middle bar:

$$d_{tp} := \sqrt{2} \cdot (N_{barbm} - 1) \cdot s_{botm} + x_1$$

$$d_{tp}=191{\cdot}in$$

Number of outside section bars:

$$N_{barbo} := trunc \left(\frac{\frac{D}{2} - cc_{top} - d_{tp}}{\sqrt{2} \cdot s_{boto}} \right)$$

$$N_{barbo} = 12$$

Number of bars crossing the critical section in diagonal direction

$$N_{bars1} := N_{barbm} + N_{barbo}$$

 $N_{bars1} = 30$

Bar counter for diagonal bars in diagonal direction 1:

$$b_1 \coloneqq 1, 2 \dots N_{bars1}$$

Distance from centerline of bars in diagonal direction 1:

$$\mathbf{x_{b_1}} \coloneqq \mathrm{if} \bigg[\mathbf{b_1} > \mathbf{N_{barbm}}, \mathbf{x_{N_{barbm}}} + \sqrt{2} \cdot \mathbf{s_{boto}} \cdot \left(\mathbf{b_1} - \mathbf{N_{barbm}} \right), \mathbf{x_1} + \sqrt{2} \cdot \mathbf{s_{botm}} \cdot \left(\mathbf{b_1} - 1 \right) \bigg]$$

Development lengths provided for individual bars:

$$L_{\text{in}_{b_1}} := \text{min} \left[100 \cdot \text{in}, \sqrt{2} \cdot \left(\frac{D}{2} - \text{cc}_{\text{top}} - x_{b_1} \right) \right] \qquad \qquad L_{\text{out}_{b_1}} := 100 \cdot \text{in}$$

Depth of individual bars in diagonal direction 1:

$$\begin{split} d_{b_1} &:= \left[\begin{array}{l} h_b + h_c - cc_{bot} - di_{botm} & \text{if } x_{b_1} \leq \frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \\ \\ \frac{h_b - h}{a_p} \cdot \left[x_{b_1} - \left(\frac{D}{2} - a_p\right) \right] + h - \left(cc_{bot} + di_{botm}\right) & \text{if } x_{b_1} > \frac{D}{2} - a_p \\ \\ \frac{h - \left(h_b + h_c\right)}{2 \cdot x_o} \cdot \left[x_{b_1} - \left[\frac{D}{2} - \left(a_p + 2 \cdot x_o\right)\right] \right] + h_c + h_b - \left(cc_{bot} + di_{botm}\right) & \text{otherwise} \end{split}$$

Number of bars crossing the critical section in diagonal direction 2:

$$N_{bars2} := trunc \boxed{ \frac{\left(\frac{D}{2} - cc_{top}\right) - \left(\sqrt{2} \cdot s_{botm} - x_1\right)}{\sqrt{2} \, s_{botm}} + 1} \\ N_{bars2} = 35$$

Average width of tributary. area for individual bars:

$$b := \frac{\frac{D}{2}}{N_{bars1} + N_{bars2}}$$

$$b = 5.68 \cdot in$$

Developed stress for individual bars for diagonal direction 1:

$$\sigma 1_{b_1} := \left[\frac{\sqrt{2} \cdot f_y \cdot A_{boto}}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dboto}}, 1 \right) \text{ if } b_1 > N_{barbm} \right. \\ \left. \frac{\sqrt{2} \cdot f_y \cdot A_{botm}}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \text{ otherwise} \right. \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] + \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] + \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbotm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dbot$$

Depth of compression block for bars in diagonal direction 1:

$$a1_{b_1} := \frac{\sigma 1_{b_1}}{0.85 \cdot f_c \cdot b}$$

Bar counter for bars in diagonal direction 2:

$$b_2 := 1, 2 ... N_{bars2}$$

Distance from centerline for bars in diagonal direction 2:

$$\boldsymbol{\lambda_{b_2}} := \boldsymbol{x_1} + \sqrt{2} \cdot \boldsymbol{s_{botm}} \cdot \left(\boldsymbol{b_2}\right) - 2 \cdot \boldsymbol{x_1}$$

Bar number crossing critical section corresponding to the center line bar:

Centerbar :=
$$N_{barsdown} + 1$$

$$Centerbar = 10$$

Type of bar that center bar is:

$$CL_{bar} := \begin{bmatrix} "cutoff" & if & \frac{Centerbar}{2} > trunc & \frac{Centerbar}{2} \end{bmatrix}$$

$$"noncutoff" & otherwise$$

Types of bars that other bars are:

Type of bars that all diagonal direction 2

$$C_{\text{bar}_{b_2}} := \left| \begin{array}{c} \text{Other}_{\text{bars}} & \text{if } \frac{b_2}{2} > \text{trunc} \left(\frac{b_2}{2} \right) \\ \text{CL}_{\text{bar}} & \text{otherwise} \end{array} \right|$$

Development lengths provided for individual bars:

$$L_{in2}_{b2} := 100in$$

$$\begin{split} L_{out2_{b_2}} &:= \left[\begin{array}{l} \text{if } C_{bar_{b_2}} = \text{"noncutoff"} \\ \\ \left[\begin{array}{l} \min \left[100 \cdot \text{in}, \sqrt{2} \cdot \left(\frac{D}{2} - \text{cc}_{top} - \lambda_{b_2} \right) \right] & \text{if } \frac{D}{2} - \lambda_{b_2} < \frac{\sqrt{2}}{4} \cdot (D - B) - x_o \\ \\ \left[\begin{array}{l} \min \left[100 \cdot \text{in}, \sqrt{2} \cdot \left(\frac{\sqrt{2}}{4} \cdot (D - B) - x_o \right) - \text{cc}_{top} + \frac{\sqrt{2}}{2} \cdot \left[\frac{D}{2} - \lambda_{b_2} - \left[\frac{\sqrt{2}}{4} \cdot (D - B) - x_o \right] \right] & \text{otherwise} \\ \\ \left[\max \left[0 \text{in}, \min \left[100 \cdot \text{in}, \sqrt{2} \cdot \left[\frac{\sqrt{2}}{4} \cdot (D - B) - x_o \right] - \text{cc}_{top} + \frac{\sqrt{2}}{2} \cdot \left[\frac{D}{2} - \lambda_{b_2} - \left[\frac{\sqrt{2}}{4} \cdot (D - B) - x_o \right] \right] - \left(\text{cd}_{bot} - \text{cc}_{top} \right) \right] \right] & \text{otherwise} \\ \\ \end{array} \end{split}$$

Depth of individual bars in diagonal direction 2:

$$\begin{split} d2_{b_2} &:= \left[\begin{aligned} h_b + h_c - cc_{bot} - di_{botm} & \text{ if } \lambda_{b_2} \leq \frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \\ \\ \frac{h_b - h}{a_p} \cdot \left[\lambda_{b_2} - \left(\frac{D}{2} - a_p\right) \right] + h - \left(cc_{bot} + di_{botm}\right) & \text{ if } \lambda_{b_2} > \frac{D}{2} - a_p \\ \\ \frac{h - \left(h_b + h_c\right)}{2 \cdot x_o} \cdot \left[\lambda_{b_2} - \left[\frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \right] \right] + h_c + h_b - \left(cc_{bot} + di_{botm}\right) & \text{ otherwise} \end{aligned} \end{split}$$

Developed stress for individual bars in diagonal direction 2:

$$\sigma2_{b_2} := \frac{\sqrt{2} \cdot f_y \cdot A_{botm}}{2} \cdot min \left(\frac{min \left(L_{in2}_{b_2}, L_{out2}_{b_2} \right)}{l_{dbotm}}, 1 \right)$$

Depth of compression block for bars in diagonal direction 2:

$$a2_{b_2} := \frac{\sigma 2_{b_2}}{0.85 \cdot f_c \cdot b}$$

Factored moment capacity at section:

$$\begin{split} \varphi M_{nbot} \coloneqq \varphi_b \cdot \left[2 \cdot \left[\sum_{kk=1}^{N_{bars1}} \left[\left[\sigma \mathbf{1}_{kk} \cdot \left(\mathbf{d}_{kk} - \frac{a \mathbf{1}_{kk}}{2} \right) \right] \right] ... \right] \varphi M_{nbot} = 25561 \cdot k \cdot ft \\ + 2 \cdot \sum_{kk=1}^{N_{bars2}} \left[\left[\sigma \mathbf{2}_{kk} \cdot \left(\mathbf{d} \mathbf{2}_{kk} - \frac{a \mathbf{2}_{kk}}{2} \right) \right] \right] \end{split}$$

Ultimate moment in bottom reinforcement $M_{ubot}_{n+5} = 24297 \cdot k \cdot ft$ at critical section:

Check of factored moment against moment check check is $\frac{M_{ubot_{n+5}}}{\phi M_{nbot}}$

 $check_{bot} = 0.95$

IX-c. Moment Capacity of Top Reinforcement at 45 degree angle

Vertical distance to the centerline of top bars in outer section:

$$K_1 := \frac{cc_{top} + di_{topm}}{cos \left(tan \left(\frac{h - h_b}{a_p}\right)\right)}$$

$$K_1 = 3.51 \cdot in$$

Vertical distance to the centerline of top bars in middle section:

$$K_2 := \frac{cc_{top} + di_{topm}}{cos \left(tan \left(\frac{h_b + h_c - h}{2 \cdot x_o}\right)\right)}$$

$$K_2 = 3.32 \cdot in$$

Number of bars between centerline and critical section:

$$N_{barsdown} := trunc \Biggl(\frac{x_o}{\sqrt{2} \! \cdot \! s_{topm}} \Biggr)$$

$$N_{barsdown} = 9$$

Spacing to first bar on critical section:

$$x_1 := \sqrt{2} \cdot s_{topm} - \left(x_o - \sqrt{2} \cdot s_{topm} \cdot N_{barsdown}\right)$$

$$x_1 = 3.28 \cdot in$$

Number of middle section bars:

$$N_{bartm} := n_{topm} - N_{barsdown}$$

$$N_{bartm} = 20$$

Distance to last middle bar:

$$d_{tp} := \sqrt{2} \cdot \left(N_{bartm} - 1 \right) \cdot s_{topm} + x_1$$

$$d_{tp} = 191 \cdot in$$

Number of outside section bars:

$$N_{barto} := trunc \left(\frac{\frac{D}{2} - cc_{top} - d_{tp}}{\sqrt{2} \cdot s_{topo}} \right)$$

$$N_{barbo} = 12$$

Number of bars crossing the critical section in diagonal direction

$$N_{bars1} := N_{bartm} + N_{barto}$$

$$N_{bars1} = 40$$

Bar counter for diagonal bars in diagonal direction 1:

$$b_1 := 1, 2 ... N_{bars1}$$

Distance from centerline of bars in diagonal direction 1:

$$\boldsymbol{x}_{b_1} \coloneqq if\bigg[\boldsymbol{b}_1 > \boldsymbol{N}_{bartm}, \boldsymbol{x}_{\boldsymbol{N}_{bartm}} + \sqrt{2} \cdot \boldsymbol{s}_{topo} \cdot \left(\boldsymbol{b}_1 - \boldsymbol{N}_{bartm}\right), \boldsymbol{x}_1 + \sqrt{2} \cdot \boldsymbol{s}_{topm} \cdot \left(\boldsymbol{b}_1 - \boldsymbol{1}\right)\bigg]$$

Development lengths provided for individual bars:

$$L_{in_{b_1}} := \text{min} \left\lceil 100 \cdot \text{in}, \sqrt{2} \cdot \left(\frac{D}{2} - \text{cc}_{top} - x_{b_1} \right) \right\rceil \qquad \qquad L_{out_{b_1}} := 100 \cdot \text{in}$$

$$L_{out_{h_1}} := 100 \cdot in$$

Depth of individual bars in diagonal direction 1:

$$\begin{split} d_{b_1} := & \left[\begin{array}{l} h_b + h_c - cc_{top} - di_{topm} & \text{if } x_{b_1} \leq \frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \\ \\ \frac{h_b - h}{a_p} \cdot \left[x_{b_1} - \left(\frac{D}{2} - a_p\right) \right] + h - K_1 & \text{if } x_{b_1} > \frac{D}{2} - a_p \\ \\ \frac{h - \left(h_b + h_c\right)}{2 \cdot x_o} \cdot \left[x_{b_1} - \left[\frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \right] \right] + h_c + h_b - K_2 & \text{otherwise} \\ \end{split}$$

Number of bars crossing the critical section in diagonal direction 2:

$$N_{bars2} := trunc \left[\frac{\left(\frac{D}{2} - cc_{top}\right) - \left(\sqrt{2} \cdot s_{topm} - x_1\right)}{\sqrt{2} s_{topm}} + 1 \right] \quad N_{bars2} = 37$$

Developed stress for individual bars for diagonal direction 1:

$$\sigma l_{b_1} \coloneqq \left[\frac{\sqrt{2} \cdot f_y \cdot A_{topo}}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopo}}, 1 \right) \text{ if } b_1 > N_{bartm} \right. \\ \left. \frac{\sqrt{2} \cdot f_y \cdot A_{topm}}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \text{ otherwise} \right. \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] + \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] + \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right) \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{b_1}} \right)}{l_{dtopm}}, 1 \right) \right] \\ \left. \frac{1}{2} \cdot min \left(\frac{min \left(L_{in_{b_1}}, L_{out_{$$

Bar counter for bars in diagonal direction 2:

$$b_2 := 1, 2.. N_{bars2}$$

Distance from centerline for bars in diagonal direction 2:

$$\boldsymbol{\lambda_{b_2}} := \boldsymbol{x_1} + \sqrt{2} \! \cdot \! \boldsymbol{s_{topm}} \! \cdot \! \left(\boldsymbol{b_2}\right) - 2 \! \cdot \! \boldsymbol{x_1}$$

Bar number crossing critical section corresponding to the center line bar:

Centerbar :=
$$N_{barsdown} + 1$$

$$Centerbar = 10$$

Type of bar that center bar is:

$$CL_{bar} := \begin{bmatrix} "cutoff" & if & \frac{Centerbar}{2} > trunc & \frac{Centerbar}{2} \end{bmatrix}$$

Types of bars that other bars are:

$$\begin{split} CL_{bar} := & \text{ "cutoff" if } \frac{Centerbar}{2} > trunc \bigg(\frac{Centerbar}{2}\bigg) \\ \text{ "noncutoff" otherwise} \\ Other_{bars} := & \text{ "cutoff" if } CL_{bar} = \text{ "noncutoff"} \\ \text{ "noncutoff" otherwise} \\ \end{split}$$

Type of bars that all diagonal direction 2 bars are:

$$C_{\text{bar}_{b_2}} := \left| \begin{array}{c} \text{Other}_{\text{bars}} & \text{if } \frac{b_2}{2} > \text{trunc} \left(\frac{b_2}{2} \right) \\ \text{CL}_{\text{bar}} & \text{otherwise} \end{array} \right|$$

Development lengths provided for individual bars:

$$L_{in2}_{b_2} := 100in$$

Depth of individual bars in diagonal direction 2:

$$\begin{split} d2_{b_2} &:= \left[\begin{aligned} h_b + h_c - cc_{top} - di_{topm} & \text{if } \lambda_{b_2} \leq \frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \\ \\ \frac{h_b - h}{a_p} \cdot \left[\lambda_{b_2} - \left(\frac{D}{2} - a_p\right) \right] + h - K_1 & \text{if } \lambda_{b_2} > \frac{D}{2} - a_p \\ \\ \frac{h - \left(h_b + h_c\right)}{2 \cdot x_o} \cdot \left[\lambda_{b_2} - \left[\frac{D}{2} - \left(a_p + 2 \cdot x_o\right) \right] \right] + h_c + h_b - K_2 & \text{otherwise} \end{aligned} \end{split}$$

Developed stress for individual bars in diagonal direction 2:

$$\sigma2_{b_2} := \frac{\sqrt{2} \cdot f_y \cdot A_{topm}}{2} \cdot min \left(\frac{min \left(L_{in2}_{b_2}, L_{out2}_{b_2} \right)}{l_{dtopm}}, 1 \right)$$

Footing is separated into strips containing one bar each. Depth of compression block for each strip:
$$a_{top} := \frac{\displaystyle\sum_{ii=1}^{N_{bars1}} \sigma 1_{ii} + \sum_{jj=1}^{N_{bars2}} \sigma 2_{jj}}{0.85 \cdot f_c \cdot \frac{D}{2}}$$

$$a_{top} = 2.27 \cdot in$$

Factored moment capacity at critical section:

$$\begin{split} \varphi M_{ntop} &:= \varphi_b \cdot \left[2 \cdot \left[\sum_{kk=1}^{N_{bars1}} \left[\left[\sigma \mathbf{1}_{kk} \cdot \left(\mathbf{d}_{kk} - \frac{\mathbf{a}_{top}}{2} \right) \right] \right] \dots \right] \\ &+ 2 \cdot \sum_{kk=1}^{N_{bars2}} \left[\left[\sigma \mathbf{2}_{kk} \cdot \left(\mathbf{d} \mathbf{2}_{kk} - \frac{\mathbf{a}_{top}}{2} \right) \right] \right] \end{split}$$

$$\phi M_{ntop} = 27898 \cdot k \cdot ft$$

Ultimate moment in top reinforcement:

$$M_{\text{utop}_{n+5}} = 22727 \cdot k \cdot ft$$

Check of factored moment against moment capacity at critical section:

$$check_{top} := \frac{M_{utop}_{n+5}}{\varphi M_{ntop}}$$

$$check_{top} = 0.81$$

IX-d. One-Way Shear Capacity Check

Plan location of section:

$$x_i := \frac{i}{2} \cdot f$$

$$x_i := \frac{i}{2} \cdot \text{ft}$$
 $x_j := a + (x_{face} - a) \cdot \frac{j - n}{5}$

Depth, d, as a function of distance along the sloped portion of the foundation is:

$$d_i := h_b + \frac{x_i}{a} \cdot h_c - 3.75 \cdot in$$

$$d_i := h_b + h_c - 3.75 \cdot in$$

Determine controlling load case:

$$V_{u_{q}} \coloneqq if\Big(\left|V_{uW_{q}}\right| \, \geq \, \left|V_{uEQ_{q}}\right| \, , V_{uW_{q}}, V_{uEQ_{q}}\Big)$$

Location of critical section from edge of footing:

$$x_{critical} := x_{face} - d_{n+5}$$

$$x_{critical} = 17.6 \, ft$$
 (Reference 1a)

Array counter for all slices up to the critical section:

qcs := 1,2.. trunc
$$\left(\frac{x_{critical}}{0.5 ft}\right) + 1$$

Shear capacity between edge and a:

$$\phi V_{n_{\hat{i}}} := \phi_{v} \cdot 2 \cdot psi^{\frac{1}{2}} \cdot \sqrt{f_{c}} \left[B \cdot d_{\hat{i}} + 2 \cdot x_{\hat{i}} \cdot \left(d_{\hat{i}} - x_{\hat{i}} \cdot \frac{h_{c}}{2 \cdot a} \right) \right]$$
 (Reference 1a)

Shear capacity between a and x_{face} :

$$\phi V_{n_j} := \phi_v \cdot 2 \cdot psi^{\frac{1}{2}} \cdot \sqrt{f_c} \left[B \cdot d_j + 2 \cdot a \cdot \left(d_j - \frac{h_c}{2} \right) \right]$$
 (Reference 1a)

 $d_a := 0.75 \cdot in$

Aggregate size factor:

$$s_{e_q} := \frac{1.38 \cdot 0.9 \cdot d_q}{d_2 + 0.63 \cdot in}$$

(Reference 1e)

Overall tension in reinforcing steel:

$$Tension_q := \frac{M_{ubot1_q}}{0.9 \cdot d_q} + V_{u_q}$$

Longitudinal strain at middepth of member:

$$\varepsilon_{x_q} \coloneqq \frac{Tension_q}{\left(A_{sboto_q} + A_{sbotm_q}\right) \cdot 2 \cdot E_s}$$

$$s_{x_q} := 12$$

Aggregate size factor:

$$s_{x_q} := if \left(d_a \ge 1.0in, \frac{0.75 \cdot d_q}{in}, \frac{1.25 \cdot d_q}{0.65in + d_a} \right)$$

Capacity between edge and a:

$$\varphi V_{n2_{\hat{i}}} := \varphi_v \Bigg(2 \cdot \sqrt{\frac{f_c}{psi}} \cdot psi \cdot \frac{2.25}{1 + 1500 \cdot \epsilon_{x_{\hat{i}}}} \cdot \frac{50}{38 + s_{x_{\hat{i}}}} \Bigg) \cdot \Bigg[B \cdot d_{\hat{i}} + 2 \cdot x_{\hat{i}} \cdot \Bigg(d_{\hat{i}} - x_{\hat{i}} \cdot \frac{h_c}{2 \cdot a} \Bigg) \Bigg]$$

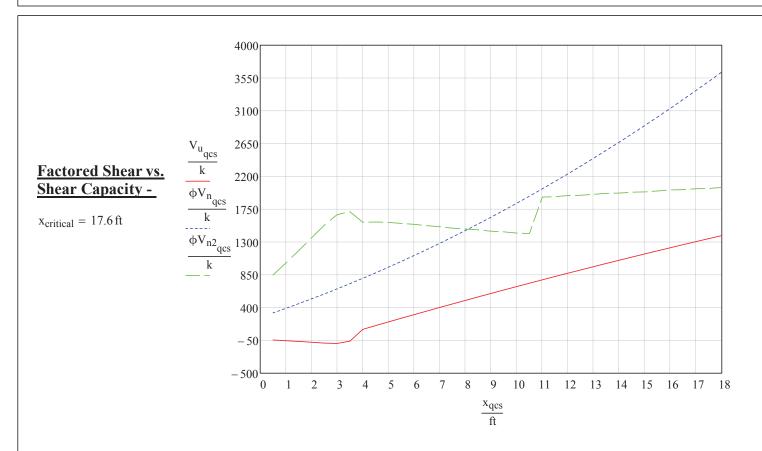
Capacity between a and

$$\varphi V_{n2_j} := \varphi_v \cdot \left(2 \cdot \sqrt{\frac{f_c}{psi}} \cdot psi \cdot \frac{2.25}{1 + 1500 \cdot \epsilon_{x_i}} \cdot \frac{50}{38 + s_{x_i}} \right) \cdot \left[B \cdot d_j + 2 \cdot a \cdot \left(d_j - \frac{h_c}{2} \right) \right]$$

Shear Desig	gn Results					$\frac{V_{u_{qcs}}}{\phi V_{r}} =$	$\frac{V_{u_{qcs}}}{\Phi V_{rr2}}$ =
qcs =	$x_{qcs} =$	$d_{qes} =$	$V_{u_{qcs}} =$	$\phi V_{n_{qcs}} =$	$\varphi V_{n2}_{qcs} =$	$\frac{1}{\phi V_{n_{qes}}} =$	$\frac{qes}{\varphi V_{n2}_{qes}}$
1	0.5 ft	9.7 ·in	-44 ·k	328 ·k	847 ·k	-0.13	-0.05
2	1.0	11.2	-54	390	1012	-0.14	-0.05
3	1.5	12.7	-65	453	1182	-0.14	-0.05
4	2.0	14.2	-76	519	1356	-0.15	-0.06
5	2.5	15.7	-87	587	1529	-0.15	-0.06
6	3.0	17.2	-92	656	1676	-0.14	-0.05
7	3.5	18.7	-60	728	1716	-0.08	-0.03
8	4.0	20.2	102	801	1571	0.13	0.06
9	4.5	21.7	153	877	1574	0.17	0.10
10	5.0	23.2	203	954	1568	0.21	0.13
11	5.5	24.7	253	1033	1555	0.25	0.16
12	6.0	26.2	303	1114	1542	0.27	0.20
13	6.5	27.7	353	1197	1524	0.29	0.23
14	7.0	29.2	402	1282	1510	0.31	0.27
15	7.5	30.7	450	1369	1490	0.33	0.30
16	8.0	32.2	499	1457	1478	0.34	0.34
17	8.5	33.7	547	1548	1466	0.35	0.37
18	9.0	35.2	594	1640	1448	0.36	0.41
19	9.5	36.7	642	1735	1439	0.37	0.45
20	10.0	38.2	689	1831	1423	0.38	0.48
21	10.5	39.7	735	1929	1416	0.38	0.52
22	11.0	41.2	781	2029	1917	0.38	0.41
23	11.5	42.7	827	2131	1923	0.39	0.43
24	12.0	44.2	872	2235	1936	0.39	0.45
25	12.5	45.7	917	2341	1940	0.39	0.47
26	13.0	47.2	962	2449	1954	0.39	0.49
27	13.5	48.7	1006	2559	1967	0.39	0.51
28	14.0	50.2	1050	2670	1971	0.39	0.53
29	14.5	51.7	1094	2784	1984	0.39	0.55
30	15.0	53.2	1137	2899	1987	0.39	0.57
31	15.5	54.7	1180	3016	2001	0.39	0.59
32	16.0	56.2	1222	3136	2014	0.39	0.61
33	16.5	57.7	1264	3257	2018	0.39	0.63
34	17.0	59.2	1306	3380	2032	0.39	0.64
35	17.5	60.7	1347	3505	2034	0.38	0.66
36	18.0	62.2	1388	3631	2049	0.38	0.68

NW Ohio Wind

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IX-e. Pedestal Two-Way Shear Capacity Check

Effective depth at face of pedestal

$$d_{mid} := h_b + h_c - cc_{bot} - di_{botm}$$

$$d_{mid} = 61.7 \cdot in$$

Effective depth at face of pedestal

$$d_{face} := if \left[\frac{C}{2} + \frac{d_{mid}}{2} < \frac{B}{2}, d_{mid}, h_b + \frac{\frac{D}{2} - \left(\frac{C}{2} + \frac{d_{mid}}{2}\right)}{a} \cdot h_c - cc_{bot} - di_{botm} \right]$$

$$d_{face} = 61.7 \cdot in$$

Area of critical section:

$$A_c := 2\pi \cdot d_{face} \cdot \left(\frac{C + d_{face}}{2}\right)$$

$$A_c = 53860 \cdot in^2$$

Polar moment of inertia of critical section:

$$J_c := \pi \cdot d_{face} \cdot \left(\frac{C + d_{face}}{2}\right)^3 + \left(\frac{d_{face}}{3}\right) \left(\frac{C + d_{face}}{2}\right) \qquad J_c = 5.30 \times 10^8 \cdot in^4$$

$$J_c = 5.30 \times 10^8 \cdot in^4$$

Perimeter of critical section:

$$b_0 := 2\pi \cdot \left(\frac{C + d_{face}}{2}\right)$$

$$b_0 = 873 \cdot in$$

Half critical section width:

$$c := \frac{C + d_{face}}{2}$$
 (interior column)

$$c = 139 \cdot in$$

Weight of pedestal:

$$W_p = 191 \cdot kip$$

Unfactored vertical wind load on critical section:

$$\begin{split} P_W &:= W_t + W_p + \left(h_c + h_b\right) \cdot \left[\pi \cdot \left(\frac{C + d_{face}}{2}\right)^2\right] \cdot \gamma_c \ \dots \\ &+ \gamma_{sdtop} \cdot \left[h_s - \left(h_c + h_b\right)\right] \cdot \left[\pi \cdot \left(\frac{C + d_{face}}{2}\right)^2 - \pi \cdot \left(\frac{C}{2}\right)^2\right] \end{split}$$

$$P_W = 1217 \cdot k$$

Unfactored vertical seismic load on critical section:

$$\begin{split} P_{EQ} &:= W_{OE} + W_p + \left(h_c + h_b\right) \cdot \left[\pi \cdot \left(\frac{C + d_{face}}{2}\right)^2\right] \cdot \gamma_c \ \dots \\ &+ \gamma_{sdtop} \cdot \left[h_s - \left(h_c + h_b\right)\right] \cdot \left[\pi \cdot \left(\frac{C + d_{face}}{2}\right)^2 - \pi \cdot \left(\frac{C}{2}\right)^2\right] \end{split}$$

$$P_{EO} = 1239 \cdot k$$

Unbalanced wind moment on joint:

$$M_{unbalancedW} = 49870 \cdot kip \cdot ft$$

Fraction of wind moment that can be carried by flexure:

$$\gamma_{\rm fW} = 0.96$$

Fraction of wind moment carried by

$$\gamma_{\rm vW} := \max(0.4, 1 - \gamma_{\rm fW}) = 0.40$$

shear:

$$v_{uW} := \frac{\alpha_{d2} \cdot P_W}{\Delta} + \frac{\gamma_{vW} \cdot M_{unbalancedW} \cdot c}{I}$$

$$v_{uW} = 90 \cdot psi$$

Factored shear stress due to wind load at critical section:

$$v_{uW} := \frac{\alpha_{d2} \cdot P_W}{A_c} + \frac{\gamma_{vW} \cdot M_{unbalancedW} \cdot c}{J_c}$$

 $M_{unbalancedEQ}\,=\,32520\!\cdot\! kip\!\cdot\! ft$ Unbalanced seismic moment on joint:

Fraction of seismic moment that can be

carried by flexure:

$$\gamma_{\rm fEQ} = 1.47$$

Fraction of seismic moment carried by

shear:

$$\gamma_{\text{vEQ}} := \max(0.4, 1 - \gamma_{\text{fEQ}}) = 0.40$$

Factored shear stress due to seismic load at critical section:

$$v_{uEQ} := \frac{\alpha_{d2EQ} \cdot P_{EQ}}{A_c} + \frac{\gamma_{vEQ} \cdot M_{unbalancedEQ} \cdot c}{J_c} \\ v_{uEQ} = 68 \cdot psi$$

Determine controlling load case:

$$v_u := max(v_{uW}, v_{uEQ})$$

$$v_u = 90 \, psi$$

$$\beta_c := 1$$

$$\alpha_s := 40$$

$$\phi_{\rm v} = 0.75$$

Shear stress capacity:

$$\varphi v_c := \varphi_v \cdot min \Bigg[\Bigg(2 + \frac{4}{\beta_c} \Bigg), \Bigg(\frac{\alpha_s \cdot d_{face}}{b_0} + 2 \Bigg), 4 \Bigg] \cdot \sqrt{f_c \cdot psi} \quad \varphi v_c = 212 \cdot psi$$

$$v_c = 212 \cdot psi$$
 (Reference 1a)

Check of factored shear stress vs. shear stress capacity:

$$\frac{v_u}{\phi v_c} = 0.42$$

X. Concrete Design - Fatigue Loads

A. Design Functions

Function describing the volume of concrete for each slice of the moment/shear calculations.

$$\label{eq:concreteVolumeFat} \begin{aligned} \text{ConcreteVolumeFat}(y) &\coloneqq \left[\begin{array}{l} h_b \cdot (B+2 \cdot y) + \frac{y}{a} \cdot h_c \cdot (B+y) & \text{if } y \leq a \\ h_b \cdot (D) + h_c \cdot (B+a) & \text{otherwise} \end{array} \right] \end{aligned}$$

Functions describing the weight of the soil wedge pieces acting on each slice of the moment/shear calculations.

Functions describing the weight of the soil wedge pieces acting on each slice of the moment/shear calculations.
$$\text{StaticSoilWedgeWeightFat} \big(\gamma_{sd}, \gamma_{ss} \big) := \begin{bmatrix} \gamma_{sd} \cdot \frac{B \cdot tan \big(\theta_{fat} \big)}{2} \cdot \big(h_s - h_b \big)^2 & \text{if } d_{GWTF} \ge h_s - h_b \\ \frac{B \cdot tan \big(\theta_{fat} \big)}{2} \cdot \Big[\gamma_{ss} \big(h_s - h_b - d_{GWTF} \big)^2 + \gamma_{sd} \Big[\big(h_s - h_b \big)^2 - \big(h_s - h_b - d_{GWTF} \big)^2 \Big] \\ \text{otherwise}$$

$$\begin{aligned} \text{VariableSoilWedgeWeightFat}\big(y,\gamma_{sd},\gamma_{ss}\big) &:= & \begin{bmatrix} 0 & \text{if } d_{GWTF} \geq h_s - h_b \\ & \text{otherwise} \\ & & \sqrt{2} \cdot \tan \big(\theta_{fat}\big) \cdot \left[\gamma_{ss} \big(h_s - h_b - d_{GWTF}\big)^2 + \gamma_{sd} \left[\big(h_s - h_b\big)^2 - \big(h_s - h_b - d_{GWTF}\big)^2 \right] \end{bmatrix} & \text{if } y \leq a \\ & & \tan \big(\theta_{fat}\big) \cdot \left[\gamma_{ss} \big(h_s - h_b - d_{GWTF}\big)^2 + \gamma_{sd} \left[\big(h_s - h_b\big)^2 - \big(h_s - h_b - d_{GWTF}\big)^2 \right] \end{bmatrix} & \text{otherwise} \end{aligned}$$

Function describing the volume of dry soil over each slice of the moment/shear calculations.

$$\begin{split} \text{DrySoilVolumeFat}(hj,y) &:= & \text{ if } d_{GWTF} \geq h_s - h_b \\ & \left[\left(h_s - h_b \right) - \frac{y}{a} \cdot h_c \right] \cdot (B + 2 \cdot y) + \frac{y^2 \cdot h_c}{a} + \sqrt{2} \cdot tan \left(\theta_{fat} \right) \cdot \left(h_s - h_b \right)^2 & \text{ if } y \leq a \\ & D \cdot \left[\left(h_s - h_b \right) - h_c \right] + h_c \cdot a + tan \left(\theta_{fat} \right) \cdot \left(h_s - h_b \right)^2 & \text{ otherwise} \\ & \text{ if } d_{GWTF} \leq h_s - hj \\ & \left[d_{GWTF} \cdot (B + 2 \cdot y) & \text{ if } y \leq a \\ & D \cdot d_{GWTF} & \text{ otherwise} \\ & \left[\left(h_s - h_b \right) - \frac{y}{a} \cdot h_c \right] \cdot (B + 2 \cdot y) + \left[\frac{y^2 \cdot h_c}{a} - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ if } y \leq a \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right)^2 \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right) \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right) \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right) \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right) \right] & \text{ otherwise} \\ & \left[D \cdot \left(h_s - h_b - h_c \right) + \left[h_c \cdot a - \frac{a}{h_c} \cdot \left(h_s - h_b - d_{GWTF} \right) \right] & \text{ o$$

Function describing the volume of saturated soil over each slice of the moemnt / shear calculations.

$$\begin{aligned} \text{SaturatedSoilVolumeFat}(hj\,,y) &:= & \begin{bmatrix} 0 & \text{if} & d_{GWTF} \geq \, h_s - h_b \\ & \text{if} & d_{GWTF} \leq \, h_s - hj \end{bmatrix} \\ & \begin{bmatrix} (B+2\cdot y) \cdot \left(h_s - h_b - \frac{y}{a} \cdot h_c - d_{GWTF} \right) + \frac{y^2 \cdot h_c}{a} & \text{if} & y \leq \, a \end{bmatrix} \\ & \begin{bmatrix} (h_s - h_b - h_c - d_{GWTF}) \cdot D + h_c \cdot a & \text{otherwise} \end{bmatrix} \end{aligned}$$

Function describing the effect of groundwater on the material weights over each slice of the moment/ shear calculations.

$$\begin{aligned} \text{BuoyancyWeightFat}(y) &:= & \left| \begin{array}{l} 0 \quad \text{if} \ d_{GWTF} \geq \, h_s \\ \\ \text{if} \ d_{GWTF} < \, h_s \\ \\ \left| \left(B + 2 \cdot y \right) \cdot \left(h_s - d_{GWTF} \right) \right| \ \text{if} \ y \leq \, a \\ \\ \left(h_s - d_{GWTF} \right) \cdot D \quad \text{otherwise} \end{aligned} \right. \end{aligned}$$

B. Bottom Reinforcement

(Reference 7)

Depth to reinforcement at critical section

for flat portion of footing:

$$d_{face2} := h_b + h_c - cc_{bot} - 1.5di_{botm} - 1in \label{eq:dface2}$$

$$d_{face2} = 60.1 \cdot in$$

Width of Concrete Resisting Fatigue:

$$w_f := OD + 3 \cdot (h_c + h_b)$$

$$w_f = 31.4 \, ft$$

Cap width to be within "middle" strip:

$$w_f := \min(w_f, 2 \cdot W_m)$$

$$w_f = 31.4 \, ft$$

Area of steel across critical section:

$$A_{s} := \frac{w_{f}}{s_{hotm}} \cdot A_{botm}$$

$$A_s = 63.9 \cdot in^2$$

Footing Depth at Edge of Section:

$$d_{edge} := d_{face2} - \frac{w_f - B}{2} \cdot \frac{h_c}{a} = 51.14 \cdot in$$

Concrete Area Resisting Shear:

$$A_{face} := B \cdot d_{face2} + 2 \cdot \frac{w_f - B}{2} \cdot \left(\frac{d_{edge} + d_{face2}}{2} \right) \qquad \qquad A_{face} = 22357 \cdot in^2$$

$$A_{face} = 22357 \cdot in^2$$

C. Fatigue Soil Bearing Pressure

Service load eccentricity:

$$e_{fNorth}_{qr_{north}} := \frac{MUnique_{north}}{W_{fat}}$$

Circular radius of octagon:

$$R := \frac{D}{2}$$

$$R = 30.75 \, ft$$

Effective soil area in bearing:

$$A_{effNorth}_{qr_{north}} := 2 \cdot \left[\left(R^2 \right) \cdot acos \left(\frac{e_{fNorth}_{qr_{north}}}{R} \right) \dots \right. \\ \left. + -e_{fNorth}_{qr_{north}} \cdot \sqrt{R^2 - \left(e_{fNorth}_{qr_{north}} \right)^2} \right]$$

Ellipse soil width in bearing:

$$b_{eNorth}_{qr_{north}} \coloneqq 2 \cdot \left(R - e_{fNorth}_{qr_{north}}\right)$$

Ellipse soil length in bearing:

$$l_{eNorth}_{qr_{north}} := 2 \cdot R \cdot \sqrt{1 - \left(1 - \frac{b_{eNorth}_{qr_{north}}}{2 \cdot R}\right)^2}$$

Effective soil length in bearing:

$$l_{effNorth}_{qr_{north}} := \sqrt{A_{effNorth}_{qr_{north}} \cdot \frac{l_{eNorth}_{qr_{north}}}{b_{eNorth}_{qr_{north}}}}$$

Effective soil width in bearing:

$$b_{effNorth}_{qr_{north}} \coloneqq \frac{l_{effNorth}_{qr_{north}}}{l_{eNorth}_{qr_{north}}} \cdot b_{eNorth}_{qr_{north}}$$

Maximum fatigue bearing pressure:

$$f_{fNorth}_{qr_{north}} \coloneqq \frac{W_{fat}}{A_{effNorth}_{qr_{north}}}$$

$$x_{startNorth}_{qr_{north}} \coloneqq \frac{D}{2} - e_{fNorth}_{qr_{north}} - \frac{b_{effNorth}_{qr_{north}}}{2}$$

Foundation plan area:

$$A_{base} := D^2 - 2 \cdot \left(\frac{D - B}{2}\right)^2 \qquad \qquad A_{base} = 3133 \, \mathrm{ft}^2$$

$$A_{base} = 3133 \, \mathrm{ft}^2$$

Section modulus of foundation for normal orientation:

$$S_{normal} := \frac{2I_{fdn}}{D}$$

$$S_{normal} = 25465 \cdot ft^3$$

$$W_{fat} = 3160 \cdot kip$$

$$\frac{W_{fat}}{A_{base}} = 1009 \cdot psf$$

Moment at which the foundation lifts:

$$M_{maxlift} := \frac{W_{fat}}{A_{base}} \cdot S_{normal} = 25682 \cdot k \cdot ft$$

Maximum soil pressure at point when the foundation lifts:

$$\sigma_{maxlift} := \frac{W_{fat}}{A_{base}} + \frac{M_{maxlift}}{S_{normal}} = 2017 \cdot psf$$

Min and Max soil bearing pressure for each fatigue range:

Maximum soil pressure at point when the foundation lifts defined for each individual fatigue load:

$$\begin{split} &\sigma_{north_max_soiltrap}_{qr_{north}} := \frac{W_{fat}}{A_{base}} + \frac{MUnique_{north}}{S_{normal}} \\ &\sigma_{north_min_soil}_{qr_{north}} := \left[\frac{W_{fat}}{A_{base}} - \frac{MUnique_{north}}{S_{normal}} \right. & \text{if } \frac{W_{fat}}{A_{base}} - \frac{MUnique_{north}}{S_{normal}} > 0 \end{split}$$

Guess for solver of soil bearing length:

$$L_b := 52.98 ft$$

Guess for solver of max soil pressure:

$$f_{max} := 2633psf$$

The following functions solve for the soil pressure assuming the pressure distribution is triangular and lift-off has occurred on the minimum pressure side of the foundation:

$$F_{VALS_{qr_{north}}} := W_{fat}$$

$$M_{TOEVALS_{qr_{north}}} \coloneqq W_{fat} \cdot \frac{D}{2} - MUnique_{north}_{qr_{north}}$$

Given

$$\begin{split} F &= \int_0^a (B+2\cdot y) \cdot \Bigg[f_{max} - f_{max} \cdot \left(\frac{y}{L_b}\right) \Bigg] dy \ ... \\ &+ \int_a^{a+B} D \cdot \Bigg[f_{max} - f_{max} \cdot \left(\frac{y}{L_b}\right) \Bigg] dy \ ... \\ &+ \int_{a+B}^{L_b} [D-2(a+B-y)] \cdot \Bigg[f_{max} - f_{max} \cdot \left(\frac{y}{L_b}\right) \Bigg] dy \end{split}$$

$$\begin{split} M_{toe} &= \int_{0}^{a} (B+2\cdot y) \cdot \left[f_{max} - f_{max} \cdot \left(\frac{y}{L_{b}} \right) \right] y \, dy \, \dots \\ &+ \int_{a}^{a+B} D \cdot \left[f_{max} - f_{max} \cdot \left(\frac{y}{L_{b}} \right) \right] y \, dy \, \dots \\ &+ \int_{a+B}^{L_{b}} \left[D - 2(a+B-y) \right] \cdot \left[f_{max} - f_{max} \cdot \left(\frac{y}{L_{b}} \right) \right] y \, dy \end{split}$$

$$FUNCTION(F, M_{toe}) := Find\left(\frac{L_b}{ft}, \frac{f_{max}}{psf}\right)$$

Solve the loop for the "LIFT" condition:

$$\begin{aligned} \mathsf{MapL}_{b_{qr_{north}}} \coloneqq & \left[\mathsf{FUNCTION} \Big(\mathsf{F}_{\mathsf{VALS}_{qr_{north}}}, \mathsf{M}_{\mathsf{TOEVALS}_{qr_{north}}} \Big)_{0} \cdot \mathsf{ft} \ \, \mathsf{if} \ \, \sigma_{\mathsf{north_min_soil}_{qr_{north}}} = \mathsf{"LIFT"} \\ 0 \ \, \mathsf{if} \ \, \sigma_{\mathsf{north_min_soil}_{qr_{north}}} \neq \mathsf{"LIFT"} \end{aligned} \right. \end{aligned}$$

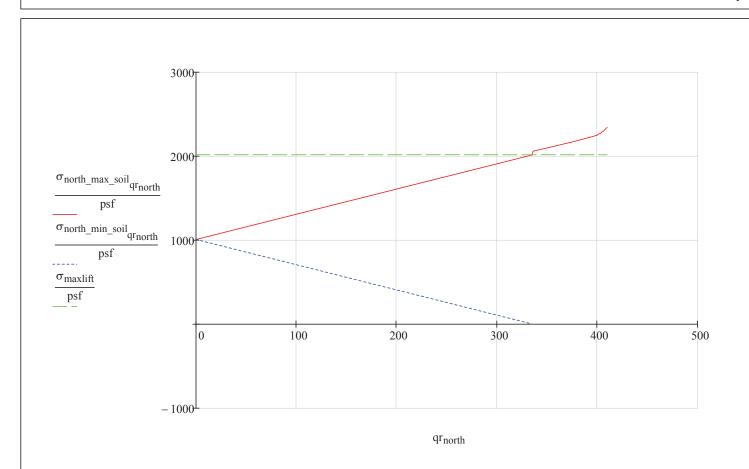
$$\sigma_{north_max_soiltri}_{qr_{north}} := \begin{bmatrix} FUNCTION \Big(F_{VALS}_{qr_{north}}, M_{TOEVALS}_{qr_{north}} \Big) \\ 1 \cdot psf & \text{if } \sigma_{north_min_soil}_{qr_{north}} = \text{"LIFT"} \end{bmatrix}$$

Select the actual pressure depending on if the soil pressure at each fatigue load depending on if "lift" has occurred (triangular soil pressure distribution) or not:

$$\sigma_{north_max_soil}{}_{qr_{north}} := if \left(\sigma_{north_min_soil}{}_{qr_{north}} = \text{"LIFT"}, \sigma_{north_max_soiltri}{}_{qr_{north}}, \sigma_{north_max_soiltrap}{}_{qr_{north}} \right) = ...$$

Soil pressure output for each fatigue load (shown in partial tabular form and graphically):

$qr_{north} =$	$MUnique_{north} =$	$\sigma_{north_min_soil} =$	$\sigma_{north_max_soiltrap} =$	$\sigma_{north_max_soiltri} =$	$\sigma_{north_max_soil} =$
0	0 ·k·ft	1009 ·psf	1009 ·psf	0 ·psf	1009 ·psf
1	76	1006	1012	0	1012
2	153	1003	1015	0	1015
3	229	1000	1018	0	1018
4	306	997	1021	0	1021
5	382	994	1024	0	1024
6	459	991	1027	0	1027
7	535	988	1030	0	1030
8	612	985	1033	0	1033
9	688	982	1036	0	1036
10	765	979	1039	0	1039
11	841	976	1042	0	1042
12	917	973	1045	0	1045



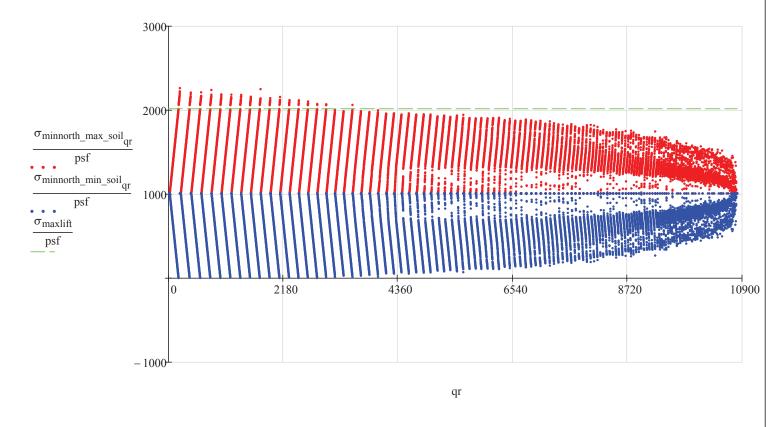
D. Map Unique Matrix Loop Results back to full Minimum Markov or Rain Flow Matrix

$$L_{bmin}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} MapL_{b} & \text{if } M_{minnorth}_{qr} = MUnique_{north} \\ 0 & \text{if } M_{minnorth}_{qr} \neq MUnique_{north} \\ \end{array} \right)$$

$$\sigma_{minnorth_max_soil}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} \sigma_{north_max_soil}_{qr_{north}} & \text{if } M_{minnorth}_{qr} = \text{MUnique}_{north} \\ 0 & \text{if } M_{minnorth}_{qr} \neq \text{MUnique}_{north} \end{array} \right)$$

$$\begin{aligned} \text{Map}\sigma_{minnorth_min_soil}_{qr} &:= \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} 0 \text{ if } \sigma_{north_min_soil}_{qr_{north}} = \text{"LIFT"} \\ \text{otherwise} \\ & \sigma_{north_min_soil}_{qr_{north}} \text{ if } M_{minnorth}_{qr} = \text{MUnique}_{north}_{qr_{north}} \\ 0 \text{ if } M_{minnorth}_{qr} \neq \text{MUnique}_{north} \end{aligned} \right) \end{aligned}$$

$$\sigma_{minnorth_min_soil_qr} := \begin{bmatrix} \text{"LIFT"} & \text{if } \operatorname{Map}\sigma_{minnorth_min_soil}_{qr} = 0 \\ \\ \operatorname{Map}\sigma_{minnorth_min_soil}_{qr} & \text{if } \operatorname{Map}\sigma_{minnorth_min_soil}_{qr} \neq 0 \end{bmatrix}$$



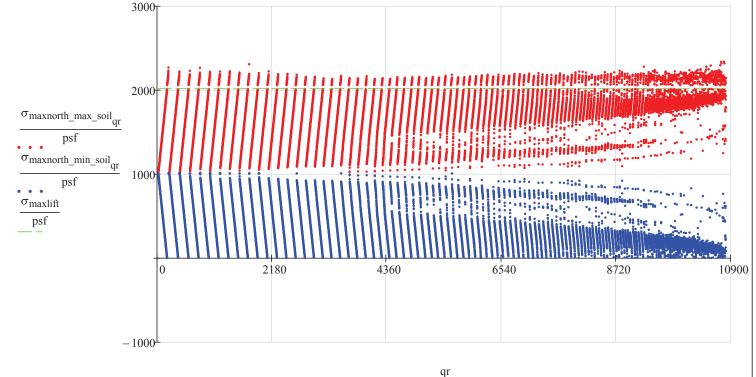
E. Map Unique Matrix Loop Results back to full Maximum Markov or Rain Flow Matrix

$$L_{b_{qr}} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} MapL_{b_{qr_{north}}} & \text{if } M_{maxnorth_{qr}} = MUnique_{north_{qr_{north}}} \\ 0 & \text{if } M_{maxnorth_{qr}} \neq MUnique_{north_{qr_{north}}} \end{array} \right)$$

$$\sigma_{maxnorth_max_soil}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{vmatrix} \sigma_{north_max_soil}_{qr_{north}} & \text{if } M_{maxnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{maxnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{vmatrix} \right)$$

$$\begin{aligned} \text{Map}\sigma_{\text{maxnorth_min_soil}_{qr}} &:= \sum_{\text{qr}_{\text{north}}}^{\text{qt}_{\text{north}}} = \begin{bmatrix} 0 & \text{if } \sigma_{\text{north_min_soil}_{qr_{\text{north}}}} = \text{"LIFT"} \\ \text{otherwise} \\ & & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & \\ & & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & \\ & & & \\ & & & \\ & & & \\ & & \\ & & & \\ & & \\ & & & \\ & & & \\ &$$

$$\sigma_{maxnorth_min_soil}_{qr} := \begin{bmatrix} "LIFT" & if & Map\sigma_{maxnorth_min_soil}_{qr} = 0 \\ \\ & & Map\sigma_{maxnorth_min_soil}_{qr} & if & Map\sigma_{maxnorth_min_soil}_{qr} \neq 0 \end{bmatrix}$$



F. Fatigue Load Bottom Moments and Top Moments at Critical Section

$$\begin{split} M_{fminbotNorth}_{qr} &:= & \int_{0}^{a} \left[\sigma_{minnorth_max_soil}_{qr} - \frac{y}{L_{bmin}} \cdot \left(\sigma_{minnorth_max_soil}_{qr} \right) \cdot (B + 2 \cdot y) \cdot \left(x_{face} - y \right) dy \dots \right. \\ & + \int_{a}^{x_{face}} \left[\sigma_{minnorth_max_soil}_{qr} - \frac{y}{L_{bmin}} \cdot \left(\sigma_{minnorth_max_soil}_{qr} \right) \cdot D \cdot \left(x_{face} - y \right) dy \dots \right. \\ & + - \int_{a}^{x_{face}} \left[ConcreteVolumeFat(y) \cdot \gamma_{e} \dots \right. \\ & + DrySoilVolumeFat(h_{b} + h_{e}, y) \cdot \gamma_{sobot} \dots \\ & + SaturatedSoilVolumeFat(h_{b} + h_{e}, y) \cdot \gamma_{sobot} \dots \\ & + VariableSoilWedgeWeightFat(y) \cdot \gamma_{w} \right] \cdot x_{face} \\ & + - StaticSoilWedgeWeightFat(y) \cdot \gamma_{w} \cdot \left(\gamma_{sobot} - \gamma_{w} \right) \right] \cdot x_{face} \\ & + - StaticSoilWedgeWeightFat(y) \cdot \gamma_{e} \dots \\ & + \int_{a}^{x_{face}} \left[\sigma_{minnorth_max_soil}_{qr} - \frac{y}{D} \cdot \left(\sigma_{minnorth_max_soil}_{qr} - \sigma_{minnorth_min_soil}_{qr} \right) \right] \cdot D \cdot \left(x_{face} - y \right) dy \dots \\ & + - \int_{a}^{x_{face}} \left[\sigma_{minnorth_max_soil}_{qr} - \frac{y}{D} \cdot \left(\sigma_{minnorth_max_soil}_{qr} - \sigma_{minnorth_min_soil}_{qr} \right) \right] \cdot D \cdot \left(x_{face} - y \right) dy \dots \\ & + DrySoilVolumeFat(h_{b} + h_{e}, y) \cdot \gamma_{sobot} \dots \\ & + DrySoilVolumeFat(h_{b} + h_{e}, y) \cdot \gamma_{sobot} \dots \\ & + SaturatedSoilVolumeFat(h_{b} + h_{e}, y) \cdot \gamma_{sobot} \cdot \left(\gamma_{sobot} - \gamma_{w} \right) \right] \cdot x_{face} \end{aligned}$$

GE 2.5-116 90m Hub Height Foundation Design

$$\begin{split} M_{fmaxbotNorth}_{qr} &:= \begin{cases} \int_{0}^{a} \left[\sigma_{maxnorth_max_soil}_{qr} - \frac{y}{L_{b_qr}} \cdot \left(\sigma_{maxnorth_max_soil}_{qr} \right) \right] \cdot (B + 2 \cdot y) \cdot \left(x_{face} - y \right) \, dy \, \dots & \text{if } \sigma_{maxnorth_min_soil}_{qr} = \text{"LIFT} \\ &+ \int_{a}^{x_{face}} \left[\sigma_{maxnorth_max_soil}_{qr} - \frac{y}{L_{b_qr}} \cdot \left(\sigma_{maxnorth_max_soil}_{qr} \right) \right] \cdot D \cdot \left(x_{face} - y \right) \, dy \, \dots \\ &+ \int_{a}^{x_{face}} \left[ConcreteVolumeFat(y) \cdot \gamma_c \, \dots \\ &+ DrySoilVolumeFat(h_b + h_e, y) \cdot \gamma_{sbbot} \, \dots \\ &+ VariableSoilWedgeWeightFat[y) \cdot \gamma_{sbbot} \cdot \left(\gamma_{ssbot} - \gamma_w \right) \right] \cdot \dots \\ &+ - StaticSoilWedgeWeightFat[y \cdot \gamma_{sbbot} \cdot \gamma_w] \cdot \left(\gamma_{ssbot} - \gamma_w \right) \right] \cdot \left(x_{face} - y \right) \, dy \, \dots \\ &+ - StaticSoilWedgeWeightFat[\gamma_{sbbot} \cdot \gamma_{ssbot} - \gamma_w] \cdot \left(\gamma_{sbbot} - \gamma_w \right) \right] \cdot \left(x_{face} - y \right) \, dy \, \dots \\ &+ \int_{a}^{x_{face}} \left[\sigma_{maxnorth_max_soil}_{qr} - \frac{y}{D} \cdot \left(\sigma_{maxnorth_max_soil}_{qr} - \sigma_{maxnorth_min_soil}_{qr} \right) \right] \cdot D \cdot \left(x_{face} - y \right) \, dy \, \dots \\ &+ \int_{a}^{x_{face}} \left[\sigma_{maxnorth_max_soil}_{qr} - \frac{y}{D} \cdot \left(\sigma_{maxnorth_max_soil}_{qr} - \sigma_{maxnorth_min_soil}_{qr} \right) \right] \cdot D \cdot \left(x_{face} - y \right) \, dy \, \dots \\ &+ \int_{a}^{x_{face}} \left[ConcreteVolumeFat(y) \cdot \gamma_c \, \dots \\ &+ DrySoilVolumeFat(h_b + h_e, y) \cdot \gamma_{sdbot} \, \dots \\ &+ VariableSoilWedgeWeightFat[y, \gamma_{sdbot} \cdot (\gamma_{ssbot} - \gamma_w)] \cdot x_{face} \right] \\ &+ - StaticSoilWedgeWeightFat[\gamma_{sobot} \cdot (\gamma_{ssbot} - \gamma_w)] \cdot x_{face} \end{aligned}$$

$$\begin{split} M_{finintopNorth}_{qr} &:= & \max \left[0k \cdot ft, - \left[\int_{0}^{D-x_{face}} \int_{0}^{alt} \left[\sigma_{minnorth,max,soil}_{qr} - \frac{y}{L_{bmin}} \left(\sigma_{minnorth,max,soil}_{qr} \right) \right] D \cdot \left(D - x_{face,alt} - y \right) \, dy \dots \right] & \text{if } \sigma_{ll} \\ & \text{If } \int_{0}^{a} \left[\sigma_{minnorth,max,soil}_{qr} - \frac{y}{L_{bmin}} \left(\sigma_{minnorth,max,soil}_{qr} \right) \right] D \cdot \left(D - x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{face,alt} - y \right) \, dy \dots \\ & + D \cdot x_{fac$$

$$\begin{aligned} & \text{M}_{\text{finationpNorth}}_{qp} \coloneqq \left[\int_{0}^{s} \left[\sigma_{\text{maxnorth}}^{\text{max}} \underline{soil}_{qp} - \frac{y}{L_{b,qp}} \left(\sigma_{\text{maxnorth}}^{\text{max}} \underline{soil}_{qp} \right) \right] (B + 2 \cdot y) \cdot \left(D - x_{face_ali} - y \right) \, dy \; \dots \right] & \text{if } \sigma_{\text{maxnorth}}^{\text{max}} \underline{soil}_{qp} - \frac{y}{L_{b,qp}} \left(\sigma_{\text{maxnorth}}^{\text{max}} \underline{soil}_{qp} \right) \right] \cdot D \cdot \left(D - x_{face_ali} - y \right) \, dy \; \dots \\ & + \int_{0}^{D - x_{face_ali}} \left[\sigma_{\text{maxnorth}}^{\text{max}} \underline{soil}_{qp} - \frac{y}{L_{b,qp}} \left(\sigma_{\text{maxnorth}}^{\text{max}} \underline{soil}_{qp} \right) \right] \cdot D \cdot \left(D - x_{face_ali} - y \right) \, dy \; \dots \\ & + D \cdot x_{face_ali}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}_{qp} - \frac{y}{V_{pq}} \left(\sigma_{\text{maxnorth}}^{\text{maxnorth}} \underline{soil}_{qp} - \gamma_{pq} \right) \right] \cdot D \cdot \left(D - x_{face_ali} - y \right) \, dy \; \dots \\ & + D \cdot x_{face_ali}^{\text{maxnorth}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{max}} \underline{soil}^{\text{maxnorth}} \underline{soil}^{\text{maxno$$

G. Fatigue Load Shear at Critical Section

$$V_{EdminNorth}_{qr} := \max \begin{cases} 0 \text{kip}, & \int_{0}^{a} \left[\sigma_{minnorth}_{max_soil}_{qr} - \frac{y}{L_{bmin}}_{qr} \cdot \left(\sigma_{minnorth}_{max_soil}_{qr} \right) \cdot (B + 2 \cdot y) \, dy \, ... & \text{if } \sigma_{minnorth}_{min_soil}_{qr} = \text{"LIFT"} \\ & + \int_{a}^{N_{face}} \left[\sigma_{minnorth}_{max_soil}_{qr} - \frac{y}{L_{bmin}}_{qr} \cdot \left(\sigma_{minnorth}_{max_soil}_{qr} \right) \right] \cdot D \, dy \, ... \\ & + - \int_{a}^{N_{face}} \left[ConcreteVolumeFat(y) \cdot \gamma_{c} \, ... \\ & + DrySoilVolumeFat(h_{b} + h_{c}, y) \cdot \gamma_{sdbot} \, ... \\ & + A staturatedSoilVolumeFat(h_{b} + h_{c}, y) \cdot \gamma_{sdbot} \, ... \\ & + - BuoyancyWeightFat(y) \cdot \gamma_{w} \\ & + - BuoyancyWeightFat(y) \cdot \gamma_{o} \, ... \\ & + \int_{a}^{N_{face}} \left[\sigma_{minnorth}_{max_soil}_{qr} - \frac{y}{D} \cdot \left(\sigma_{minnorth}_{max_soil}_{qr} - \sigma_{minnorth}_{min_soil}_{qr} \right) \right] \cdot (B + 2 \cdot y) \, dy \, ... & \text{otherwise} \\ & + \int_{a}^{N_{face}} \left[\sigma_{minnorth}_{max_soil}_{qr} - \frac{y}{D} \cdot \left(\sigma_{minnorth}_{max_soil}_{qr} - \sigma_{minnorth}_{min_soil}_{qr} \right) \right] \cdot D \, dy \, ... \\ & + - \int_{a}^{N_{face}} \left[ConcreteVolumeFat(y) \cdot \gamma_{c} \, ... \\ & + DrySoilVolumeFat(h_{b} + h_{c}, y) \cdot \gamma_{sdbot} \, ... \\ & + DrySoilVolumeFat(h_{b} + h_{c}, y) \cdot \gamma_{ssbot} \, ... \\ & + VariableSoilWedgeWeightFat[y, \gamma, \gamma_{sdbot}, \gamma_{ssbot} - \gamma_{w}) \right] ... \\ & + - StaticSoilWedgeWeightFat[\gamma_{sdbot}, (\gamma_{ssbot} - \gamma_{w})] \, ... \\ & + - StaticSoilWedgeWeightFat[\gamma_{sdbot}, (\gamma_{ssbot} - \gamma_{w})] \, ... \\ \end{cases}$$

H. Shear and Moment Summary

Results in partial tabular form:

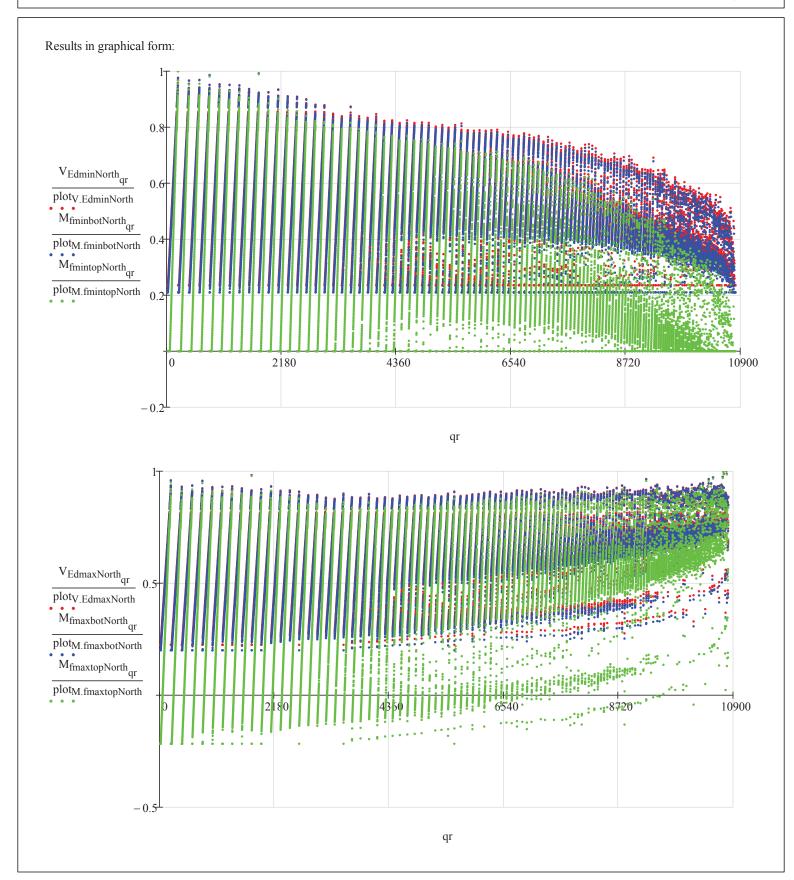
qr =	$V_{EdminNorth} =$	$V_{EdmaxNorth} =$	$M_{fminbotNorth} =$	$M_{fmaxbotNorth} =$	$M_{fmintopNorth} =$	$M_{fmaxtopNorth} =$
0	237 ·kip	237 ·kip	2463 ·k·ft	2463 ·k·ft	0 ·k·ft	-1823 ·k·ft
1	237	237	2463	2463	0	-1823
2	237	237	2463	2463	0	-1823
3	237	237	2463	2463	0	-1823
4	237	237	2463	2463	0	-1823
5	237	237	2463	2463	0	-1823
6	237	237	2463	2463	0	-1823
7	237	237	2463	2463	0	-1823
8	237	237	2463	2463	0	-1823
9	237	237	2463	2463	0	-1823
10	237	237	2463	2463	0	-1823
11	237	237	2463	2463	0	-1823
12	237	237	2463	2463	0	-1823

$$plot_{V.EdminNorth} := max \big(V_{EdminNorth} \big) \qquad plot_{M.fminbotNorth} := max \big(M_{fminbotNorth} \big) \qquad plot_{M.fminbotNorth} := max \big(M_{fmintopNorth} \big) \qquad plot_{M.fmintopNorth} := max \big(M_{fmintopNorth} \big) \qquad plot_{M.fmaxbotNorth} := max \big(M_{fmaxbotNorth} \big) \qquad plot_{M.fmaxtopNorth} := max \big(M_{fmaxtopNorth} \big) \qquad plot_{M.fmintopNorth} := max \big(M_{fmintopNorth} \big) \qquad plot_{M.fmintopNorth} := max \big(M_{fmintopNorth} \big) \qquad plot_{M.fmintopNorth} := max \big(M_{fmaxtopNorth} \big$$

 $plot_{M.fmaxbotNorth} = 12302 \cdot kip \cdot ft$

 $plot_{V.EdmaxNorth} = 1053 \cdot kip$

 $plot_{M.fmaxtopNorth} = 8403 \cdot kip \cdot ft$



I. Transformed Section Analysis at Critical Section

The neutral axis depth in the cracked section is governed by the following cubic equation:

$$CUBIC := 0$$

Given

$$x_{cr} := 12.67 \cdot in$$

$$\text{CUBIC} = \frac{a \cdot x_{cr}^{-3}}{3 \cdot h_c} + \frac{B \cdot x_{cr}^{-2}}{2} - n_{mod} \cdot A_s \cdot \left(d_{face2} - x_{cr}\right)$$

$$x_{cr} := Find(x_{cr})$$
 $x_{cr} = 12.67 \cdot in$

Moment of intertia of transformed section after the onset of cracking:

$$I_{CR} := \frac{B \cdot x_{cr}^{3}}{3} + \frac{2 \cdot \left(\frac{x_{cr} \cdot a}{h_{c}}\right) \cdot x_{cr}^{3}}{12} + n_{mod} \cdot A_{s} \cdot \left(d_{face2} - x_{cr}\right)^{2}$$

$$I_{CR} = 73.2 \cdot ft^4$$

J. Compute Concrete and Steel Stresses

Elastic beam theory prediction of minimum compressive stress in concrete:

$$\sigma_{cminNorth}_{qr} \coloneqq max \!\! \left(0psi \, , \! \frac{M_{fminbotNorth}_{qr} \! \cdot \! x_{cr}}{I_{CR}} \right)$$

Elastic beam theory prediction of minimum tensile stress in reinforcement:

$$\sigma_{stminNorth}_{qr} \coloneqq \text{max} \boxed{0psi\,, \frac{n_{mod} \cdot M_{fminbotNorth}_{qr} \cdot \left(d_{face2} - x_{cr}\right)}{I_{CR}}}$$

Elastic beam theory prediction of compressive stress in concrete:

$$\sigma_{cmaxNorth_{qr}} \coloneqq \frac{M_{fmaxbotNorth_{qr}} \cdot x_{cr}}{I_{CR}}$$

Elastic beam theory prediction of tensile stress in reinforcement:

$$\sigma_{stmaxNorth_{qr}} \coloneqq \frac{n_{mod} \cdot M_{fmaxbotNorth_{qr}} \cdot \left(d_{face2} - x_{cr}\right)}{I_{CR}}$$

K. Compute Twisting Moments and Steel Stresses

Map results from unique matrices back to full matrices:

$$b_{effminNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{vmatrix} b_{effNorth}_{qr_{north}} & \text{if } M_{minnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{minnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{vmatrix} \right)$$

$$x_{start_minNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{vmatrix} x_{startNorth}_{qr_{north}} & \text{if } M_{minnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{minnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{vmatrix} \right)$$

$$f_{fminNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} f_{fNorth} & \text{if } M_{minnorth}_{qr} = \text{MUnique}_{north} \\ 0 & \text{if } M_{minnorth}_{qr} \neq \text{MUnique}_{north} \\ \end{array} \right)$$

$$l_{effminNorth}_{qr} := \sum_{\substack{qr_{north} = 0 \\ qr_{north} = 0}} \left(\begin{array}{c} l_{effNorth}_{qr_{north}} & \text{if } M_{minnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{minnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{array} \right)$$

Minimum twisting moment created by transfer of bearing stresses to the pedestal width:

$$M_{twist_min}_{qr} := min \Big(b_{effminNorth}_{qr}, a - x_{start_minNorth}_{qr} \Big) \cdot f_{fminNorth}_{qr} \cdot \frac{\left(\frac{l_{effminNorth}_{qr} - C}{2}\right)^2}{2}$$

Maximum values for plotting:

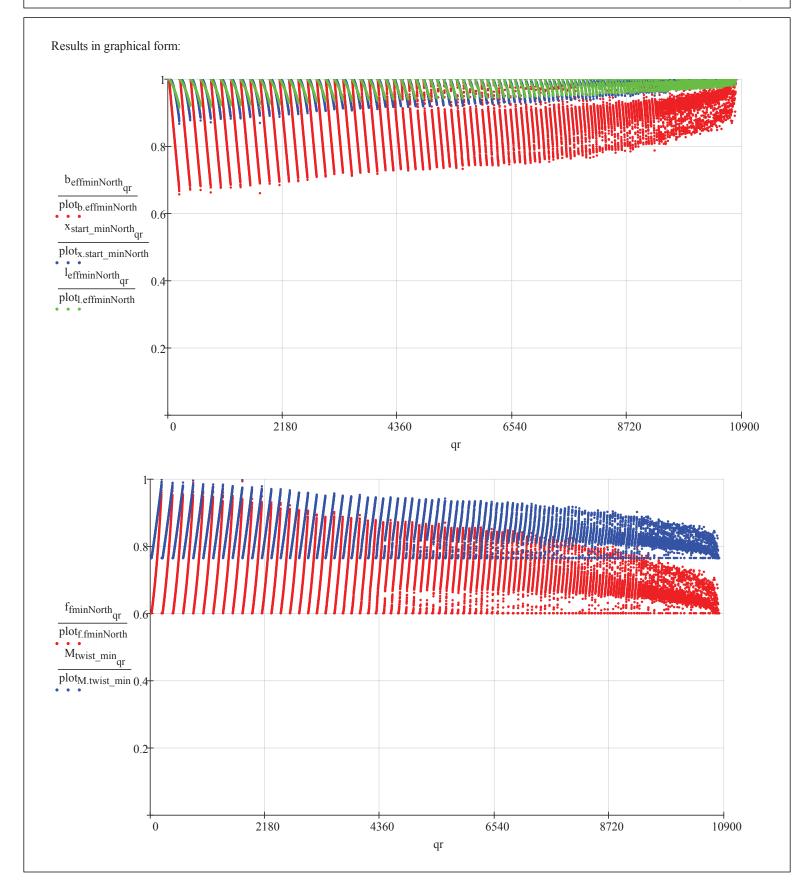
$$plot_{b.effminNorth} := max \big(b_{effminNorth}\big) = 54.5 \, ft$$

$$plot_{x.start_minNorth} := max(x_{start_minNorth}) = 3.5 ft$$

$$plot_{f.fminNorth} := max(f_{fminNorth}) = 1769 \cdot psf$$

$$plot_{l.effminNorth} := max(l_{effminNorth}) = 54.5 ft$$

$$plot_{M.twist_min} := max(M_{twist_min}) = 4555 \cdot kN \cdot m$$



Map results from unique matrices back to full matrices:

$$b_{effmaxNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} b_{effNorth}_{qr_{north}} & \text{if } M_{maxnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{maxnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{array} \right)$$

$$x_{start_maxNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{vmatrix} x_{startNorth}_{qr_{north}} & \text{if } M_{maxnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{maxnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{vmatrix} \right)$$

$$f_{fmaxNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{array}{c} f_{fNorth}_{qr_{north}} \text{ if } M_{maxnorth}_{qr} = \text{MUnique}_{north} \\ 0 \text{ if } M_{maxnorth}_{qr} \neq \text{MUnique}_{north} \end{array} \right)$$

$$l_{effmaxNorth}_{qr} := \sum_{qr_{north} = 0}^{qt_{north}} \left(\begin{vmatrix} l_{effNorth}_{qr_{north}} & \text{if } M_{maxnorth}_{qr} = MUnique_{north}_{qr_{north}} \\ 0 & \text{if } M_{maxnorth}_{qr} \neq MUnique_{north}_{qr_{north}} \end{vmatrix} \right)$$

Maximum twisting moment created by transfer of bearing stresses to the pedestal width:

$$M_{twist_max}{}_{qr} := min \Big(b_{effmaxNorth}{}_{qr}, a - x_{start_maxNorth}{}_{qr} \Big) \cdot f_{fmaxNorth}{}_{qr} \cdot \frac{\left(\frac{l_{effmaxNorth}{}_{qr} - C}{2}\right)^2}{2}$$

Maximum values for plotting:

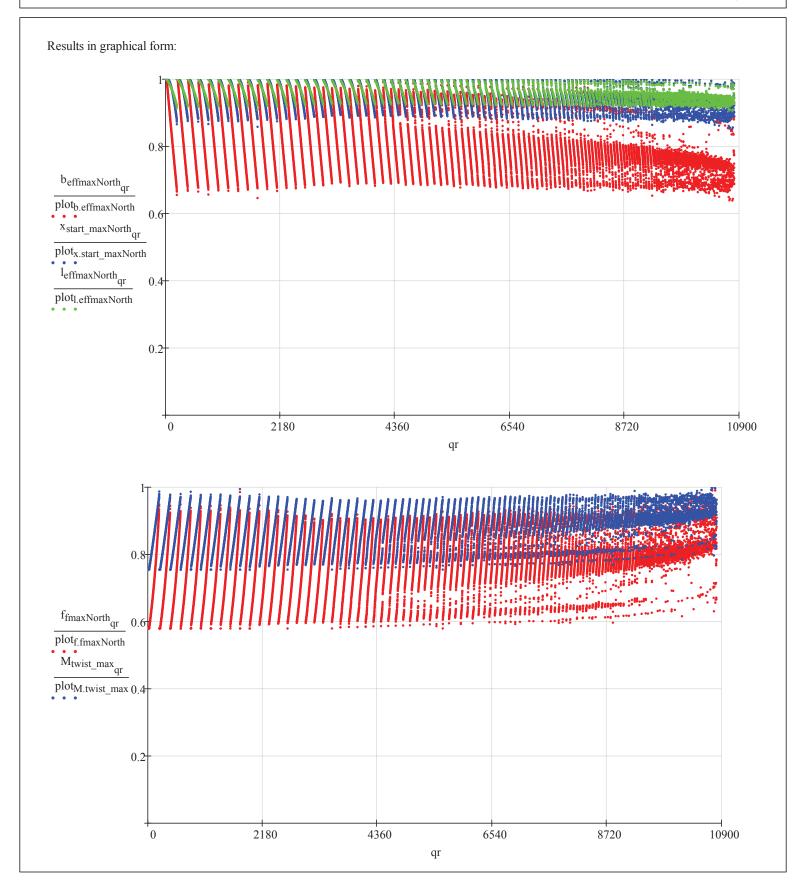
$$plot_{b.effmaxNorth} := max(b_{effmaxNorth}) = 54.5 ft$$

$$plot_{x.start_maxNorth} := max(x_{start_maxNorth}) = 3.5 ft$$

$$plot_{f.fmaxNorth} := max(f_{fmaxNorth}) = 1836 \cdot psf$$

$$plot_{l.effmaxNorth} := max(l_{effmaxNorth}) = 54.5 ft$$

$$plot_{M.twist_max} := max \big(M_{twist_max} \big) = 4620 \cdot kN \cdot m$$



Area of steel available in sloped foundation section to transfer twisting moments:

$$A_{s_twist} := \left(\frac{W_m - \frac{B}{2}}{s_{botm}}\right) \cdot \left(A_{botm}\right) + \left(\frac{\frac{D}{2} - W_m}{s_{boto}}\right) \cdot \left(A_{boto}\right) = 16.3 \cdot in^2$$

Depth to reinforcement at critical section for flat portion of footing:

$$d_{face\ twist} := h_b + h_c - cc_{bot} - di_{botm}$$

$$d_{face_twist} = 61.7 \cdot in$$

The neutral axis depth in the cracked section is governed by the following cubic equation:

QUBIC
$$:= 0$$

$$x_{cr2} := 18.93 \cdot in$$

$$\text{QUBIC} = \frac{2x_{cr2}}{3} \cdot \frac{x_{cr2}}{2} \cdot \frac{x_{cr2} \cdot a}{h_c} - n_{\text{mod}} \cdot A_{s_\text{twist}} \cdot d_{\text{face_twist}}$$

$$x_{cr2} := Find(x_{cr2}) x_{cr2} = 18.93 \cdot in$$

Moment of intertia of transformed section after the onset of cracking:

$$I_{CR_twist} := \frac{\left(x_{cr2} \cdot \frac{a}{h_c}\right) \cdot x_{cr2}^3}{12} + n_{mod} \cdot A_{s_twist} \cdot \left(d_{face_twist} - x_{cr2}\right)^2$$

$$I_{CR twist} = 15.0 \cdot ft^4$$

Elastic beam theory prediction of minimum tensile stress in reinforcement:

$$\sigma_{stmin_twist}_{qr} := max \\ \left[opsi \, , \frac{n_{mod} \cdot M_{twist_min}_{qr} \cdot \left(d_{face_twist} - x_{cr2} \right)}{I_{CR_twist}} \right]$$

Elastic beam theory prediction of tensile stress in reinforcement:

$$\sigma_{stmax_twist}_{qr} \coloneqq \frac{n_{mod} \cdot M_{twist_max}_{qr} \cdot \left(d_{face_twist} - x_{cr2}\right)}{I_{CR_twist}}$$

L. Concrete and Flexural Steel Stress Summary

Results in partial tabular form:

qr =	$\sigma_{\text{cminNorth}} =$	$\sigma_{\text{cmaxNorth}} =$	$\sigma_{\text{stminNorth}} =$	$\sigma_{\text{stmaxNorth}} =$	$\sigma_{\text{stmin_twist}} =$	$\sigma_{\text{stmax_twist}} =$
0	247 psi	247 psi	8310 psi	8310 psi	38154 psi	38154 psi
1	247	247	8310	8310	38154	38154
2	247	247	8310	8310	38154	38154
3	247	247	8310	8310	38154	38154
4	247	247	8310	8310	38154	38154
5	247	247	8310	8310	38154	38154
6	247	247	8310	8310	38154	38154
7	247	247	8310	8310	38154	38154
8	247	247	8310	8310	38154	38154
9	247	247	8310	8310	38154	38154
10	247	247	8310	8310	38154	38154
11	247	247	8310	8310	38154	38154
12	247	247	8310	8310	38154	38154

$$plot_{\sigma.cminNorth} := max \big(\sigma_{cminNorth}\big)$$

$$plot_{\sigma.cmaxNorth} := max(\sigma_{cmaxNorth})$$

$$plot_{\sigma,cminNorth} = 1176 psi$$

$$plot_{\sigma.cmaxNorth} = 1233 \, psi$$

$$plot_{\sigma.stminNorth} := max(\sigma_{stminNorth})$$

$$plot_{\sigma.stmaxNorth} := max(\sigma_{stmaxNorth})$$

$$plot_{\sigma,stminNorth} = 39592 \, psi$$

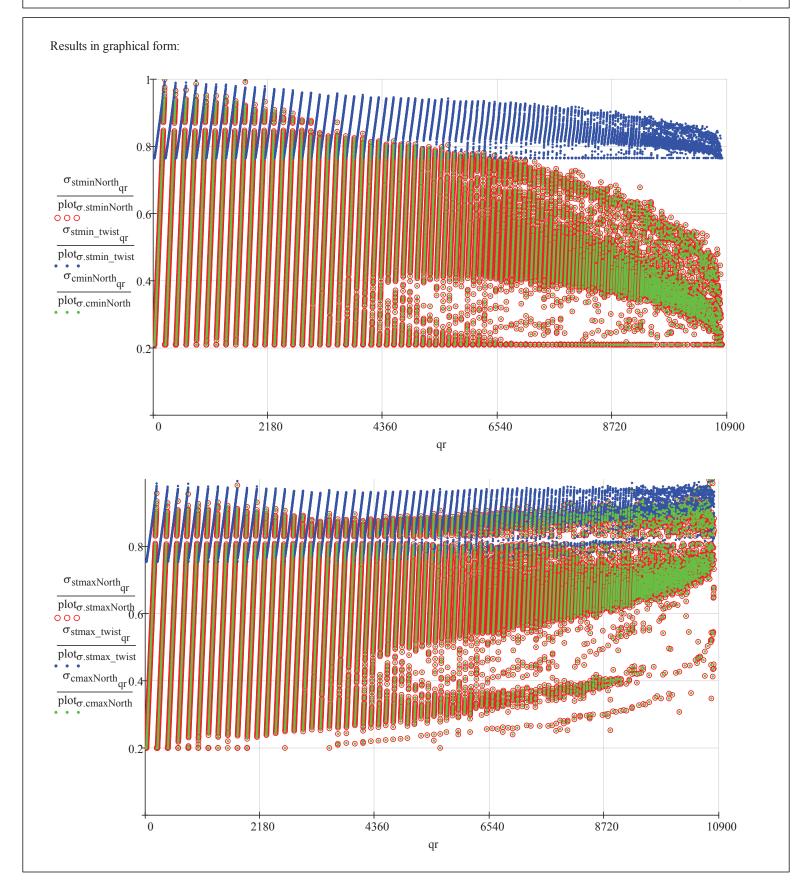
$$plot_{\sigma.stmaxNorth} = 41506 \, psi$$

$$plot_{\sigma.stmin\ twist} := max(\sigma_{stmin\ twist})$$

$$plot_{\sigma.stmax_twist} := max(\sigma_{stmax_twist})$$

$$plot_{\sigma.stmin\ twist} = 49841\,psi$$

$$plot_{\sigma.stmax\ twist} = 50558\,psi$$



M. Check of Fatigue in Concrete due to Compressive Stress

Material Coefficient for $\gamma_{\rm cdnv} := 1.35$ Reinforced Concrete:

Characteristic Compressive

Cycles Allowed:

 $f_{cck} := f_c$ $f_{cck} = 34.5 \cdot MPa$ Cylinder Strength:

 $f_{cck} := I_c$ $f_{cn} := f_{cck} \cdot \left(1 - \frac{f_{cck}}{600 \cdot MPa}\right)$ $f_{cn} = 32.5 \cdot MPa$ Normalized Structural Compressive Strength:

 $f_{cd} := \frac{f_{cn}}{2}$ $f_{cd} = 24.1 \cdot MPa$ Design Concrete Compressive Strength:

Ratio between smallest and largest $\beta := if(x_{cr} > 300mm, 1, 0)$ $\beta = 1.00$ stresses in compression zone:

Amplification factor to for linear stress $\alpha := \max(1.0, 1.3 - 0.3 \cdot \beta)$ $\alpha = 1.00$ distribution in compression zone:

Compressive Strength for $f_{rd} := \alpha \cdot f_{cd}$ $f_{rd} = 24.1 \cdot MPa$ Fatigue Check:

 $C_{1dnv} := 12$ Exposure Factor:

 $C_{5c} := 1.0$ Fatigue Strength Parameter:

> $C_{1dnv} \cdot \frac{\left(1 - \frac{\sigma_{cmaxNorth}_{qr}}{C_{5c} \cdot f_{rd}}\right)}{\left(1 - \frac{\sigma_{cminNorth}_{qr}}{C_{5c} \cdot f_{rd}}\right)}$ $n_{callowNorth_{qr}} := 10$

> > $X_{\text{dnvNorth}_{qr}} := \frac{C_{1\text{dnv}}}{1 - \frac{\sigma_{\text{cminNorth}_{qr}}}{C_{\text{c.e.f.}}} + 0.1 \cdot C_{1\text{dnv}}}$

 $C_{2dnvNorth}{}_{qr} := max \Big[1 + 0.2 \cdot \Big(log \Big(n_{callowNorth}{}_{qr} \Big) - X_{dnvNorth}{}_{qr} \Big) \, , 1.0 \Big]$

 $C_{1dnv} \cdot C_{2dnvNorth}_{qr} \cdot \frac{\left(1 - \frac{\sigma_{cmaxNorth}_{qr}}{C_{5c} \cdot f_{rd}}\right)}{\left(1 - \frac{\sigma_{cminNorth}_{qr}}{C_{5c} \cdot f_{rd}}\right)}$ $n_{callowNorth_{qr}} \coloneqq if \bigg\lfloor log \Big(n_{callowNorth_{qr}} \Big) > X_{dnvNorth_{qr}}, 10$

 $Damage_{North_{qr}} := \frac{N_{fat_{qr}}}{n_{callowNorth_{arr}}}$ Damage:

Accumulated Damage $Damage_{totalNorth} := \sum Damage_{North}$ (Section 6, M108):

if (Damage_{totalNorth} < 1.0, "OK", "NG") = "OK"

 $Damage_{totalNorth} = 0.00$

N. Check of Fatigue in Concrete due to Shear

Concrete Area Resisting Shear: $A_{face} = 155 \text{ ft}^2$

Characteristic Tensile Strength: $f_{tk} := 0.48 \cdot (f_{cck} \cdot MPa)^{0.5}$ $f_{tk} = 2.82 \cdot MPa$

Normalized Tensile Strength: $f_{tn} := f_{tk} \left[1 - \left(\frac{f_{tk}}{25 \cdot \text{MPa}} \right)^{0.6} \right] \qquad \qquad f_{tn} = 2.06 \cdot \text{MPa}$

Design Tensile Strength: $f_{td} := \frac{f_{tn}}{\gamma_{cdny}}$ $f_{td} = 1.52 \cdot MPa$

Design Constants: $k_A := 100 \cdot MPa$

 $d_1 := 1000 \cdot mm$

Anchored Reinforcement on Tensile Side: $A_s = 64 \cdot in^2$

Design Factor: $k_{v} := \min \left(\max \left(1.5 - \frac{d_{face2}}{d_{1}}, 1.0 \right), 1.4 \right) \qquad \qquad k_{v} = 1.00$

 $V_{cd} := min \left[0.3 \cdot \left(f_{td} + \frac{k_A \cdot A_s}{\gamma_{cdnv} \cdot A_{face}} \right) \cdot A_{face} \cdot k_v, 0.6 \cdot f_{td} \cdot A_{face} \cdot k_v \right]$

 $V_{cd} = 1689 \cdot k$

 $\begin{aligned} & \text{Design Shear Strength} \\ & \text{Stated in Terms of Stress:} \end{aligned} \qquad & v_{cd} := \text{min} \Bigg[0.3 \cdot \Bigg(f_{td} + \frac{k_A \cdot A_s}{\gamma_{cdnv} \cdot A_{face}} \Bigg) \cdot k_v, 0.6 \cdot f_{td} \cdot k_v \Bigg] \\ & v_{cd} = 76 \, \text{psi} \end{aligned}$

 $C_{1dnv} \cdot \frac{\left(1 - \frac{V_{EdmaxNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}$

Cycles Allowed: $n_{vcallowNorth}_{qr} := 10$

 $X_{dnvNorth_{qr}} \coloneqq \frac{C_{1dnv}}{1 - \frac{V_{EdminNorth_{qr}}}{C_{5c} \cdot V_{cd}} + 0.1 \cdot C_{1dnv}}$

 $C_{2dnvNorth}{}_{qr} := max \Big[1 + 0.2 \cdot \Big(log \Big(n_{vcallowNorth}{}_{qr} \Big) - X_{dnvNorth}{}_{qr} \Big), 1.0 \Big]$

$$C_{1dnv} \cdot C_{2dnvNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdmaxNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)} \\ n_{vcallowNorth}_{qr} := if \left[log \left(n_{vcallowNorth}_{qr}\right) > X_{dnvNorth}_{qr}, 10\right], \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdmaxNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdmaxNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdmaxNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}, \\ n_{vcallowNorth}_{qr} \cdot \frac{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}{\left(1 - \frac{V_{EdminNorth}_{qr}}{C_{5c} \cdot V_{cd}}\right)}$$

Damage:

$$Damage_{vNorth_{qr}} \coloneqq \frac{N_{fat_{qr}}}{n_{vcallowNorth_{qr}}}$$

Accumulated Damage (Section 6, M108):

$$Damage_{vtotalNorth} \coloneqq \sum Damage_{vNorth}$$

 $Damage_{vtotalNorth} = 0.00$

 $if(Damage_{vtotalNorth} < 1.0, "OK", "NG") = "OK"$

O. Check of Fatigue in Grout Bearing Stress

Material Coefficient for Plain Grout: $\gamma_{\text{gdny}} := 1.35$

Exposure Factor: $C_{1gdnv} := 12$

Fatigue Strength Parameter: $C_{5g} := 0.8$

Characteristic Compressive

Grout Strength: $f_{grtck} := f_{c28}$ $f_{grtck} = 65.5 \cdot MPa$

Normalized Structural Compressive $f_{gn} := f_{grtck} \cdot \left(1 - \frac{f_{grtck}}{600 \cdot MPa}\right)$ $f_{gn} = 58.3 \cdot MPa$

Design Concrete Compressive Grout Strength: $f_{gd} := \frac{f_{gn}}{\gamma_{gdny}}$ $f_{gd} = 43.2 \cdot MPa$

Anchor Bolt Pretension Load: $T_{pre} = 75 \cdot kip$

Flange Outside Diameter: $OD = 4556 \cdot mm$

Flange Inside Diameter: $ID = 4000 \cdot mm$

Number of Bolts: N = 140

Embedment plate hole diameter: $d_{hl} = 1.625 \cdot in$

Bearing area at top of grout: $A_{grt} := \frac{\pi}{4} \cdot \left(OD^2 - ID^2\right) - N \cdot \frac{\pi \cdot d_{hl}^2}{4} \qquad A_{grt} = 5501 \cdot in^2$

Section modulus at top of grout: $S_{grt} := \frac{\pi}{32.0D} (OD^4 - ID^4) \dots$

 $+ - \left[\frac{2}{\text{OD}} \cdot \left[N \cdot \frac{\pi}{64} \cdot d_{hl}^{4} + \frac{\pi}{2} \cdot d_{hl}^{2} \cdot \left[\sum_{\lambda=1}^{\frac{N}{4}} \left[\frac{D_{i}}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^{2} \dots \right] \right] + \left[\frac{D_{o}}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^{2} \right]$

 $S_{grt} = 218440 \cdot in^3$

 $\text{Minimum grout fatigue stress due to wind: } b_{fat_grt_minnorth}_{qr} := \frac{\left(M_{minnorth}_{qr}\right)}{S_{grt}} + \frac{W_{mean}}{A_{grt}} + \frac{T_{pre} \cdot N}{A_{grt}}$

 $\text{Maximum grout fatigue stress due to wind:} \\ b_{\text{fat_grt_maxnorth}_{qr}} := \frac{\left(M_{\text{maxnorth}_{qr}}\right)}{S_{\text{grt}}} + \frac{W_{\text{mean}}}{A_{\text{grt}}} + \frac{T_{\text{pre}} \cdot N}{A_{\text{grt}}}$

Cycles Allowed:

$$C_{1gdnv} \cdot \frac{\left(1 - \frac{b_{fat_grt_maxnorth}_{qr}}{C_{5g} \cdot f_{gd}}\right)}{\left(1 - \frac{b_{fat_grt_maxnorth}_{qr}}{C_{5g} \cdot f_{gd}}\right)}$$

$$n_{brg_grt_allowNorth_{qr}} := 10$$

$$X_{brg_grt_dnvNorth}_{qr} := \frac{C_{1gdnv}}{1 - \frac{b_{fat_grt_minnorth}_{qr}}{C_{5g} \cdot f_{gd}} + 0.1 \cdot C_{1gdnv}}$$

$$C_{2brg_grt_dnvNorth}_{qr} := max \bigg[1 + 0.2 \cdot \left(log \bigg(n_{brg_grt_allowNorth}_{qr} \bigg) - X_{brg_grt_dnvNorth}_{qr} \right), 1.0 \bigg]$$

$$c_{1gdnv} \cdot c_{2brg_grt_dnvNorth} \cdot \underbrace{\left(1 - \frac{b_{fat_grt_maxnorth}_{qr}}{C_{5g} \cdot f_{gd}}\right)}_{c_{1gdnv} \cdot c_{2brg_grt_dnvNorth}_{qr}} \cdot \underbrace{\left(1 - \frac{b_{fat_grt_maxnorth}_{qr}}{C_{5g} \cdot f_{gd}}\right)}_{c_{1gdnv} \cdot c_{2brg_grt_dnvNorth}_{qr}}$$

$$Damage: Damage_{brg_grt_North}_{qr} := \frac{N_{fat}_{qr}}{n_{brg_grt_allowNorth}_{qr}}$$

Accumulated Damage $Damage_{brg_grt_totalNorth} := \sum Damage_{brg_grt_North}$ (Section 6, M108):

 $Damage_{brg_grt_totalNorth} = 0.06$

 $if(Damage_{brg_grt_totalNorth} < 1.0,"OK","NG") = "OK"$

P. Check of Fatigue in Pedestal Bearing Stress

Characteristic Compressive

Cylinder Strength:

$$f_{cckp} := f_{cp}$$

$$f_{cckp} = 34.5 \cdot MPa$$

Normalized Structural

$$f_{\text{cnp}} := f_{\text{cckp}} \cdot \left(1 - \frac{f_{\text{cckp}}}{600 \cdot \text{MPa}} \right)$$

$$f_{cnp} = 32.5 \cdot MPa$$

Design Concrete

Design Concrete
Compressive Strength:
$$f_{cdp} := \frac{f_{cnp}}{\gamma_{cdnv}}$$

$$f_{cdp} = 24.1 \cdot MPa$$

Grout thickness:

$$t_{g_fat} := t_{gr}$$

$$t_{g_fat} = 2.00 \cdot in$$

Bearing area at bottom of grout:

$$A_{1} := \frac{\pi}{4} \cdot \left[\left(OD + t_{g_{\underline{fat}}} \right)^{2} - \left(ID - t_{g_{\underline{fat}}} \right)^{2} \right] - N \cdot \frac{\pi \cdot d_{SDR}^{2}}{4} \quad A_{1} = 6452 \cdot in^{2}$$

Section modulus at bottom of grout:

$$\mathrm{S}_1 := \frac{\pi}{32 \cdot \left(\mathrm{OD} + t_{g_fat}\right)^4} \! \! \left[\left(\mathrm{OD} + t_{g_fat}\right)^4 - \left(\mathrm{ID} - t_{g_fat}\right)^4 \right] \ldots$$

$$+ - \left[\frac{2}{\left(\text{OD} + \text{tg}_{\underline{\text{fat}}} \right)} \cdot \left[\text{N} \cdot \frac{\pi}{64} \cdot \text{d}_{\text{SDR}}^{4} + \frac{\pi}{2} \cdot \text{d}_{\text{SDR}}^{2} \cdot \left[\sum_{\lambda=1}^{\frac{N}{4}} \left[\left[\frac{D_{i}}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^{2} \dots \right] \right] \right] + \left[\frac{D_{o}}{2} \cdot \cos \left[\frac{2 \cdot \pi}{N} \cdot (2 \cdot \lambda - 1) \right] \right]^{2} \dots \right] \right]$$

$$S_1 = 253862 \cdot in^3$$

Minimum fatigue stress due to wind:

$$b_{fatminnorth}{}_{qr} := \frac{\left(M_{minnorth}{}_{qr}\right)}{S_1} + \frac{W_{mean}}{A_1} + \frac{T_{pre}{\cdot}N}{A_1}$$

Maximum fatigue stress due to wind:

$$b_{fatmaxnorth}{}_{qr} := \frac{\left(M_{maxnorth}{}_{qr}\right)}{S_1} + \frac{W_{mean}}{A_1} + \frac{T_{pre} \cdot N}{A_1}$$

Bearing strip (radial) at bottom of grout:

$$A_{strip_1} := \frac{\left(OD + t_{g_fat}\right) - \left(ID - t_{g_fat}\right)}{2}$$

$$A_{\text{strip }1} = 12.9 \cdot \text{in}$$

Angle of bearing within concrete:

$$\alpha_{\rm DNV} := \operatorname{atan}\left(\frac{1}{2}\right)$$

$$\alpha_{\rm DNV} = 26.6 \cdot \deg$$

Critical bearing angle within concrete that defines the pedestal bottom edge:

$$\alpha_{critical} := min \Bigg[atan \Bigg[\frac{C - \left(OD + t_{g_fat}\right)}{2} \\ h_p \Bigg], atan \Bigg(\frac{1}{2} \Bigg) \Bigg] \qquad \alpha_{critical} = 16.1 \cdot deg$$

$$\alpha_{critical} = 16.1 \cdot deg$$

Bearing strip (radial) within concrete at base of pedestal:

$$A_{strip_2} := min \left(A_{strip_1} + 2 \cdot h_p \cdot tan \left(min \left(\alpha_{DNV}, \alpha_{critical} \right) \right), 4 \cdot A_{strip_1}, A_{strip_1} + h_p \right)$$

$$A_{\text{strip }2} = 47.6 \cdot \text{in}$$

Design Bearing Capacity Stated in Terms of Stress:

$$F_{cd} \coloneqq f_{cdp} \cdot min \left[\left(\frac{A_{strip_2}}{A_{strip_1}} \right)^{\frac{1}{3}}, 1.3 \right]$$

Cycles Allowed:

$$C_{1\text{dnv}} \cdot \frac{\left(1 - \frac{b_{\text{fatmaxnorth}}_{qr}}{C_{5c} \cdot F_{cd}}\right)}{\left(1 - \frac{b_{\text{fatminnorth}}_{qr}}{C_{5c} \cdot F_{cd}}\right)}$$
orgallowNorth := 10

$$n_{brgallowNorth_{qr}} := 10$$

$$X_{brgdnvNorth_{qr}} := \frac{C_{1dnv}}{1 - \frac{b_{fatminnorth_{qr}}}{C_{5c} \cdot F_{cd}} + 0.1 \cdot C_{1dnv}}$$

$$C_{2brgdnvNorth}_{qr} := max \Big[1 + 0.2 \cdot \left(log \Big(n_{brgallowNorth}_{qr} \Big) - X_{brgdnvNorth}_{qr} \Big), 1.0 \Big]$$

$$c_{1dnv} \cdot c_{2brgdnvNorth} \cdot \frac{\left(1 - \frac{b_{fatmaxnorth}_{qr}}{C_{5c} \cdot F_{cd}}\right)}{\left(1 - \frac{b_{fatmaxnorth}_{qr}}{C_{5c} \cdot F_{cd}}\right)} \\ n_{brgallowNorth}_{qr} := if \left[log \left(n_{brgallowNorth}_{qr}\right) > X_{brgdnvNorth}_{qr}, 10 \right],$$

Damage:

$$Damage_{brgNorth_{qr}} := \frac{N_{fat_{qr}}}{n_{brgallowNorth_{qr}}}$$

Accumulated Damage (Section 6, M108):

$$Damage_{brgtotalNorth} := \sum Damage_{brgNorth}$$

Q. Check of Fatigue in Pedestal Bursting Reinforcement

 $C_3 := 19.6$ Design factors:

 $C_4 := 6$

Characteristic strength of

reinforcement:

 $f_{skb} := f_{vv}$

 $f_{skb} = 60 \cdot ksi$

Material coefficient for reinforcement:

 $\gamma_{\rm S} := 1.00$

Hoop bar size:

 $Size_{burst} := 5$

Area of radial steel bursting

reinforcement located between loaded

area and distribution area:

 $A_{burst} := (2 \text{vlookup}(\text{Size}_{burst}, \text{ACI_bar_table}, 2))_0 \cdot \text{in}^2 = 0.62 \cdot \text{in}^2$

Bursting load reduction factor:

$$\xi := 1 - \frac{A_{\text{strip}_1}}{A_{\text{strip}_2}}$$

$$\xi = 0.73$$

 $\xi = 0.73$ Section 6, L110

Minimum fatigue force in bursting reinforcement due to wind:

$$F_{\underline{f_minnorth}_{qr}} := \frac{cos \left(90 deg - min \left(\alpha_{DNV}, \alpha_{critical}\right)\right)}{2 \cdot cos \left(min \left(\alpha_{DNV}, \alpha_{critical}\right)\right)} \cdot \left(b_{fatminnorth}_{qr} \cdot \frac{A_1}{\frac{N}{2}}\right) \cdot \xi$$

Maximum fatigue force in bursting reinforcement due to wind:

$$F_{\underline{f_maxnorth}_{qr}} \coloneqq \frac{\cos \left(90 deg - \min \left(\alpha_{DNV}, \alpha_{critical}\right)\right)}{2 \cdot \cos \left(\min \left(\alpha_{DNV}, \alpha_{critical}\right)\right)} \cdot \left(b_{\underline{fatmaxnorth}_{qr}} \cdot \frac{A_1}{\frac{N}{2}}\right) \cdot \xi$$

Check maximum tensile force in steel:

$$CheckForce_{Northmax1} := if \left(max \left(F_{\underline{f}_maxnorth} \right) > \frac{f_{skb} \cdot A_{burst}}{\gamma_s}, "No Good", "Okay" \right) = "Okay"$$

Tensile force range in steel:

$$\Delta F_{fNorth}_{qr} := \max \left[1 \cdot lbf , \left(F_{f_maxnorth}_{qr} - F_{f_minnorth}_{qr} \right) \right]$$

Cycles Allowed:

$$n_{fallowNorth_{qr}} \coloneqq 10^{\left(C_3 - C_4 \cdot log\left(\frac{\Delta F_{fNorth_{qr}}}{A_{burst} \cdot MPa}\right)\right)}$$

 $n_{fallowNorth}{}_{qr} := if \bigg(n_{fallowNorth}{}_{qr} > 2 \cdot 10^8 \,, 10^{307} \,, n_{fallowNorth}{}_{qr} \bigg)$

Damage:

$$Damage_{burstNorth_{qr}} := \frac{N_{fat_{qr}}}{n_{fallowNorth_{qr}}}$$

Accumulated Damage (Section 6, M108):

$$Damage_{bursttotalNorth} := \sum Damage_{burstNorth}$$

 \overline{D} amage_{bursttotalNorth} = 0.01

$$if(Damage_{bursttotalNorth} < 0.5, "OK", "NG") = "OK"$$

R. Check of Fatigue in Bottom Steel due to Tensile Stress - Primary Direction

Design factors: $C_3 = 19.60$

 $C_4 = 6.00$

Tensile stress range in steel: $\Delta \sigma_{stNorth_{qr}} := \max \left[1 \cdot psi, \left(\sigma_{stmaxNorth_{qr}} - \sigma_{stminNorth_{qr}} \right) \right]$

Characteristic strength of

reinforcement:

 $f_{sk} := f_{y}$

Material coefficient for reinforcement: $\gamma_s = 1.00$

Check maximum tensile

stress in steel:

 $\text{CheckStress}_{Northmax2} \coloneqq \text{if} \left(\max \left(\sigma_{stmaxNorth} \right) > \frac{f_{sk}}{\gamma_s}, \text{"No Good"}, \text{"Okay"} \right) = \text{"Okay"}$

 $\text{Cycles Allowed:} \qquad \qquad n_{sallowNorth_{qr}} := 10 \\ \left(C_3 - C_4 \cdot log \left(\frac{\Delta \sigma_{stNorth_{qr}}}{MPa} \right) \right)$

 $n_{sallowNorth}{}_{qr} := if \bigg(n_{sallowNorth}{}_{qr} > \, 2 \cdot 10^8 \,, 10^{307} \,, n_{sallowNorth}{}_{qr} \bigg)$

 $Damage_{sNorth_{qr}} := \frac{N_{fat_{qr}}}{n_{sallowNorth_{qr}}}$

Accumulated Damage (Section 6, M108):

 $Damage_{stotalNorth} := \sum Damage_{sNorth}$

 $Damage_{stotalNorth} = 0.12$

 $if(Damage_{stotalNorth} < 0.5, "OK", "NG") = "OK"$

S. Check of Fatigue in Bottom Steel due to Tensile Stress - Normal Direction

Design factors: $C_3 = 19.60$

 $C_4 = 6.00$

Tensile stress range in steel: $\Delta \sigma_{stNorth_normal}{}_{qr} := max \bigg[1 \cdot psi , \bigg(\sigma_{stmax_twist}{}_{qr} - \sigma_{stmin_twist}{}_{qr} \bigg) \bigg]$

Characteristic strength of

reinforcement:

 $f_{sk} := f_y$

Material coefficient for reinforcement: $\gamma_s = 1.00$

Check maximum tensile

stress in steel:

Cycles Allowed:

 $\mathsf{CheckStress}_{\mathsf{Northmax3}} \coloneqq \mathsf{if}\left(\mathsf{max}\left(\sigma_{\mathsf{stmax_twist}}\right) > \frac{\mathsf{f}_{\mathsf{sk}}}{\gamma_{\mathsf{s}}}, \mathsf{"No}\;\mathsf{Good"}\;, \mathsf{"Okay"}\right) = \mathsf{"Okay"}$

 $n_{sallowNorth}_{qr} := 10 \\ \left(C_3 - C_4 \cdot log \left(\frac{\Delta \sigma_{stNorth_normal}_{qr}}{MPa} \right) \right)$

 $n_{sallowNorth_{qr}} := if \left(n_{sallowNorth_{qr}} > 2 \cdot 10^8, 10^{307}, n_{sallowNorth_{qr}}\right)$

 $Damage_{sNorth_{qr}} := \frac{N_{fat_{qr}}}{n_{sallowNorth_{qr}}}$

Accumulated Damage (Section 6, M108): Damage_{stotalNorth_normal} := \sum Damage_{sNorth}

 $Damage_{stotalNorth_normal} = 0.00$

 $if(Damage_{stotalNorth\ normal} < 0.5, "OK", "NG") = "OK"$

T. Check of Fatigue in Top Steel due to Tensile Stress

Depth to reinforcement at critical section for flat portion of footing:

$$d_{face2} := h_b + h_c - cc_{top} - 1.5di_{topm} - 1in$$

$$d_{face2} = 61.1 \cdot in$$

Depth to reinforcement at critical section for sloped portion of footing:

$$d_{face3} := \frac{d_{edge} + d_{face2}}{2}$$

$$d_{face3} = 56.12 \cdot in$$

The neutral axis depth in the cracked section is governed by the following cubic equation:

Given
$$x_{cr} := 12.47 \cdot in$$

$$\begin{split} \text{CUBIC} &= \frac{w_f \cdot x_{cr}^{-2}}{2} - n_{mod} \cdot \left(\frac{B}{s_{topm}} \cdot A_{topm} \right) \cdot \left(d_{face2} - x_{cr} \right) \, ... \\ &+ -n_{mod} \cdot \left[\frac{\left(w_f - B \right)}{s_{topm}} \cdot A_{topm} \right] \cdot \left(d_{face3} - x_{cr} \right) \end{split}$$

$$x_{cr} := Find(x_{cr})$$
 $x_{cr} = 12.47 \cdot in$

Moment of intertia of transformed section after the onset of cracking:

$$\begin{split} I_{CR} &:= \frac{w_f \cdot x_{cr}^{-3}}{3} + n_{mod} \cdot \left(\frac{B}{s_{topm}} \cdot A_{topm}\right) \cdot \left(d_{face2} - x_{cr}\right)^2 \ ... \\ &+ n_{mod} \cdot \left[\frac{\left(w_f - B\right)}{s_{topm}} \cdot A_{topm}\right] \cdot \left(d_{face3} - x_{cr}\right)^2 \end{split}$$

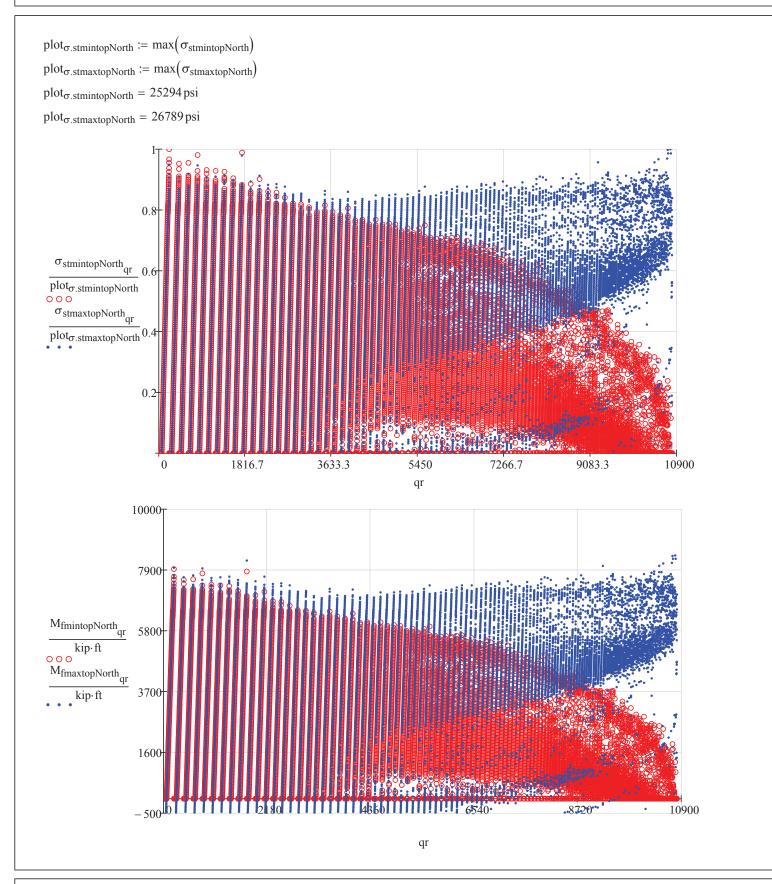
$$I_{CR} = 79.4 \cdot \text{ft}^4$$

Elastic beam theory prediction of minimum tensile stress in reinforcement:

$$\sigma_{stmintopNorth}_{qr} := \frac{n_{mod} \cdot M_{fmintopNorth}_{qr} \cdot \left(d_{face2} - x_{cr}\right)}{I_{CR}}$$

Elastic beam theory prediction of maximum tensile stress in reinforcement:

$$\sigma_{stmaxtopNorth_{qr}} \coloneqq \frac{n_{mod} \cdot M_{fmaxtopNorth_{qr}} \cdot \left(d_{face2} - x_{cr}\right)}{I_{CR}}$$



Design factors: $C_3 = 19.60$

 $C_4 = 6.00$

Tensile stress range in steel: $\Delta \sigma_{\text{sttopNorth}_{qr}} := \max \left[1 \cdot \text{psi}, \left(\sigma_{\text{stmaxtopNorth}_{qr}} - \sigma_{\text{stmintopNorth}_{qr}} \right) \right]$

Characteristic strength of reinforcement:

 $f_{sk} := f_{v}$

Material coefficient for reinforcement:

 $\gamma_s = 1.00$

Check maximum tensile

stress in steel:

 $\overline{\text{CheckStress}_{\text{Northmax4}} := \text{if} \left(\max \left(\sigma_{\text{stmaxtopNorth}} \right) > \frac{f_{sk}}{\gamma_s}, \text{"No Good", "Okay"} \right) = \text{"Okay"}}$

Cycles Allowed:

 $n_{\text{sallowNorth}_{\text{or}}} := 10^{\left(C_3 - C_4 \cdot \log\left(\frac{\Delta \sigma_{\text{sttopNorth}_{\text{qr}}}}{\text{MPa}}\right)\right)}$

 $n_{sallowNorth}{}_{qr} := if \bigg(n_{sallowNorth}{}_{qr} > \, 2 \cdot 10^8 \,, 10^{307} \,, n_{sallowNorth}{}_{qr} \bigg)$

Damage:

 $Damage_{sNorth_{qr}} := \frac{N_{fat_{qr}}}{n_{sallowNorth_{qr}}}$

Accumulated Damage (Section 6, M107):

 $Damage_{stoptotalNorth} \coloneqq \sum Damage_{sNorth}$

 $Damage_{stoptotalNorth} = 0.10$

 $if(Damage_{stoptotalNorth} < 0.5, "OK", "NG") = "OK"$

U. Check Fatigue Tensile Strength of Double Verts

Characteristic strength of reinforcement: $f_{skv} := f_{vv}$ $f_{skv} = 60 \cdot ksi$

Material coefficient for reinforcement: $\gamma_s = 1.00$

Area of reinforcement: $A_r + A_{rH} = 1.79 \cdot in^2$

Number of bars: $n_z = 140$

Inner bolt circle diameter: $D_i = 4130 \cdot mm$

Outer bolt circle diameter: $D_0 = 4426 \cdot mm$

Average bolt circle diameter: $D_{avg} = 4278 \cdot mm$

Minimum fatigue force due to wind: $P_{fat_min_S_{qr}} := \max \left[\text{Opsi}, \left[\frac{4 \cdot \left(M_{minnorth_{qr}} \right)}{n_z \cdot D_{avg}} - \frac{W_{mean} + W_p}{n_z} \right] \right]$

 $\text{Maximum fatigue force due to wind:} \qquad P_{fat_max_S_{qr}} := \left\lceil \frac{4 \cdot \left(M_{maxnorth}_{qr} \right)}{n_z \cdot D_{avg}} - \frac{W_{mean} + W_p}{n_z} \right\rceil$

 $\text{Maximum stress in reinforcement:} \qquad \sigma_{Zmax_{qr}} := \frac{P_{fat_max_S_{qr}}}{A_r + A_{rH}}$

 $\Delta \sigma_{Z_{qr}} := \sigma_{Zmax_{qr}} - \frac{P_{fat_min_S_{qr}}}{A_r + A_{rH}}$ Stress range in reinforcement:

 $\text{Cycles Allowed:} \qquad \qquad n_{Zallow_{qr}} := 10^{\left(C_3 - C_4 \cdot log\left(\frac{max\left(10^{-30}psi\,, \Delta\sigma_{Z_{qr}}\right)}{MPa}\right)\right)}$

 $n_{Zallow_{qr}} \coloneqq if \bigg(n_{Zallow_{qr}} > 2 \cdot 10^8, 10^{307}, n_{Zallow_{qr}} \bigg)$

Accumulated Damage $Damage_{ZTotal} := \sum Damage_{Z}$ (Section 6, M108):

 $\frac{\text{Damage}_{\text{ZTotal}} = 0.25}{\text{f}(\text{Damage}_{\text{ZTotal}} + 1 < 0.5 \text{"OK" "NG"}) - \text{"OK"}}$

 $if(Damage_{ZTotal} < 0.5, "OK", "NG") = "OK"$

XI. Reinforcement Steel Weight and Concrete Volume Estimate

A. Top and Bottom Reinforcement

Number of bottom bars within middle

section:

 $n_{botm}_{n+5} = 27.00$

Number of bars across bottom of

footing at section:

 $n_{bot_{n+5}} = 43.00$

Length of center bar:

$$l_{cl} := \frac{D - 2 {\cdot} cc_{top}}{2}$$

$$l_{cl} = 30.58 \, ft$$

Distance from middle to end of bar for

continuous bars:

$$l_{bot3}{}_{ib} \coloneqq if \Bigg\lceil z_{bot}{}_{ib} > \frac{B}{2}, max \Bigg\lceil \frac{D}{2} - \left(z_{bot}{}_{ib} - \frac{B}{2}\right) - \sqrt{2} \cdot cc_{top}, 0 \Bigg\rceil, max \left(\frac{D}{2} - cc_{top}, 0\right) \Bigg\rceil$$

Distance from middle to end of bar of bar for cut off bars:

$$l_{bot4_{ib}} := max \left(\frac{D}{2} - cd_{bot}, 0 \right)$$

Selection of appropriate bar end distance for bar in question:

$$l_{bot5}{}_{ib} := if \Bigg(ib \cdot s_{botm} - \frac{B}{2} < cd_{bot} \wedge \frac{ib}{2} \neq trunc \Bigg(\frac{ib}{2} \Bigg), l_{bot4}{}_{ib}, l_{bot3}{}_{ib} \Bigg)$$

Weight of bottom steel:

$$WT_{bot} := 2 \cdot \left[2W_{botm} \cdot l_{cl} + 4 \cdot \sum_{mm = 1}^{n_{botm}} \left(W_{botm} \cdot l_{bot5}_{mm} \right) + 4 \cdot \sum_{nn = \left(n_{botm}_{n+5} \right) + 1}^{n_{bot}} \left(W_{boto} \cdot l_{bot5}_{nn} \right) \right]$$

$$WT_{bot} = 13.6 \cdot tonf$$

$$WT_{bot} = 27.10 \cdot kip$$

Number of top bars within middle

section:

$$n_{topm_{n+5}} = 29.00$$

Number of bars across top of footing at

section:

$$n_{top_{n+5}} = 56.00$$

Distance from middle to end of bar for continuous bars:

$$\begin{split} l_{top3_{\dot{1}\dot{t}}} \coloneqq & \left[\text{max} \left[\frac{B}{2} + \sqrt{\left[h_c - \frac{h_c}{a} \cdot \left(z_{top_{\dot{1}\dot{t}}} - \frac{B}{2} \right) \right]^2 \dots} \right., 0 \right] \text{ if } z_{top_{\dot{1}\dot{t}}} > \frac{B}{2} \\ & \left[\sqrt{\left(a - \left(z_{top_{\dot{1}\dot{t}}} - \frac{B}{2} \right) - \sqrt{2} \cdot cc_{top} \right]^2} \right] \\ & \text{max} \left[\frac{B}{2} + \sqrt{\left(a - cc_{top} \right)^2 + h_c^2}, 0 \right] \text{ otherwise} \end{split} \end{split}$$

Distance from middle to end of bar of bar for cut off bars:

$$\begin{aligned} & \text{if } z_{top}_{it} > \frac{B}{2} \\ & \text{max} \left[\frac{B}{2} + \left[h_c - \frac{h_c}{a} \cdot \left(z_{top}_{it} - \frac{B}{2} \right) \right]^2 \dots \\ & \text{+} \left[a - \left(z_{top}_{it} - \frac{B}{2} \right) - \sqrt{2} \cdot cc_{top} \right]^2 \end{aligned} \right] \\ & \text{max} \left[\frac{B}{2} + \sqrt{\left[h_c - \frac{h_c}{a} \cdot \left(z_{top}_{it} - \frac{B}{2} \right) \right] \cdot \frac{a - cd_{top}}{a - \left(z_{top}_{it} - \frac{B}{2} \right) - \sqrt{2} \cdot cc_{top}} \right]^2 + \left(a - cd_{top} \right)^2, 0 \right] \\ & \text{otherwise} \end{aligned}$$

$$& \text{max} \left[\frac{B}{2} + \sqrt{\left(a - cd_{top} \right)^2 + \left[h_c \cdot \frac{\left(a - cd_{top} \right)}{a} \right]^2}, 0 \right] \\ & \text{otherwise} \end{aligned}$$

Selection of appropriate bar end distance for bar in question:

$${l_{top5}}_{it} := if \Bigg(it \cdot s_{topm} - \frac{B}{2} < cd_{top} \wedge \frac{it}{2} \neq trunc \Bigg(\frac{it}{2} \Bigg), {l_{top4}}_{it}, {l_{top3}}_{it} \Bigg)$$

Weight of top steel:

$$WT_{top} := 2 \cdot \left[2W_{topm} \cdot l_{cl} + 4 \cdot \sum_{mm = 1}^{n_{topm}} \left(W_{topm} \cdot l_{top5}_{mm} \right) + 4 \cdot \sum_{nn = \left(n_{topm}_{n+5} \right) + 1}^{n_{top}} \left(W_{topo} \cdot l_{top5}_{nn} \right) \right]$$

$$WT_{top} = 15.5 \cdot tonf$$

$$WT_{top} = 31.08 \cdot kip$$

B. Pedestal Reinforcement

Pedestal rebar size: $Size_{ped} := 6$

Pedestal rebar spacing: $s_{\text{ped}} := 6 \cdot in$

Pedestal rebar diameter: $d_{ped} := vlookup(Size_{ped}, ACI_bar_table, 1)_0 \cdot in = 0.750 \cdot in$

 $W_{ped} := vlookup(Size_{ped}, ACI_bar_table, 3)_{0} \cdot lbf \div ft = 1.502 \cdot \frac{lbf}{\epsilon}$ Weight per foot of pedestal rebar:

Number of bars across top of pedestal on

one half side:

$$n_{ped} := trunc \left(\frac{0.5C - cc_{top}}{s_{ped}} \right)$$

 $n_{ped} = 17.00$

Pedestal bar counter: $ip := 0, 1... n_{ped}$

 $r := \frac{C}{2} - cc_{top}$ Radius of rebar circle: $r = 8.83 \, ft$

Cumulative spacing from centerline to

indiviudal bars:

 $y_{ip} := ip \cdot s_{ped}$

 $l_{\text{ped}_{ip}} := 2r \cdot \cos \left(a \sin \left(\frac{y_{ip}}{r} \right) \right)$ Length of individual bars:

 $WT_{ped} := 2 \cdot \left\lceil l_{ped_0} \cdot W_{ped} + 2 \cdot \left\lceil \sum_{i, j=1}^{n_{ped}} \left(l_{ped_{ij}} \cdot W_{ped} \right) \right\rceil \right\rceil \quad WT_{ped} = 0.74 \cdot tonf$ Total Weight of Pedestal Mat:

C. Hoop Reinforcement

 $Size_{hoop} := 6$ Hoop bar size:

 $n_{\text{hoop}} := -1 + \text{ceil}\left(\frac{h_p}{6 \cdot \text{in}}\right) = 9$ Number of Hoops:

 $d_{hoop} := vlookup(Size_{hoop}, ACI_bar_table, 1)_0 \cdot in = 0.750 \cdot in$ Hoop Bar Diameter:

 $W_{hoop} := vlookup(Size_{hoop}, ACI_bar_table, 3)_0 \cdot lbf \div ft = 1.502 \cdot \frac{lbf}{\Omega}$ Weight per foot of hoop bars:

 $l_{hoop} := (C - 2 \cdot cc_{top} - d_{hoop}) \cdot \pi$ Bar length: $l_{\text{hoop}} = 55.31 \, \text{ft}$

Total Weight of Hoop Reinforcement: $WT_{hoop} = 0.37 \cdot tonf$ $WT_{hoop} := n_{hoop} \cdot l_{hoop} \cdot W_{hoop}$

D. Hat Bar Reinforcement

Bar size: $s_{rH} = 24.00 \cdot in$

Number of hat bars: $n_{hat} := 0.5 \cdot n_z \qquad \qquad n_{hat} = 70.00$

Weight per foot of hat bars: $W_{hat} := vlookup(Size_H, ACI_bar_table, 3)_0 \cdot lbf \div ft = 3.40 \cdot \frac{lbf}{ft}$

 $l_{hH} = 19.00 \cdot in$

Total length of hat bars: $l_{hatbar} := 2 \cdot \left(l_{hH} \right) + 2 \cdot \left(h_e + 5 i n + l_{hH} \right) + s_{rH}$ $l_{hatbar} = 13.67 \, \text{ft}$

Total Weight of hat bar $WT_{hatbar} := W_{hat} \cdot n_{hat} \cdot l_{hatbar}$ $WT_{hatbar} = 1.63 \cdot tonf$

Reinforcement:

E. Pedestal C-bar Reinforcement

C-bar size: Size_{cbars} := 6

Number of c-bars: $n_{cbars} := 0.5 \cdot N$

Weight per foot of c-bars: $W_{cbars} := vlookup(Size_{cbars}, ACI_bar_table, 3)_0 \cdot lbf \div ft = 1.502 \cdot \frac{lbf}{ft}$

Total length of c-bars: $l_{cbars} := 2(12 \cdot in) + (h_p + 12in)$ $l_{cbars} = 8.00 \, ft$

Total Weight of c-bar Reinforcement: $WT_{cbar} := W_{cbars} \cdot n_{cbars} \cdot l_{cbars}$ $WT_{cbar} = 0.42 \cdot tonf$

F. Vertical Reinforcement

Bar size: $Size_{vert} = 8$

Hook length: $l_{\text{vert2}} := l_{\text{h}} = 16.00 \cdot \text{in}$ $l_{\text{h}} = 16.00 \cdot \text{in}$

Vertical Bar Diameter: $d_{vert} := d_r$ $d_{vert} = 1.000 \cdot in$

Number of Vertical Bars: $n_{\text{vert}} := n_z$ $n_{\text{vert}} = 140$

Weight per foot of vertical bars: $W_{\text{vert}} := \text{vlookup}(\text{Size}_{\text{vert}}, \text{ACI_bar_table}, 3)_0 \cdot \text{lbf} \div \text{ft} = 2.67 \cdot \frac{\text{lbf}}{\text{ft}}$

Straight bar length: $l_{vert1} := h_s + h_{pe} - cc_{bot} - cc_{top} - 2 \cdot d_{ped} \dots$ $+ \left(-2 \cdot di_{botm}\right) - d_{vert}$

Total length of vertical rebar: $l_{vert} := l_{vert1} + 2l_{vert2}$ $l_{vert} = 12.33 \, ft$

Total Weight of Vertical Reinforcement: $WT_{vert} := n_{vert} \cdot l_{vert} \cdot W_{vert}$ $WT_{vert} = 2.30 \cdot tonf$

G. Bursting Reinforcement

Bursting bar size: Size_{burst} = 5

Number of burst bars: $n_{burst} := 0.5 \cdot n_z$ $n_{burst} = 70.00$

Total length of burst bars: $l_{burstbar} := 3 \cdot (10 \cdot in) + 2 \cdot 30 \cdot in$ $l_{burstbar} = 7.5 \text{ ft}$

Weight per foot of burst bars: $W_{burst} := vlookup(Size_{burst}, ACI_bar_table, 3)_0 \cdot lbf \div W_{burst} = 1.043 \cdot \frac{lbf}{ft}$

Total Weight of burst bar $WT_{burst} := W_{burst} \cdot n_{burst} \cdot l_{burstbar}$ $WT_{burst} = 0.27 \cdot tonf$

Reinforcement:

H. Total Steel Weight $f_y = 75.00 \cdot ksi$

Total weight of steel in top and bottom: $W_{totTandB} := WT_{bot} + WT_{top}$ $W_{totTandB} = 29.1 \cdot tonf$

Total weight of steel: $W_{tot} := WT_{bot} + WT_{top} + WT_{ped} + WT_{hoop} \dots$ $+ WT_{hatbar} + WT_{cbar} + WT_{vert} + WT_{burst}$ $W_{tot} = 34.8 \cdot tonf$

Grade60 := $(W_{tot}) - W_{totTandB} = 5.7 \cdot tonf$

I. Total Concrete Volume

Total volume of concrete (assuming no

embedments):

$$v_c = 460 \cdot yd^3$$

Unit weight of steel:

$$\gamma_{stl} := 490pcf$$

Total volume of steel reinforcement:

$$V_{tot_rebar} \coloneqq \frac{W_{tot}}{\gamma_{stl}}$$

$$V_{tot_rebar} = 5.3 \cdot yd^3$$

Total volume of steel embedment ring:

$$V_{embed_ring} := t \cdot \left[\frac{\pi}{4} \cdot \left(OD^2 - ID^2 \right) \right]$$

$$V_{embed_ring} = 0.12 \cdot yd^3$$

Total volume of anchor bolts:

$$V_{anchor_bolts} := \left(h_b + h_c + h_p - h_e - t\right) \cdot N \cdot \left(\frac{\pi}{4} \cdot d_{SDR}^{2}\right) \quad V_{anchor_bolts} = 0.83 \cdot yd^3$$

$$V_{anchor_bolts} = 0.83 \cdot yd^3$$

Total volume of concrete (accounting for $v_{c_redux} \coloneqq v_c - V_{tot_rebar} \dots$ embedments):

$$v_{c_redux} := v_c - V_{tot_rebar} \dots + -V_{embed_ring} - V_{anchor_bolts}$$

$$v_{c \text{ redux}} = 454 \cdot \text{yd}^3$$

J. Summary: Shear, Reinforcing, and Fatigue

Aggregate Size: $d_a = 0.75 \cdot in$

CI Shear Ratio at Critical Section:

Top Steel Orthogonal Ratio:

Value at Critical Section

ion Maximum Value of all Bins"

 $Output_{MiddleStripRatioEQ} = 1.47$

< 1.0

 $\gamma_{\rm vW} = 0.40$

< 1.0

< 1.0

< 0.5

ACI Shear Ratio at Critical Section: Output_{ShearCriticalSection1} = 0.38 < 1.0

 $Output_{ShearCriticalSection2} = 0.68$ < 1.0

 $\begin{array}{c}
\text{Check}_{\text{Shear1}} = 0.39 \\
\text{Check}_{\text{Shear2}} = 0.68
\end{array}$

> 0.60

 $\alpha_{\rm DNV} = 26.6 \cdot \deg$

CheckStress_{Northmax5} = "Okay"

Middle Strip Moment Ratios: $Output_{MiddleStripRatioW} = 0.96$

 $Output_{TopSteel} = 0.78$ < 1.0

Top Steel Cutoff Ratio: Output_{TopSteelCutoff} = 0.94

Top Steel 45 Degree Ratio: Output_{TopSteel45} = 0.81 < 1.0

Bottom Steel Orthogonal Ratio: Output_{BottomSteel} = 0.96 < 1.0

Bottom Steel Cutoff Ratio: Output_{BottomSteelCutoff} = 0.85 < 1.0

Bottom Steel 45 Degree Ratio: Output_{BottomSteel45} = 0.95 < 1.0

Two Way Shear Ratio: Output_{TwoWayShear} = 0.42 < 1.0

 $\gamma_{\rm vEQ} = 0.40$

Concrete Compression Fatigue: Damage_{totalNorth} = 0.00

Concrete Shear Fatigue: Damage_{vtotalNorth} = 0.00

Grout Bearing Fatigue: Damage_{brg grt totalNorth} = 0.06 < 1.0

Concrete Bearing Fatigue: Damage_{brgtotalNorth} = 0.01 < 1.0

Bursting Steel Fatigue: $|\text{Damage}_{\text{bursttotalNorth}}| = 0.01 | < 0.5 | A_{\text{burst}}| = 0.62 \cdot \text{in}^2 | |\text{CheckForce}_{\text{Northmax1}}| = "Okay"$

Steel Tension Fatigue (primary): Damage_{stotalNorth} = 0.12 | < 0.5 | CheckStress_{Northmax2} = "Okay"

Steel Tension Fatigue (normal): Damage_{stotalNorth normal} = 0.00 | < 0.5 | CheckStress_{Northmax3} = "Okay"

Steel Tension Fatigue (top): Damage_{stoptotalNorth} = 0.10 < 0.5 CheckStress_{Northmax4} = "Okay"

Total T&B Reinforcement Weight: $W_{totTandB} = 29.1 \cdot tonf$

Total Reinforcement Weight: $W_{tot} = 34.8 \cdot tonf$ $W_{tot} - W_{totTandB} = 5.74 \cdot tonf$

 $Damage_{ZTotal} = 0.25$

Total Concrete Volume: $v_{c redux} = 454 \cdot yd^3$

Number of Bottom Bars in Middle Section: $N_{BotMidBars} = 55$

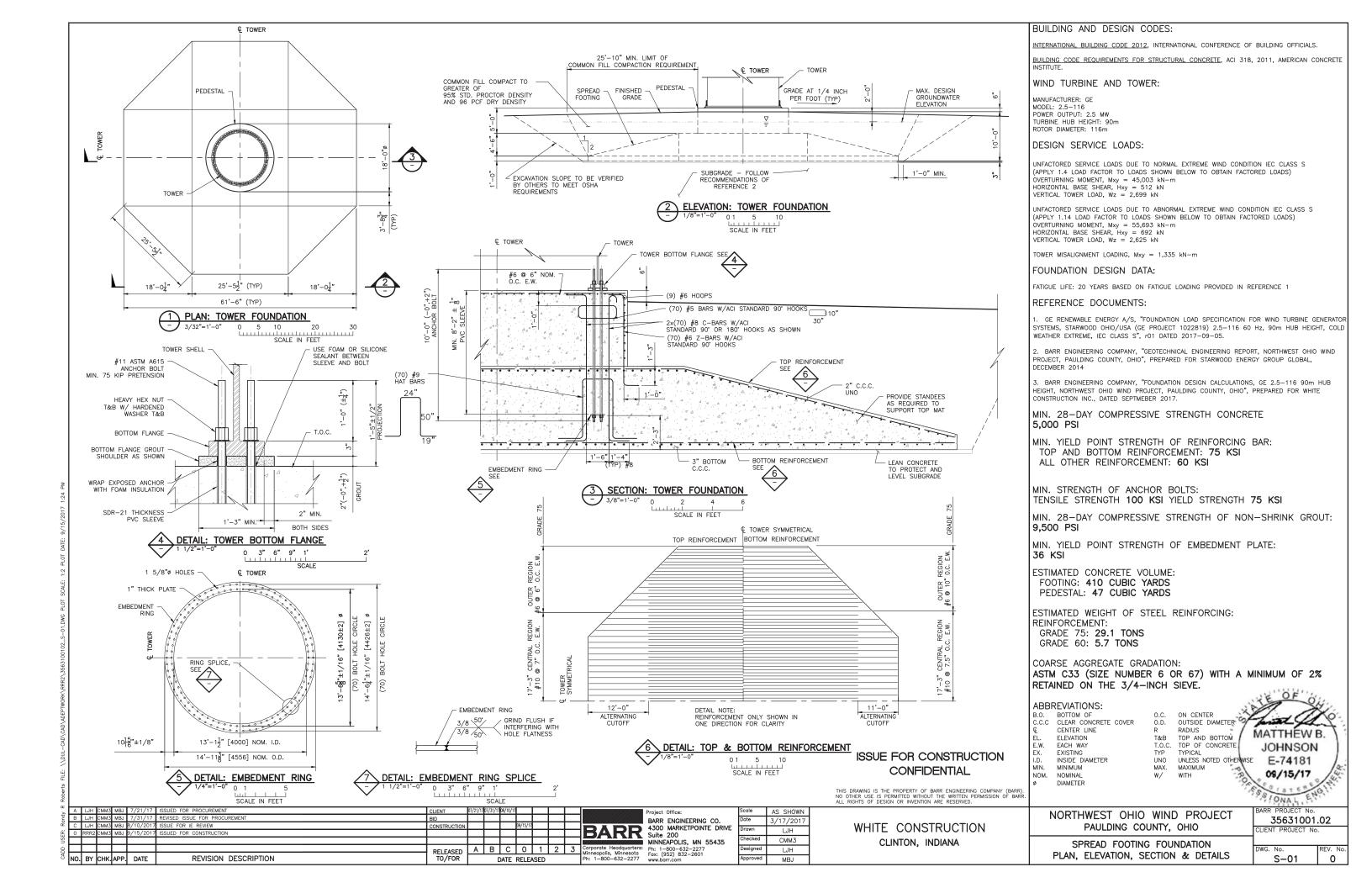
Number of Bottom Bars in Outer Section: $N_{BotOutBars} = 16$

Number of Top Bars in Middle Section: N_{TopMidBars} = 59

Number of Top Bars in Outer Section: $N_{TopOutBars} = 27$

Steel Verts Fatigue:

XII. Foundation Drawings and Specifications



1.0 GENERAL REQUIREMENTS AND SUBMITTALS

GENERAL

- THE REQUIREMENTS SPECIFIED HEREIN APPLY TO THE FOLLOWING DRAWINGS:
- NORTHWEST OHIO WIND PROJECT, DRAWING S-01, SPREAD FOOTING FOUNDATION

SUBMITTALS

- SUBMITTALS SHALL BE MADE A MINIMUM OF ONE WEEK PRIOR TO INCORPORATION INTO THE WORK. THE FOUNDATION ENGINEER (BARR) WILL REVIEW SUBMITTALS, INCLUDING THE TESTING AND INSPECTION RECORDS TO CHECK CONFORMANCE WITH THE DRAWINGS AND SPECIFICATIONS. THE REVIEW DOES NOT RELIEVE THE CONTRACTOR FROM RESPONSIBILITY FOR ERRORS IN CONSTRUCTION OF THE WORK DUE TO ERRORS CONTAINED IN THOSE
- SUBMIT ONE ELECTRONIC COPY OF THE SUBMITTALS SPECIFIED TO THE FOUNDATION ENGINEER AT THE FOLLOWING: BARR ENGINEERING COMPANY

ATTN: MR. CHUCK BEAUZAY [CBEAUZAY@BARR.COM]

- SUBMIT A LIST OF THE TESTING COMPANIES THAT WILL BE UTILIZED ON THE PROJECT FOR PERFORMANCE OF TESTS SPECIFIED.
- SUBMIT NAME AND QUALIFICATIONS OF THE GEOTECHNICAL ENGINEER.
- SUBMIT INFORMATION (TESTING RESULTS, PRODUCT DATA, CONSTRUCTION DETAILS, ETC.) AS LISTED IN THE FOLLOWING SECTIONS: 2.B, 3.B, 4.B, 5.B, AND 6.B.

2.0 EXCAVATION, SUBGRADE PREPARATION, BACKFILL, & COMPACTION

GENERAL

COORDINATE THE EXCAVATION, SUBGRADE PREPARATION, BACKFILL, COMPACTION, AND GRADING ACTIVITIES WITH THE REFERENCED GEOTECHNICAL DOCUMENTS ON DRAWING S-01

SUBMITTALS

- SUBMIT GROUNDWATER AND SURFACE WATER CONTROL PLAN.
- SUBMIT SUBGRADE STRENGTH AND UNIFORMITY VERIFICATION METHOD.
- SUBMIT SUBGRADE INSPECTION REPORT FOR EACH FOUNDATION COMPLETED BY A GEOTECHNICAL ENGINEER
- SUBMIT GRAIN SIZE ANALYSIS PER ASTM D422, NATURAL MOISTURE CONTENT PER ASTM D2216, AND STANDARD PROCTOR MAXIMUM DRY DENSITY PER ASTM D698 FOR COMMON FILL SOIL MATERIALS.
- SUBMIT COMPACTION TEST RESULTS FOR FILL PLACED OVER THE FOUNDATION INDICATING LOCATION OF TEST, DRY DENSITY, AND MOISTURE CONTENT OF PLACED FILL.

- LEAN CONCRETE: CONTAINING ASTM C150. TYPE | OR ASTM C1157. TYPE GU CEMEN COMPRESSIVE STRENGTH AND THICKNESS SHALL BE SUFFICIENT TO SUPPORT REINFORCING STEEL AND ANCHOR BOLT CAGE DURING CONSTRUCTION.
- COMMON FILL: SHALL CONSIST OF SUITABLE UNFROZEN MATERIALS EXCAVATED FROM THE FOUNDATION SITE OR IMPORTED AS NECESSARY. ADDITIONAL CRUSHING AND SCREENING MAY BE REQUIRED TO PROCESS THE MATERIAL TO THE SPECIFIED REQUIREMENTS BELOW. MATERIALS BACKFILLED WITHIN 1 FOOT OF ANY CONCRETE SHALL BE FINE WELL
- GRADED MATERIAL WITH PARTICLE SIZE NO GREATER THAN 3 INCHES. MATERIALS BACKFILLED BEYOND 1 FOOT OF ANY CONCRETE MAY CONSIST OF ALL OTHER EXCAVATED MATERIALS PROVIDED THEY MEET THE DENSITY REQUIREMENTS AND
- CAN BE PLACED USING METHODS THAT WILL PREVENT VOIDS FROM OCCURRING. ENGINEERED FILL: CONTACT FOUNDATION ENGINEER IF NEEDED BASED ON SUBGRADE

CONFIRM LOCATION OF TURBINE COORDINATES IN THE REFERENCED GEOTECHNICAL DOCUMENT ON DRAWING S-01. IF TURBINE COORDINATES ARE OFFSET BY MORE THAN 50 FFFT OBTAIN WRITTEN INSTRUCTIONS FROM THE FOUNDATION ENGINEER AS TO THE MEANS OF ADDITIONAL INVESTIGATION TO BE UNDERTAKEN. OBTAIN WRITTEN CONFIRMATION FROM THE GEOTECHNICAL ENGINEER THAT THE SPECIFIED INVESTIGATION WAS COMPLETED. REMOVE TOPSOIL FROM THE PLAN AREA AND STORE IN AN OWNER DESIGNATED AREA. THE

TOPSOIL SHALL BE USED FOR SITE RESTORATION.

EXCAVATE SOILS OR ROCK TO THE LIMITS INDICATED ON DRAWING S-01 USING TECHNIQUES THAT WILL MINIMIZE DISTURBANCE TO THE SUBGRADE. CONTRACTOR SHALL BE RESPONSIBLE FOR CONTROL OF SURFACE WATER AND/OR GROUNDWATER FLOWS INTO THE EXCAVATION. COMPACTION OF IN-SITU SOILS IS NOT REQUIRED WHERE CLAYEY SOILS ARE PRESENT AT THE EXCAVATION BASE. AT TURBINE SITES WHERE SANDS ARE ENCOUTERED AT THE FOUNDATION BASE ELEVATION, PERFORM SURFACE COMPACTION WITH A MINIMUM OF ONE PASS THROUGHOUT THE EXCAVATION BASE.

IF IN THE COURSE OF EXCAVATING THE FOLINDATION THE BASE OF THE EXCAVATION BECOMES RUTTED, DAMAGED OR IS OTHERWISE DETERMINED TO BE OF INADEQUATE CHARACTER, PERFORM THE FOLLOWING ACTIONS:

a. SILTS OR CLAYS: SUBCUT THE EXCAVATION A MINIMUM OF 6 INCHES BEYOND THE

DEPTH OF THE INADEQUATE SOILS AND REPLACE WITH LEAN CONCRETE OR ENGINEERED FILL. CONTACT FOUNDATION ENGINEER FOR ENGINEERED FILL

GRANULAR SOILS: LEVEL AND SURFACE COMPACT THE EXCAVATION BASE SURFACE COMPACTION OF THIS MATERIAL TO ACHIEVE AT LEAST 98 PERCENT OF THE LABORATORY MAXIMUM DRY DENSITY MEASURED ACCORDING TO THE STANDARD PROCTOR TEST METHOD.

PRIOR TO PLACING PROTECTIVE LEAN CONCRETE SURFACE, HAVE A PROFESSIONAL GEOTECHNICAL ENGINEER (OR A PERSON LINDER THE GEOTECHNICAL ENGINEER'S DIRECT SUPERVISION) INSPECT THE SUBGRADE CONDITIONS AND RECORD THE SOIL TYPE ENCOUNTERED, GROUNDWATER CONDITIONS, OR OTHER SUBSURFACE CONDITIONS. SUBGRADE INSPECTION REPORT SHALL BE PREPARED AND SUBMITTED FOR EACH FOUNDATION THAT INCLUDES THE FOLLOWING:

VERIFICATION THAT OBSERVATIONS TAKEN ARE CONSISTENT WITH THE OBSERVATIONS CONTAINED IN THE REFERENCED GEOTECHNICAL DOCUMENT ON DRAWING S-01.

VERIFICATION THAT SUBGRADE STRENGTH AND UNIFORMITY ARE ADEQUATE (SUBMIT FOR REVIEW THE METHODS TO BE USED TO VERIFY THE SUBGRADE STRENGTH AND UNIFORMITY).

PHOTOS OF PREPARED SUBGRADE.

IF SOIL CONDITIONS ARE ENCOUNTERED THAT ARE NOT CONSISTENT WITH THE REFERENCED GEOTECHNICAL DOCUMENTS (E.G. HALF SOILS AND HALF ROCK) OR IF SUBGRADE UNIFORMITY OR STRENGTH IS INSUFFICIENT, OBTAIN WRITTEN INSTRUCTIONS FROM THE FOUNDATION ENGINEER AS TO THE MEANS OF CORRECTION TO BE UNDERTAKEN. OBTAIN WRITTEN CONFIRMATION FROM THE GEOTECHNICAL ENGINEER THAT THE SPECIFIED CORRECTIVE ACTIONS WERE COMPLETED.

FOR PROTECTION OF THE SUBGRADE AND ESTABLISHMENT OF A WORKING SURFACE, PLACE LEAN CONCRETE FILL AS INDICATED ON DRAWING S-01. IT IS RECOMMENDED THAT THE

LEAN CONCRETE FILL BE PLACED AS LEVEL AS PRACTICAL TO FACILITATE PLACEMENT OF THE REINFORCING STEEL AND EMBEDMENT RING.

BACKFILL AND COMPACTION: PLACE AND COMPACT COMMON FILL MATERIALS TO THE LIMITS. DEPTH AND DRY DENSITY INDICATED ON DRAWING S-01. IN ADDITION TO THE DRY DENSITY REQUIREMENT. BACKFILL MUST BE COMPACTED TO A MINIMUM OF 95% STANDARD PROCTOR PLACE FILL IN MAXIMUM LOOSE LIFTS OF 12 INCHES OR LESS TO ACHIEVE THE SPECIFIED DENSITY ADDITIONAL DRYING OF BACKFILL MATERIAL MAY BE NECESSARY TO ACHIEVE THESE SPECIFICATIONS. BACKFILL MAY BE PLACED WHEN THE FOOTING AND PEDESTAL HAVE REACHED 2 000 PSI

GRADE THE SITE IN ACCORDANCE WITH DRAWING S-01 TO PREVENT WATER FROM PONDING OVER THE FOUNDATION WHILE MAINTAINING AT LEAST THE MINIMUM DEPTH OF FILL SPECIFIED ON THE DRAWINGS. RESTORE THE SITE IN ACCORDANCE WITH OWNER REQUIREMENTS.

TESTING AND INSPECTION

FOR EVERY 2500 CUBIC YARDS OF PLACED COMMON FILL OBTAIN SAMPLES OF COMMON FILL MATERIALS AND PERFORM AND SUBMIT GRAIN SIZE ANALYSIS PER ASTM D422, MOISTURE CONTENT PER ASTM D2216, AND STANDARD PROCTOR MAXIMUM DRY DENSITY PER ASTM D698.

FOR ALL PLACED AND COMPACTED COMMON FILLS AROUND THE FOUNDATION, PERFORM AND SUBMIT ONE DENSITY TEST PER LIFT INDICATING TEST LOCATION, DRY DENSITY AND MOISTURE CONTENT PER ASTM D6938.

PROVIDE A SUBGRADE INSPECTION REPORT TO BE COMPLETED BY A GEOTECHNICAL ENGINEER FOR EACH FOUNDATION.

3.0 CAST-IN-PLACE CONCRETE AND STEEL REINFORCING

CONCRETE WORK SHALL BE IN COMPLIANCE WITH THE FOLLOWING CODES AND SPECIFICATIONS:

ACI 301. STANDARD SPECIFICATIONS FOR STRUCTURAL CONCRETE. ACI 308, STANDARD SPECIFICATION FOR CURING CONCRETE.

ACI 318 (CURRENT EDITION), BUILDING CODE REQUIREMENTS FOR STRUCTURAL CONCRETE

ASTM C94, STANDARD SPECIFICATION FOR READY-MIX CONCRETE.

e. ASTM C172, STANDARD PRACTICE FOR SAMPLING FRESHLY MIXED CONCRETE. CONCRETE SHALL MEET THE REQUIREMENTS OF ACI 318, TABLES 19.3.1.1 AND 19.3.2.1 FOR EXPOSURE CLASSES 'F2', 'S0', 'W0', AND 'C1'.

B. SUBMITTALS

FOR EACH CONCRETE TYPE USED, SUBMIT FOR APPROVAL A MIX DESIGN CERTIFIED BY A PROFESSIONAL ENGINEER (LICENSED IN OHIO) AND MEETING THE MINIMUM SPECIFIED REQUIREMENTS, CONCRETE MIX SHALL BE PROPORTIONED ACCORDING TO THE REQUIREMENTS OF ACI 318, CHAPTER 5 ON THE BASIS OF FIELD DATA OR TRIAL MIXTURES.

SUBMIT PRODUCT DATA FOR ADMIXTURES, POZZOLAN, AND CEMENT USED ON THE PROJECT SUBMIT GRADATION, SOURCE, AND TYPE OF COARSE AND FINE AGGREGATE MEETING THE REQUIREMENTS OF ASTM C33

SUBMIT REINFORCING FABRICATION AND PLACEMENT SHOP DRAWINGS.

SUBMIT MILL REPORTS OF REINFORCING STEEL, CONFIRMING THE GRADE AND STRENGTH OF REINFORCING STEEL PROVIDED ON THE PROJECT. SUBMIT QUALITY CONTROL FIELD TESTS OF AIR CONTENT, SLUMP, AIR TEMPERATURE, AND

CONCRETE TEMPERATURE. SUBMIT CONCRETE CYLINDER STRENGTH TEST RESULTS.

SUBMIT A PLAN FOR HOT AND COLD WEATHER PROTECTION OF CONCRETE IN ACCORDANCE

SUBMIT A PLAN FOR CONCRETE CURING IN ACCORDANCE WITH ACI 308

ASR REQUIREMENTS: IF AGGREGATES CONTAIN POTENTIALLY REACTIVE MATERIALS (AS DETERMINED BY ONE OF THE TEST METHODS OUTLINED IN ASTM C33, APPENDIX X1) SUBMIT TEST RESULTS INDICATING THE POTENTIAL REACTIVITY, SUCH AS THE RESULTS OF TESTING TO ASTM C295, C289, C1293, OR C1260. IF THESE TEST RESULTS INDICATE THE AGGREGATES ARE REACTIVE, SUBMIT AN ASR MITIGATION PLAN, INCLUDING VERIFICATION THAT THE PROPOSED MEASURES WILL SUFFICIENTLY LIMIT ASR TO PREVENT EXCESSIVE EXPANSION. THIS VERIFICATION SHALL CONSIST OF THE RESULTS OF TESTS PERFORMED ACCORDING TO ASTM C1567, AASHTO T303, OR ASTM C1293,

SUBMIT FOR APPROVAL A MASS CONCRETE PLACEMENT AND TEMPERATURE CONTROL PLAN MEETING THE REQUIREMENTS OF ACI 301 CHAPTER 8 AND ACI 207.1R.

REINFORCING BARS: TO ASTM A615, GRADE 60 OR GRADE 75 AS NOTED ON DRAWING S-01, DEFORMED, UNCOATED.

CEMENT: TO ASTM C150, TYPE I, OR ASTM C1157, TYPE GU.

FLY ASH: TO ASTM C618 CLASS C OR F (IF SPECIFIED)

MINIMUM CEMENTITIOUS CONTENT: IN ACCORDANCE WITH APPROVED MIX DESIGN COARSE AND FINE AGGREGATES: TO ASTM C33, GRADATION IN ACCORDANCE WITH SPECIFICATIONS AND APPROVED MIX DESIGN. NOMINAL MAXIMUM AGGREGATE SIZE SHALL BE

AS SHOWN ON DRAWING S-01. ALL AGGREGATES MUST BE NON-REACTIVE WITH CEMENT TO PREVENT ASR. AIR ADMIXTURE AND CONTENT: TO ASTM C260, 6% FOR PEDESTAL ONLY, NO AIR CONTENT REQUIREMENT FOR FOOTING.

OTHER ADMIXTURES: CHLORIDE FREE WATER REDUCING ADMIXTURE AND SUPERPLASTICIZER AS REQUIRED

MAXIMUM WATER CEMENT RATIO: 0.45

28 DAY COMPRESSIVE STRENGTH: 5,000 PSI.
SLUMP: IN ACCORDANCE WITH APPROVED MIX DESIGN AT THE POINT OF DEPOSITION WITH THE ADDITION OF ADMIXTURES.

CONCRETE UNIT WEIGHT: 145 PCF (MINIMUM) TO ASTM C138.

PLACE CONCRETE AND REINFORCING AS SHOWN AND IN ACCORDANCE WITH THE FOLLOWING TOLERANCES

REINFORCING PLAN SPACING: PLUS OR MINUS 2 INCHES. REINFORCING VERTICAL SPACING: PLUS OR MINUS 1 INCH.

FOOTING CLEAR CONCRETE COVER: MINUS 0 INCHES, PLUS 3 INCHES. PEDESTAL CLEAR CONCRETE COVER: MINUS 0 INCHES, PLUS 2 INCHES.

FOOTING PLAN DIMENSIONS: MINUS O INCHES, PLUS 3 INCHES.

FOOTING THICKNESS: MINUS O INCHES, PLUS 3 INCHES, PEDESTAL PLAN DIMENSIONS: MINUS O INCHES, PLUS 2 INCHES.

PEDESTAL HEIGHT: MINUS 1 INCH. PLUS 0 INCHES. PEDESTAL CENTERED TO WITHIN 2 INCHES RELATIVE TO FOOTING

j. Concrete air content: $\pm/-$ 1.5% provide necessary ties, chairs, and standees to secure and support rebar and

DURING PLACEMENT OF CONCRETE. REBAR THAT DEFLECTS BUT RETURNS TO ITS ORIGINAL POSITION IS ACCEPTABLE

REINFORCEMENT SHALL BE FREE OF LOOSE RUST, MILL SCALE, EARTH, ICE, CONCRETE, OR OTHER MATERIALS WHICH COULD PREVENT BONDING TO NEW CONCRETE

SET FORMWORK PER ACI 347 IN ACCORDANCE WITH SPECIFIED DIMENSIONS AND TOLERANCES. PREVENT FORMWORK FROM DEFLECTING GREATER THAN 1 INCH DURING PLACEMENT OF CONCRETE FORMWORK MUST BE REMOVED AFTER CONCRETE WORK IS COMPLETED

PLACE CONCRETE IN ACCORDANCE WITH ACI 318, PLACE SUCCESSIVE LIFTS OF CONCRETE AS QUICKLY AS POSSIBLE TO ENSURE PROPER AMALGAMATION OF CONCRETE BETWEEN SUCCESSIVE LIFTS

CONSOLIDATE CONCRETE IN ACCORDANCE WITH ACI 318 PREVENTING THE FORMATION OF JOINTS, VOIDS, HONEYCOMBING OR SEGREGATION OF AGGREGATE.

ROUGH FINISH TOP OF CONCRETE FOOTING USING A ROLLER SCREED. PRIOR TO PLACING PEDESTAL CONCRETE, CLEAN CONCRETE SURFACE WITH AIR OR WATER TO REMOVE DEBRIS AND OTHER LOOSE MATERIAL FROM TOP OF FOOTING.

TROWEL AND BROOM FINISH TOP OF PEDESTAL CLIRE CONCRETE FOOTING AND PEDESTAL IN ACCORDANCE WITH ACL 318 AND 308. IF A CURING MEMBRANE IS USED, APPLY CURING MEMBRANE AS SOON AS BLEEDING HAS

STOPPED AND FREE WATER HAS DISAPPEARED FROM THE SURFACE.
ALL METAL DEVICES USED TO SUPPORT FORMWORK OR TEMPORARY BRACING THAT ARE EMBEDDED IN THE FOOTING OR PEDESTAL SHALL BE REMOVED TO A DEPTH OF ONE INCH FROM THE SURFACE OF THE CONCRETE AND FILLED WITH GROUT.

12. ALL HOOKS SHOWN ON REBAR SHALL BE STANDARD HOOKS (UNO).

ANY SHRINKAGE CRACKS IN EXCESS OF 0.012 INCHES (0.3mm) IN WIDTH SHALL BE SEALED WITH AN ENGINEER APPROVED PRODUCT.

JOBSITE ADDITION OF WATER TO AIR ENTRAINED CONCRETE IS PROHIBITED.

MONITOR MASS CONCRETE TEMPERATURES IN ACCORDANCE WITH THE MASS CONCRETE TEMPERATURE CONTROL PLAN.

E. TESTING AND INSPECTION

FOR EACH FOOTING PLACED, CAST A MINIMUM OF (2) 6-INCH OR (3) 4-INCH DIAMETER CONCRETE CYLINDERS PER ASTM C31 FOR EVERY 150 CUBIC YARDS, OR FRACTION THEREOF, OF CONCRETE PLACED FOR LABORATORY STRENGTH TESTING PER ASTM C39. PERFORM ONE "STRENGTH TEST" AT 28 DAYS FOR EVERY 150 CUBIC YARDS, OR FRACTION THEREOF, OF CONCRETE PLACED ("STRENGTH TEST" = AVERAGE OF (2) 6-INCH OR (3) 4-INCH CYLINDER BREAKS). FOR EACH FOOTING PLACED, CAST (2) 6-INCH OR (3) 4-INCH ADDITIONAL CONCRETE CYLINDERS PER ASTM C31, AND IF NECESSARY PERFORM ONE "STRENGTH TEST" PER ASTM C39 AT 56 DAYS. CAST ADDITIONAL CYLINDERS AS REQUIRED TO DETERMINE CONCRETE STRENGTH AT OTHER TIMES.

FOR EACH PEDESTAL, CAST A MINIMUM OF (4) 6-INCH OR (6) 4-INCH DIAMETER CONCRETE CYLINDERS PER ASTM C31 FOR LABORATORY STRENGTH TESTING PER ASTM C39. PERFORM ONE "STRENGTH TEST" AT 28 DAYS ("STRENGTH TEST" = AVERAGE OF (2) 6-INCH OR (3) 4-INCH CYLINDER BREAKS) AND IF NECESSARY ONE AT 56 DAYS. CAST ADDITIONAL CYLINDERS AS REQUIRED TO DETERMINE CONCRETE STRENGTH AT OTHER TIMES.

PERFORM A MINIMUM OF ONE AIR TEST PER ASTM C231 AND A MINIMUM OF ONE SLUMP TEST PER ASTM C143 PER SET OF CYLINDERS CAST. RECORD AMBIENT AIR TEMPERATURE AND CONCRETE TEMPERATURE PER ASTM C1064.

PERFORM TESTING AND INSPECTION REQUIRED BY THE MASS CONCRETE TEMPERATURE

4.0 ANCHOR BOLTS AND EMBEDMENT RING

PRODUCTS, SUBMITTALS, EXECUTION, AND TESTING ARE SPECIFIED TO PROVIDE DURABLE ANCHOR BOLTS AND EMBEDMENT PLATES.

SUBMITTALS

SUBMIT PRODUCT DATA AND SHOP DRAWING FOR ANCHORS AND HARDWARE SUBMIT A 12-INCH LONG PRODUCT SAMPLE OF THE ANCHOR COMPLETE WITH WASHER AND

SUBMIT MILL CERTIFICATES FOR ANCHORS INDICATING YIELD AND TENSILE STRENGTH OF **ANCHORS**

SUBMIT MILL CERTIFICATES FOR THE EMBEDMENT RING INDICATING THAT THE MATERIAL MEETS THE MINIMUM STRENGTH REQUIREMENTS. SUBMIT LABORATORY TENSION TESTS OF ANCHOR COMPLETE WITH THREADS

SUBMIT A TENSIONING CALIBRATION PROCEDURE FOR REVIEW, INCLUDING VERIFICATION THAT THE EQUIPMENT PROVIDED AND TENSIONING METHODS USED ARE DELIVERING THE NECESSARY LOCK OFF LOAD.

SUBMIT A TENSIONING PROCEDURE FOR REVIEW. SUBMIT A TENSION TESTING PROCEDURE FOR REVIEW.

SUBMIT TENSION TEST DATA FOR ANCHOR BOLTS THAT ARE TESTED INDICATING BOLT LOCATION AND TENSION VALUE.

SUBMIT EMBEDMENT RING AND TEMPLATE RING SHOP DRAWINGS.

ANCHOR BOLTS: #11 SIZE WITH MATERIAL TO ASTM A615 GRADE 75, WITH COLD ROLLED THREADS A MINIMUM YIELD STRENGTH OF 75 KSL A MINIMUM TENSILE STRENGTH OF 100 KSI, A MAXIMUM THREAD DIAMETER OF 1.50 INCHES, AND A MINIMUM NET AREA OF 1.56 SQUARE INCHES.

ANCHOR BOLT SLEEVES: TO ANCHOR BOLT MANUFACTURER'S REQUIREMENTS.

EMBEDMENT RING: TO ASTM A36, PLAIN FINISH, NEW MATERIAL (NO REUSED TEMPLATES). HEAVY HEX NUTS: TO ANCHOR BOLT MANUFACTURER'S SPECIFICATIONS. NUTS SHALL BE CAPABLE OF DEVELOPING THE MINIMUM TENSILE STRENGTH OF THE ANCHOR

HARDENED STEEL WASHERS: TO ASTM F436, PLAIN FINISH.

THE FOLLOWING TOLERANCES SHALL BE ADHERED TO FOR PLACEMENT OF ANCHOR BOLTS: ANCHOR BOLT PLAN LOCATION - PLUS OR MINUS 1/16 INCH.

ANCHOR BOLT PLUMBNESS - LESS THAN 1/4 DEGREE TEMPLATE AND EMBEDMENT RING PLAN DIMENSION - PLUS OR MINUS 1/16 INCH.

EMBEDMENT RING LEVEL - PLUS OR MINUS 1/4 INCH.

EMBEDMENT RING ELEVATION - PLUS OR MINUS 1/2 INCH

THE BOTTOM OF THE ANCHOR BOLT SHALL EXTEND BEYOND THE BOTTOM NUT BY A MINIMUM OF 1/2 INCH.

USE A TEMPLATE RING TO SET ANCHOR BOLT PLUMBNESS AND POSITION. ENSURE TEMPLATE RING IS SET IN ACCORDANCE WITH THE SPECIFIED CONSTRUCTION TOLERANCES. PLACE AND LEVEL THE EMBEDMENT RING IN ACCORDANCE WITH THE SPECIFIED TOLERANCES. ENSURE THE EMBEDMENT RING IS PROPERLY ANCHORED TO PREVENT MOVEMENT. IT IS

ACCEPTABLE TO WELD SUPPLEMENTAL STEEL BRACING TO THE EMBEDMENT RING OR TEMPLATE RING TO PREVENT MOVEMENT NONE 3/17/2017

AFTER PLACEMENT OF CONCRETE PEDESTAL, PREVENT WATER FROM ENTERING THE SLEEVE ANNULUS FROM THE TOP SURFACE PRIOR TO SETTING OF TOWER AND GROUTING OF

BASEPLATE. AFTER SETTING AND GROUTING OF THE LOWER TOWER SECTION(S) AND AFTER THE CONCRETE AND GROUT HAS ACHIEVED THE REQUIRED STRENGTH GIVEN IN SECTION 7.0, USE AN APPROVED TENSIONING PROCEDURE TO APPLY A LOCK-OFF FORCE TO EACH ANCHOR BOLT WHICH IS NO GREATER THAN 8 KIPS MORE THAN THE SPECIFIED TENSION FORCE. THI LOCK-OFF FORCE SELECTED BY THE CONTRACTOR SHOULD ACCOUNT FOR TENSION LOSSES DUE TO THE TENSIONING PROCEDURE TO ENSURE THE SPECIFIED TENSION TEST VALUE IS ACHIEVED, THE TENSIONING EQUIPMENT FOR THE ANCHOR BOLTS SHOULD BE CALIBRATED II ACCORDANCE WITH THE APPROVED PROCEDURE ON A REGULAR BASIS TO ENSURE REQUIRED TENSIONS ARE ACHIEVED.

TESTING AND INSPECTION

SUBMIT 3 LABORATORY TENSION TESTS FOR ANCHOR BOLTS FOR EACH HEAT NUMBER FURNISHED, COMPLETE WITH THREADS, PERFORMED BY AN INDEPENDENT TESTING LABORATORY, PERFORM TEST IN ACCORDANCE WITH ASTM A370, AND REPORT YIELD STRESS AND TENSILE STRESS

AFTER ALL BOLTS HAVE BEEN TENSIONED, A MINIMUM OF 10% OF THE TOTAL BOLTS INSTALLED PER FOUNDATION SHALL BE RANDOMLY TESTED TO VERIFY THAT THE SPECIFIED TENSION LOAD HAS BEEN ACHIEVED BY LISE OF AN APPROVED TENSION TESTING PROCEDURE. IF ANY OF THE BOLTS DO NOT MEET THE REQUIRED TENSION TEST VALUE, THEN ALL BOLTS OF THE TOWER MUST BE RETENSIONED AND THE TENSION TEST MUST BE REPEATED. REPEAT THE PROCEDURE UNTIL ALL THE TENSION TESTS PASS.

5.0 TOWER BASE GROUT

A. GENERAL

COORDINATE GROUTING PROCEDURES WITH THE REQUIREMENTS OF THE TOWER MANUFACTURER.

B. SUBMITTALS

SUBMIT MANUFACTURER'S GROUT PRODUCT DATA AND MANUFACTURER'S APPROVED MIXING, PLACING AND CURING INSTRUCTIONS FOR GROUT TO BE PLACED.

SUBMIT GROUT CUBE STRENGTH TEST RESULTS.

SUBMIT CONTRACTOR'S TOWER BASE SETTING/GROUTING PLAN

PRODUCTS

EPOXY NON-SHRINK GROUT: PREPACKAGED EPOXY GROUT WITH A MINIMUM COMPRESSIVE STRENGTH AFTER 28 DAYS ACCORDING TO ASTM C579 AS SHOWN ON DRAWING S-01 AND A MAXIMUM COEFFICIENT OF THERMAL EXPANSION OF 30 X 10-6 IN/IN/F IN ACCORDANCE WITH ASTM C531

CEMENTITIOUS NON-SHRINK GROUT: PREPACKAGED GROUT CONFORMING TO ASTM C1107. WITH A MINIMUM COMPRESSIVE STRENGTH AFTER 28 DAYS ACCORDING TO ASTM C109, AS SHOWN ON DRAWING S-01.

D. EXECUTION

MIX, PLACE, AND CURE GROUT IN ACCORDANCE WITH APPROVED MANUFACTURER'S INSTRUCTIONS FOR CEMENT GROUTS, PROVIDE GROUT SHOULDERS IN ACCORDANCE WITH DRAWING DETAILS

DO NOT ALLOW GROUT TO BE PLACED AGAINST THE SIDE OF THE TOWER FLANGE. FOR EPOXY GROUTS, POUR GROUT ACCORDING TO THE MANUFACTURER'S RECOMMENDATIONS IF GROUT IS PLACED UP THE SIDE OF THE TOWER FLANGE, PROVIDE A 1/4 INCH EXPANSION JOINT BETWEEN THE TOWER FLANGE AND THE GROUT, AND SEAL EXPANSION

JOINT WITH AN APPROVED SEALANT. ONCE GROUT CUBES ARE MOLDED IN THE FIELD THEY SHALL REMAIN UNDISTURBED AND PROTECTED FROM EXTREMES IN TEMPERATURE AND VIBRATION AT THE PROJECT SITE FOR AT LEAST 18 HOURS.

CAST MINIMUM OF 9 GROUT CUBES FOR FACH FOUNDATION PERFORM TWO LABORATORY "GROUT STRENGTH TESTS" PER ASTM C109 AT 28 DAYS ("GROUT STRENGTH TEST" = AVERAGE OF THREE CUBE BREAKS) AND IF NECESSARY ONE AT A LATER DATE. CAST ADDITIONAL GROUT CUBES AS REQUIRED TO DETERMINE STRENGTH AT OTHER TIMES.

6.0 MISCELLANEOUS CONCRETE EMBEDMENTS

A. GENERAL

COORDINATE THE LOCATION AND PLACEMENT OF GROUNDING GRIDS, CONTROL CONDUIT AND FLECTRICAL CONDUIT SUBMITTALS

SUBMIT CONDUIT PLACEMENT DETAILS TO THE FOUNDATION ENGINEER FOR APPROVAL SHOWING DISTANCE FROM TOP OF PEDESTAL TO TOP CONDUIT PENETRATION (THROUGH SIDE OF PEDESTAL).

PRODUCTS NO ITEMS

EXECUTION VERIFY THE LOCATION OF MISCELLANEOUS CONCRETE EMBEDMENTS AND CONDUIT SO AS NOT TO INTERFERE WITH THE FOUNDATION'S STRUCTURAL REINFORCING STEEL.

ENSURE THAT MISCELLANEOUS EMBEDMENTS ARE PROPERLY SECURED TO PREVENT MOVEMENT DURING CONCRETE PLACEMENT.

TOP OF CONDUIT MUST BE A MINIMUM OF 24 INCHES BELOW TOP OF PEDESTAL.

7.0 TOWER ERECTION AND ANCHOR TENSIONING REQUIREMENTS

A. GENERAL TOWER SECTIONS MAY BE ERECTED, LEVELED AND GROUTED IN ACCORDANCE WITH SUBMITTAL 5.B.3 ABOVE.

ANCHORS MAY BE TENSIONED WHEN: a. THE CONCRETE STRENGTH OF THE FOOTING AND PEDESTAL HAS REACHED 5,000 PSI. THE GROUT STRENGTH HAS REACHED 5,000 PSI.

THE NACELLE AND BLADES MAY BE ERECTED WHEN: THE CONCRETE STRENGTH OF THE FOOTING AND PEDESTAL HAS REACHED THE SPECIFIED 28 DAY STRENGTH

THE GROUT STRENGTH HAS REACHED THE SPECIFIED 9 28 DAY STRENGTH. UPON COMPLETION OF THE ANCHOR BOLT

TENSIONING AND TESTING AS FOUND IN SECTION 4.E.2 VERIFYING THAT THE REQUIRED TENSION VALUE HAS BEEN ACHIEVED. ISSUE FOR CONSTRUCTION

CONFIDENTIAL

NORTHWEST OHIO WIND PROJECT

PAULDING COUNTY, OHIO

SPREAD FOOTING FOUNDATION TECHNICAL SPECIFICATIONS AND SUBMITTALS

SSS IONAL 35631001.02 CLIENT PROJECT No

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BARR 4300 MAR Suite 200

BARR ENGINEERING CO. 4300 MARKETPOINTE DRIVE MINNEAPOLIS, MN 55435 Ph: 1-800-632-2277 Fax: (952) 832-2601

KLT СММЗ CPB

WHITE CONSTRUCTION CLINTON, INDIANA

XIII. GE Reference

Foundation Load Specification for Wind Turbine Generator Systems

Starwood
Ohio / USA
(GE Project 1022819)
2.5-116
60 Hz



90m Hub Height Cold Weather Extreme IEC Class S



GE Renewable Energy

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REVISION HISTORY

Rev	Release Date	Affected Pages	Change
01	2017-09-05	All	Initial Issue - Issued "For Construction"



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1 Loads for Foundation Design

The following loads include inertia, mass and aerodynamic forces acting on the rotor and hub. They also include forces caused by accelerations or other dynamic reactions. Partial safety factors for the loads have been applied. All additional safety factors (e.g. on materials, uncertainty of calculation method, etc.) have to be applied according to the regulations. The loads in this document for the foundation design are calculated with a full dynamic simulation program called Flex 5. The loads are given in the coordinate system shown in Figure 1. The extreme loads for the hub height of 90m are given at a height h= 0.745m above the grade elevation from which the nominal hub height is defined. The loads have to be extrapolated to the elevation of the foundation under design consideration.

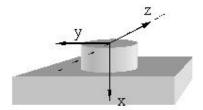


Figure 1: Coordinate System

All loads are shown with and without partial safety factors in the tables and they are directly ready for use in the foundation engineer's calculations. In addition, imperfections due to a misalignment of the tower of 8 mm/m have to be considered as per Section 3.0.

1.1 Extreme Loads

The following tables show controlling load cases (with and without partial safety factors), with all of the conditions that comprise the load case occurring simultaneously. The foundation has to be designed according to the specific country regulations. The proper final design values of partial safety factors for material properties and country specific minimum partial safety factors on loads must also be applied to these loads.

 $\gamma_{\rm F}$ = partial safety factor for load factor design as required per International Electrotechnical Commission (IEC).

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ [-]
DLC 7.1	2905.8	54.9	323.2	-3000.8	19611.8	-3488.8	327.8	19919.3	1.00
DLC 6.2	2634.4	-695.0	-57.1	-1833.3	-9013.7	54820.8	697.3	55558.4	1.00
DLC 2.2	2674.9	-4.6	595.5	-549.9	50244.9	1527.4	595.5	50268.0	1.00
DLC 2.2	2716.2	-260.5	354.8	-6454.6	29724.2	24683.0	440.2	38636.9	1.00
DLC 2.3	2681.1	-30.9	582.1	-15.9	50701.5	4187.4	582.9	50874.6	1.00
DLC 6.2	2624.6	-690.9	29.8	-2225.6	-3074.7	55608.0	691.6	55692.7	1.00
DLC 6.2	2634.4	-695.0	-57.1	-1833.3	-9013.7	54820.8	697.3	55558.4	1.00
DLC 6.2	2624.6	-690.9	29.8	-2225.6	-3074.7	55608.0	691.6	55692.7	1.00

Table 1: Extreme loads; excluding partial safety factor

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ [-]
DLC 2.1	3781.7	-166.5	203.9	-4941.4	10842.9	14600.7	263.2	18186.5	1.35
DLC 6.2	2897.9	-764.5	-62.8	-2016.7	-9915.1	60302.9	767.1	61112.5	1.10
DLC 1.3	3618.9	-31.8	741.7	-436.8	57446.8	5575.0	742.4	57716.7	1.35
DLC 2.2	2987.8	-286.5	390.3	-7100.1	32696.7	27151.3	484.2	42500.2	1.10
DLC 1.3	3643.4	-55.8	689.4	-375.3	60454.9	6017.5	691.7	60753.7	1.35
DLC 6.2	2887.1	-760.0	32.7	-2448.2	-3382.2	61168.8	760.7	61262.32	1.10
DLC 6.2	2897.9	-764.5	-62.8	-2016.7	-9915.1	60302.9	767.1	61112.5	1.10
DLC 6.2	2887.1	-760.0	32.7	-2448.2	-3382.2	61168.8	760.7	61262.32	1.10

Table 2: Extreme loads; including partial safety factor

1.2 Load Case for Check against Lift-off

To ensure proper foundation stiffness during operation, the foundation is not allowed to lift-off of the subsoil for the following loads. These loads are provided at the tower base T-flange and the check has to be done with the loads extrapolated to the foundation bottom.

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ _F [-]
DLC 1.0	2708.7	28.6	409.6	912.0	35094.1	5202.5	410.6	35477.7	1.00

Table 3: Load cases for check against foundation lift-off

1.3 Load Case for Check against Overturning

To ensure the stability of the foundation, the foundation is only allowed to lift-off up to its centerline for the following load cases. These loads are provided at the tower base T-flange and the check has to be done with the loads extrapolated to the foundation bottom.

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ _F [-]
DLC 6.2	2624.6	-690.9	29.8	-2225.6	-3074.7	55608.0	691.6	55692.7	1.00

Table 4: Load case for check against overturning

1.4 Load Case for Check against Sliding

To ensure the stability of the foundation, the foundation is not allowed to slide for the following load cases. These loads are provided at the tower base T- flange and the check has to be done with the loads extrapolated to the foundation bottom.

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ _F [-]
DLC 2.2	2716.2	-260.5	354.8	-6454.6	29724.2	24683.0	440.2	38636.9	1.00
DLC 6.2	2634.4	-695.0	-57.1	-1833.3	-9013.7	54820.8	697.3	55558.4	1.00

Table 5: Load case for check against sliding

1.5 Load Case for Check against Shear Failure

To ensure the stability of the foundation, the foundation has to be checked of shear failure for the soil specified in the geotechnical report. These loads are provided at the tower base T-flange and the check has to be done with the loads extrapolated to the foundation bottom.

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ _F [-]
DLC 6.2	2887.1	-760.0	32.7	-2448.2	-3382.2	61168.8	760.7	61262.32	1.10

Table 6: Load case for check against shear failure

1.6 Load Case for Check against Pile Tension

No tension loading is allowed in the piles for the following load combination, unless dynamic and fatigue loading is explicitly considered in the design of the piles, including all dynamic soil-pile interaction effects. These loads are provided at the tower base T-flange:

Load case	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	Fr [kN]	Mr [kNm]	γ _F [-]
DLC 1.3	2722.6	74.0	456.5	1712.3	38372.2	9178.0	462.4	39454.6	1.00

Table 7: Load cases for check against pile tension loading

1.7 Earthquake Loads

Site specific seismic loads at the base of the tower structure can be provided by GE upon request. The request should include the applicable code, and the site specific seismic parameters (e.g., design peak ground acceleration (PGA) or equivalent as per the code, soil type, etc.). Given the level of seismicity at the site of the Starwood wind farm project, seismic loads are expected to not govern the design of the foundation at this site.

1.8 Fatigue Loads

The fatigue loads that result from the operation of the turbine are given as load spectra at the tower base T-flange. The partial safety factor on loads included in the fatigue spectra is 1.0. The combined safety factors (including partial safety factors on loads and material) on these loads to be used are:

- Fatigue check of concrete according to CEB-FIB Model Code 1990:
 - $\circ \qquad \gamma_{\text{F}} \cdot \gamma_{\text{Sd}} \cdot \gamma_{\text{C}} = 1.65.$
- Fatigue check of reinforcement bars acc. to CEB-FIB Model Code 1990:
 - $\circ \qquad \gamma_{\text{F}} \cdot \gamma_{\text{Sd}} \cdot \gamma_{\text{C}} = \textbf{1.265}.$
- Fatigue check of embedded steel parts acc. to Eurocode 3 and IEC 61400:
 - $\circ \qquad \gamma_{\mathsf{F}} \cdot \gamma_{\mathsf{M}} = \mathbf{1.265}.$
- Fatigue check of embedded steel parts acc. to Eurocode 3 and DIBt-Guidelines:
 - $\circ \qquad \gamma_{\mathsf{F}} \cdot \gamma_{\mathsf{M}} = \mathbf{1.25}.$

1.9 Load Spectra Procedure with a Constant Mean Value

The load spectra are provided separately in the following document. The unit of force is kN and the unit of moment is kNm for the values provided in the file.

Filename: Load_Spectra_1022819_Starwood_2.5-116_90mHH_r01.xlsx

Mean loads at rated wind speed (constant for all load cycles)

Load at Tower Base	Fx [kN]	Fy [kN]	Fz [kN]	Mx [kNm]	My [kNm]	Mz [kNm]	γ _F [-]
	2689.0	-5.3	344.1	79.3	30130.0	2445.0	1.00

Table 8: Mean loads at rated wind speed (for use with the fatigue load spectra files

1.10 Markov Matrices Procedure

The Markov Matrices files are provided separately in the following document. The unit of force is kN and the unit of moment is kNm for the values provided in the file.

Filename: Markov_Matrices_1022819_Starwood_2.5-116_90mHH_r01.xlsx

Loads at Tower Base My [kNm]		Mx [kNm]	Fz [kN]	Fx [kN]	
	MY_0405	MX_0404	FZ_0403	FX_0401	

Table 9: Fatigue loads (Markov Matrices)

2 Dynamic Stiffness of the Foundation

The minimum values for the dynamic foundation stiffness that have to be achieved are:

$$k_{o,min} = 5.0 \cdot 10^7 \text{ kNm/rad}; \quad k_{yz,min} = 1.0 \cdot 10^6 \text{ kN/m}$$

The minimum value for the static foundation stiffness that has to be achieved is 1/5 of the dynamic stiffness:

$$k_{\omega,\text{stat,min}} = 1.0 \cdot 10^7 \text{ kNm/rad}$$

These values are for spread (raft) type foundations or mat plus deep piling type systems only. For the special case of short pole type foundations consult GE for the specific stiffness requirements. Short pole type foundation means drilled single shaft, monopile, caisson, bored piles or the proprietary design-"Patrick and Henderson Foundation" systems.

3 Maximum Allowed Inclination for Additional Load Consideration

Maximum allowed inclination caused by non-uniform settlement of the foundation, inaccurateness of installation, and tower axis misalignment:

- Uneven settlement due to non uniform soil properties across the foundation: 3mm/m (0.17°)
- Inaccurate installation: 3mm/m (0.17°)
- Tower axis misalignment due to solar irradiation: 2mm/m(0.11°)

To account for the impact from the total misalignment of 8 mm/m on the foundation design an additional moment of 1335 kNm has to be added at the foundation upper edge with appropriate partial safety factors.

4 Connection between Tower and Foundation

The connection between tower and foundation is established with a grouted joint. The tower base flange must be in full contact with the grout; no ring plate or other similar element (except for shimming provisions) shall be placed between the tower base flange and the underlying grout.

The tower base flange anchorage consists of **140 anchor bolts – M39 of grade 8.8**. Figure 2 shows the tower base flange geometry.

M39 refers to the final nominal outer diameter of the cold formed (mechanically rolled) anchor threads. There shall be a minimum diametrical clearance of 3mm between the tower flange hole and both the threaded and unthreaded length of the anchor bolt (for anchor bolts with mechanically rolled threads, the minimum diametrical clearance is typically dictated by the nominal outer thread diameter). Use of imperial anchor sizes is permissible.

Refer to Reference [1] for recommendations and requirements on proper anchor bolt fabrication and placement, including corrosion protection, providing sufficient anchor bolt projection for engagement of the anchor bolt tensioning device and protection of anchor bolt threads during concrete and grout placement.

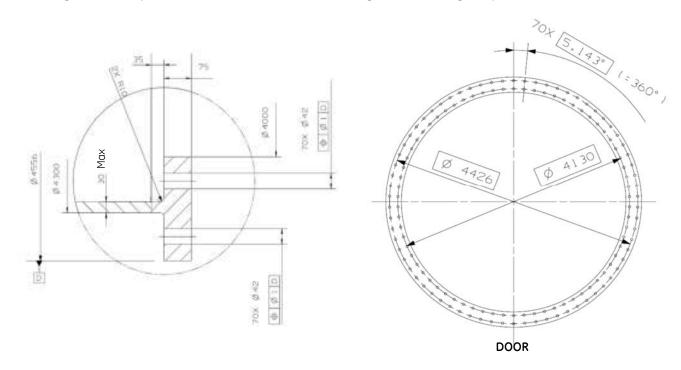


Figure 2: Base Flange Geometry Tower

5 Additional Information

Refer to Reference [1] for information on the foundation design, detailing, and execution including conduit and grounding details, foundation boundary conditions, subsoil properties, foundation spring constants, a foundation design check list, etc.

6 References

[1] GE Document "Foundation_General_Information_Tubular_Towers_Generic_xxHz_EN_r01", Information on the Design, Detailing and Execution of the Foundation for On-Shore Wind Turbines with Tubular Steel Towers

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Summary: Notification of Supplement to September 1, 2017 Filing Regarding Compliance with Condition 6 – Drawings for Final Design Plan electronically filed by Mr. William V Vorys on behalf of Trishe Wind Ohio, LLC